

K⁻pp Bound System at J-PARC



F. Sakuma, RIKEN



on behalf of the J-PARC E15
collaboration



**“The 15th International Conference on Meson-Nucleon Physics
and the Structure of the Nucleon, MENU-2019”**

Carnegie Mellon University, Pittsburgh Pennsylvania

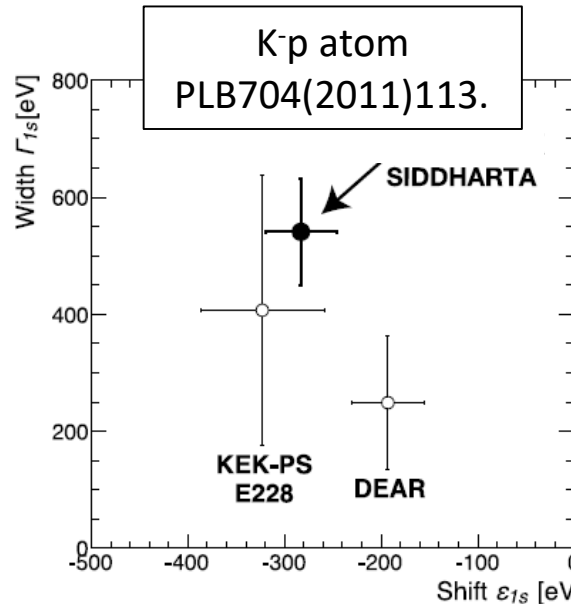
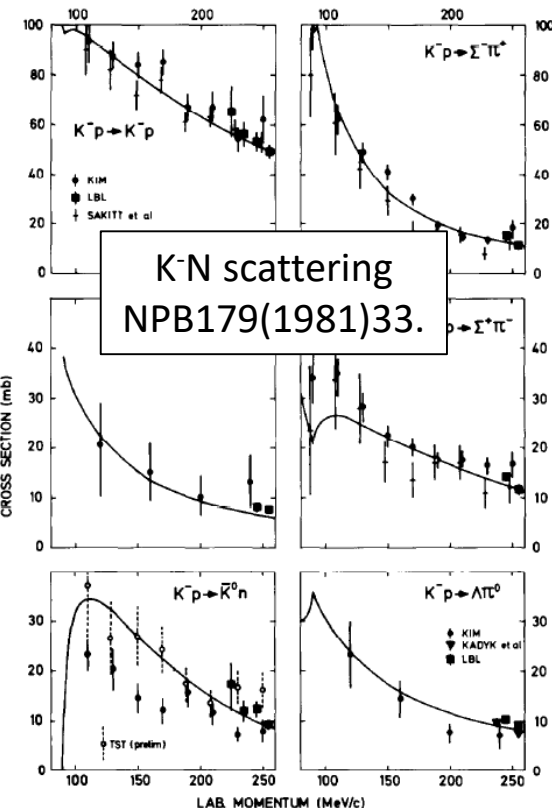
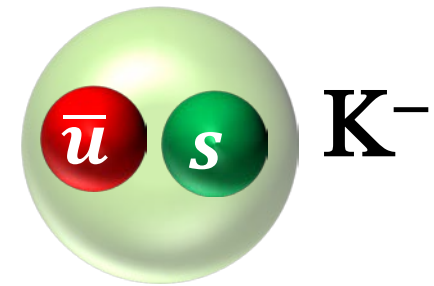
June 2 to June 7, 2019

Meson in a Nucleus?

- Lightest $S=-1$ meson, K^-

— $K^{\text{bar}}\text{-N}$ interaction:

strongly attractive in $l=0$



three generations of matter (fermions)		
I	II	III
$\approx 2.4 \text{ MeV}/c^2$ $2/3$ $1/2$ <u>u</u> up	$\approx 1.275 \text{ GeV}/c^2$ $2/3$ $1/2$ <u>c</u> charm	$\approx 172.44 \text{ GeV}/c^2$ $2/3$ $1/2$ <u>t</u> top
$\approx 4.8 \text{ MeV}/c^2$ $-1/3$ $1/2$ <u>d</u> down	$\approx 95 \text{ MeV}/c^2$ $-1/3$ $1/2$ <u>s</u> strange	$\approx 4.18 \text{ GeV}/c^2$ $-1/3$ $1/2$ <u>b</u> bottom

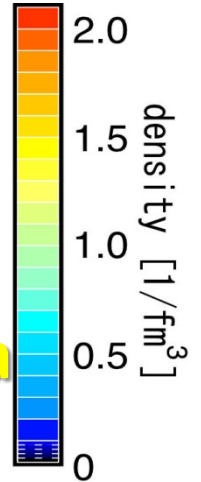
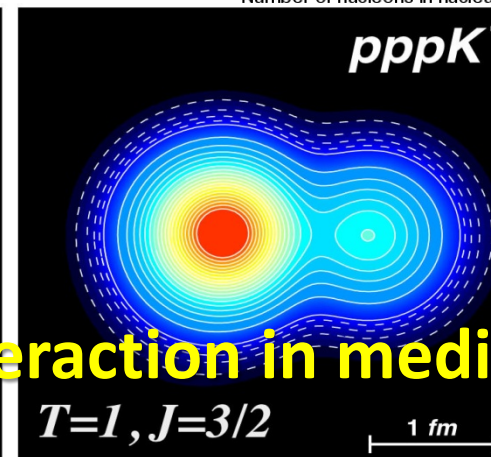
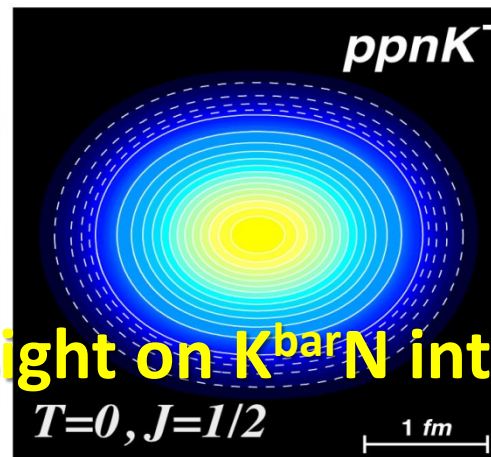
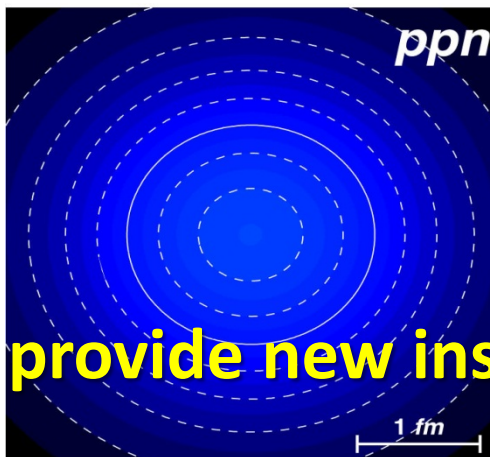
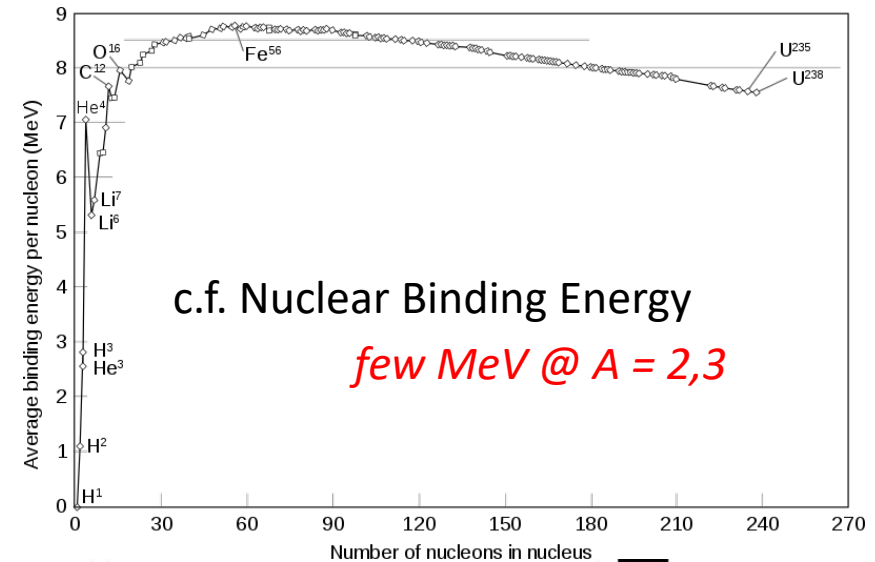
K^{bar} -Nuclear Bound State

Predicted from **attractive K^{bar} N interaction in $I=0$**

Kaonic Nuclei	Binding Energy [MeV]	Width [MeV]
$\Lambda(1405) = K^-p$	27	40
K^-pp	48	61
K^-ppp	97	13
K^-ppn	118	21

Y.Akaishi and T.Yamazaki, PRC65(2002)044005.

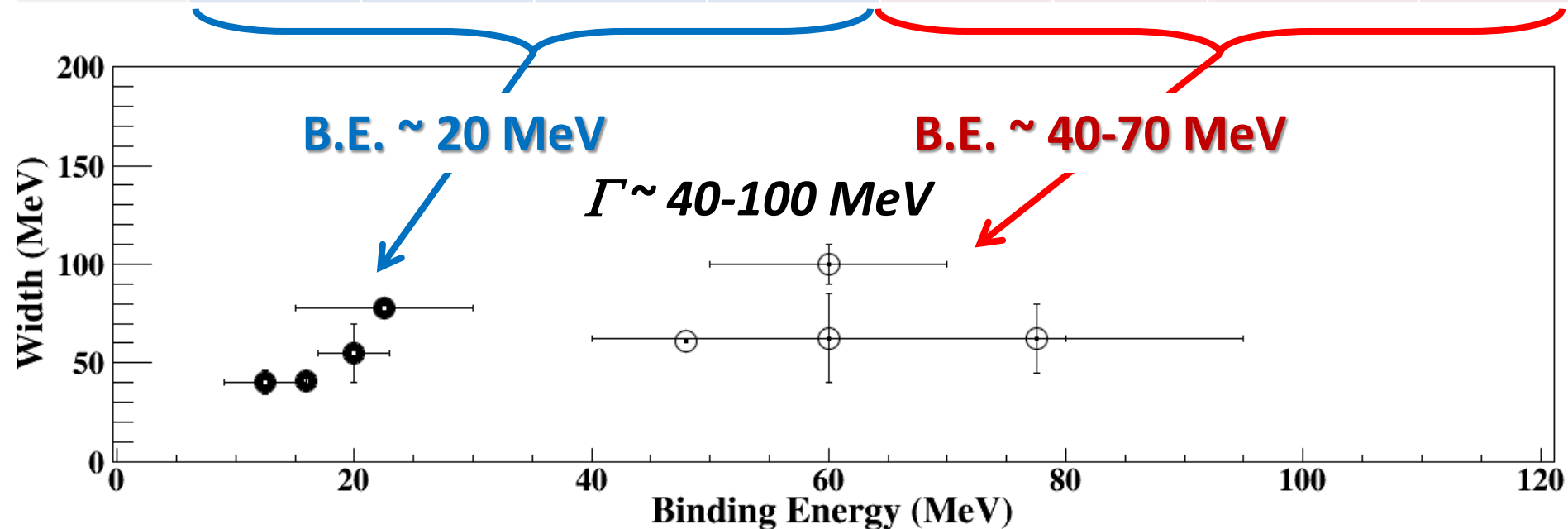
A. Dote et al. PRC70(2004)044313. etc.



provide new insight on K^{bar} N interaction in media

Theoretical Calculations on “K⁻pp”

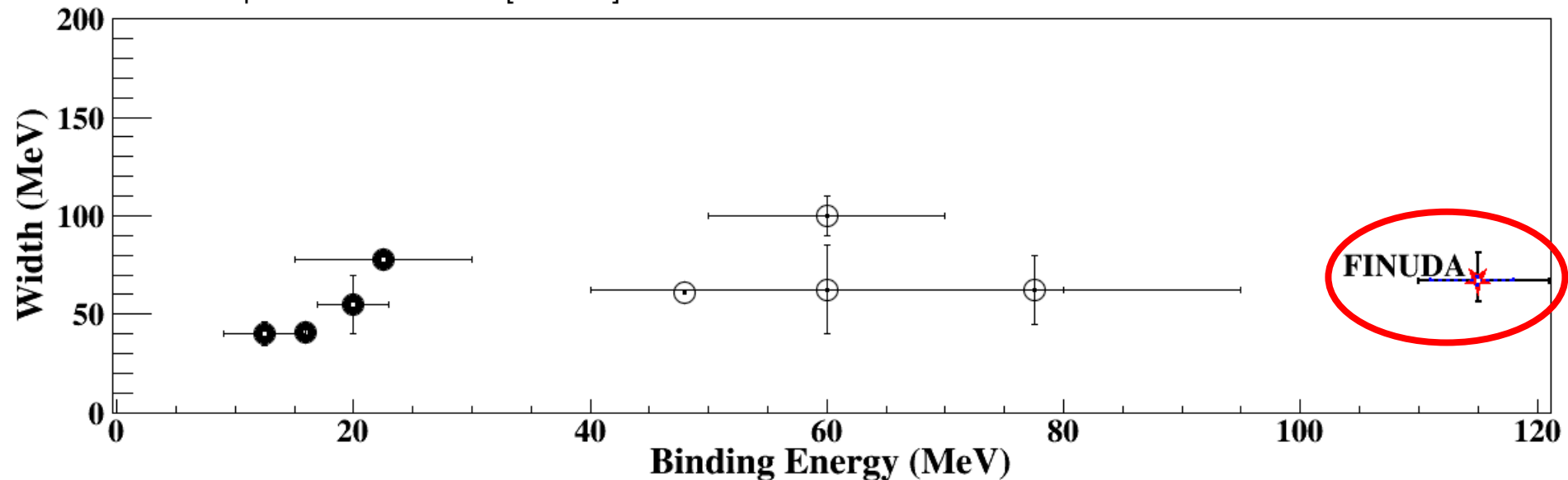
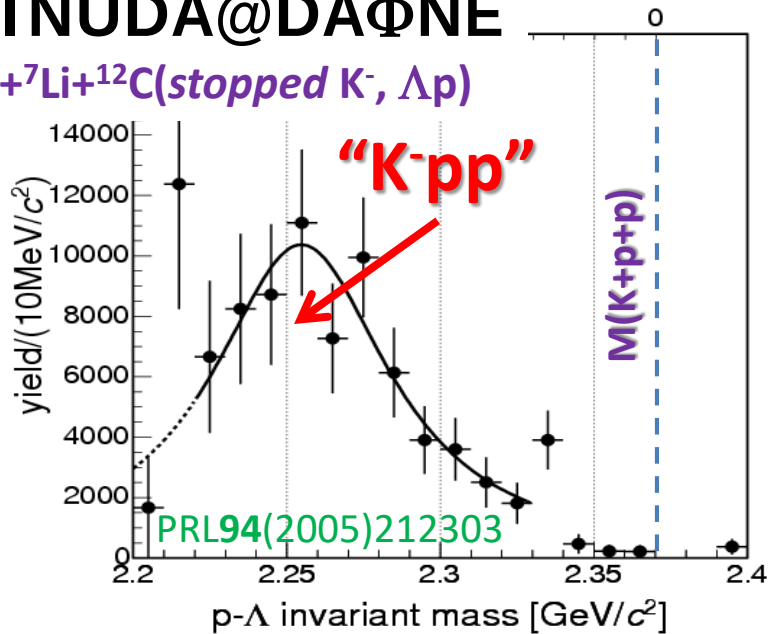
K ^{bar} N int.	Chiral SU(3) (energy dependent)				Phenomenological (energy independent)			
Method	Variational		Faddeev		Variational		Faddeev	
	Barnea, Gal, Liverts	Dote, Hyodo, Weise	Ikeda, Kamano, Sato	Bayar, Oset	Yamazaki, Akaishi	Wyceck, Green	Shevchenko, Gal, Mares	Ikeda, Sato
B (MeV)	16	17-23	9-16	15-30	48	40-80	50-70	60-95
Γ (MeV)	41	40-70	34-46	75-80	61	40-85	90-110	45-80



"K⁻pp" Search via Stopped-K⁻

FINUDA@DAΦNE

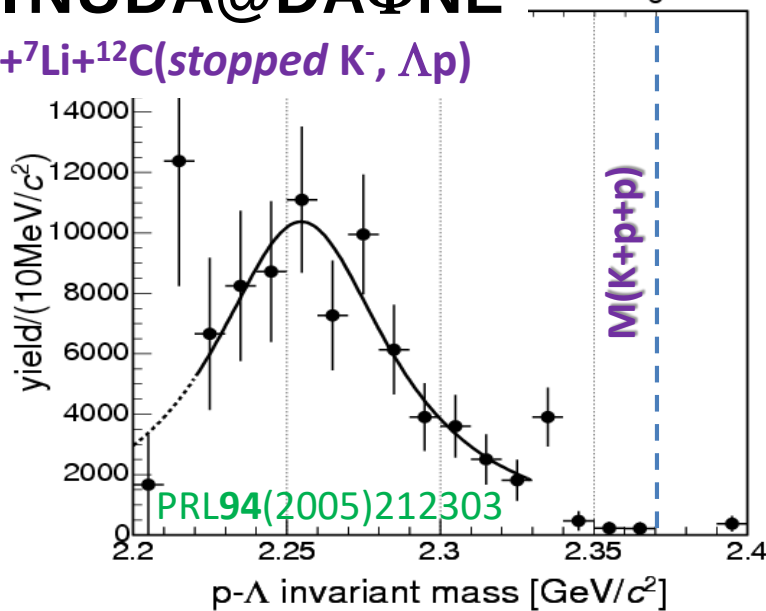
${}^6\text{Li}+{}^7\text{Li}+{}^{12}\text{C}(\text{stopped } \text{K}^-, \Lambda p)$



“K⁻pp” Search via Stopped-K⁻

FINUDA@DAΦNE

⁶Li+⁷Li+¹²C(stopped K⁻, Λp)

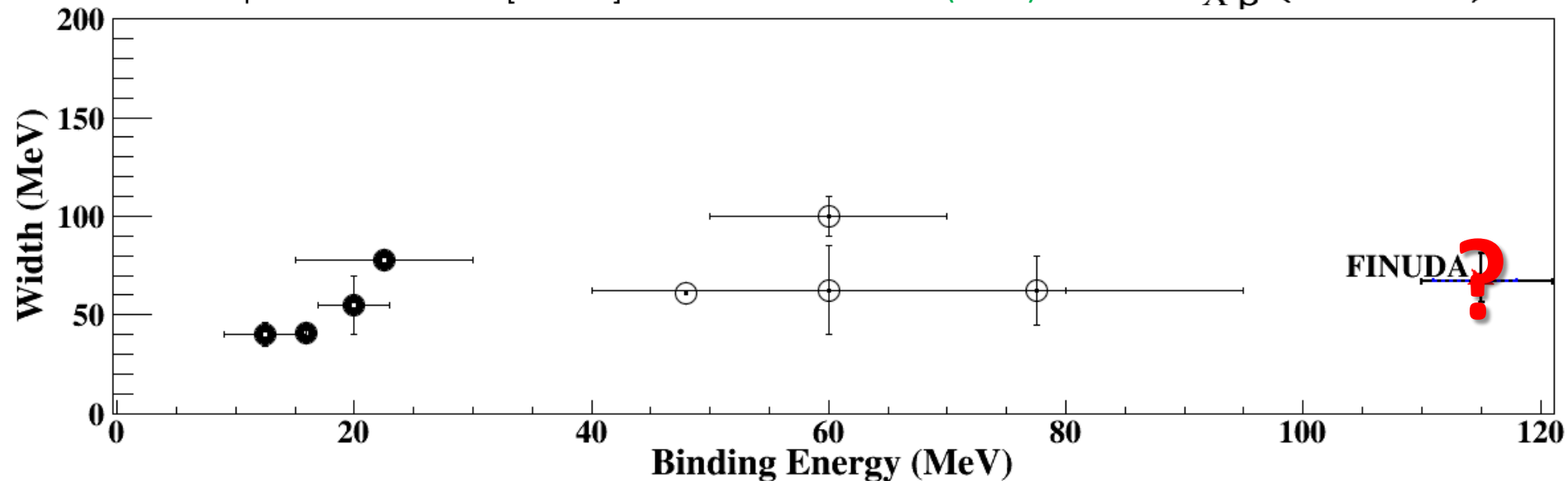
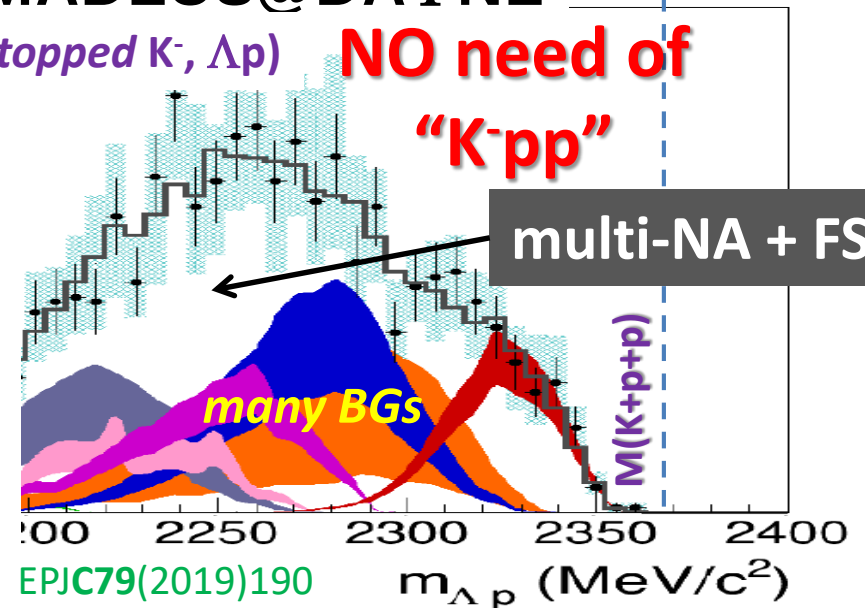


AMADEUS@DAΦNE

¹²C(stopped K⁻, Λp) **NO need of**

“K⁻pp”

multi-NA + FSI



“K⁻pp” Search via pp Collisions

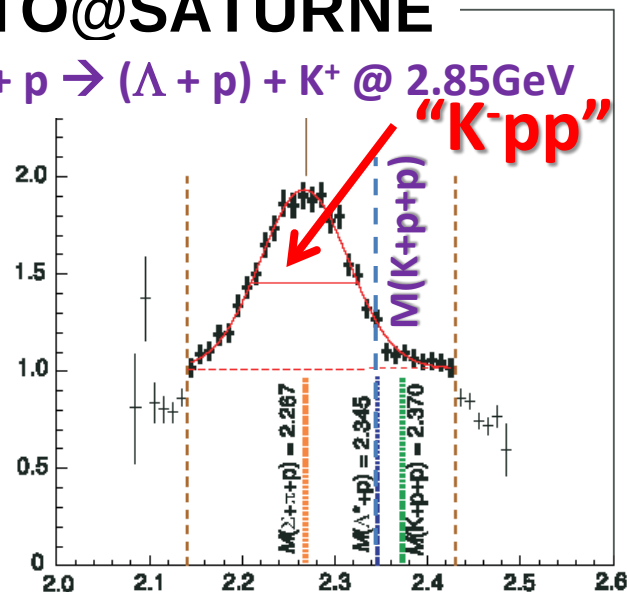
DISTO@SATURNE

$p + p \rightarrow (\Lambda + p) + K^+ @ 2.85\text{GeV}$

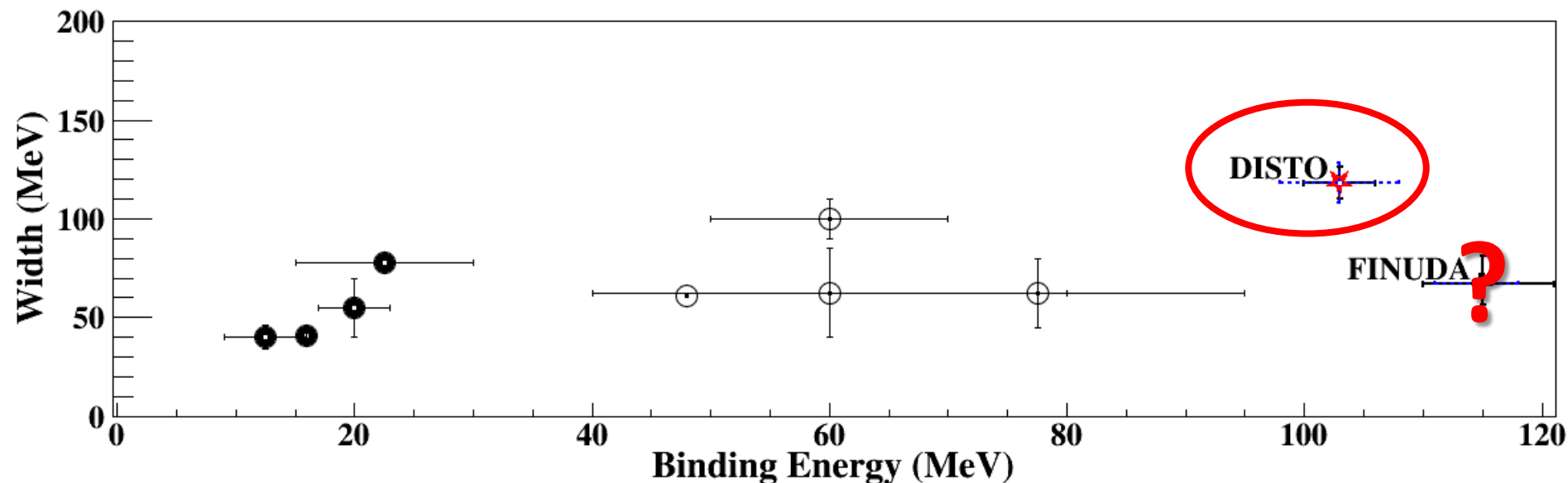
“K⁻pp”

Data/Sim

Deviation $\frac{UNC}{SIM}$ (arb. sc)



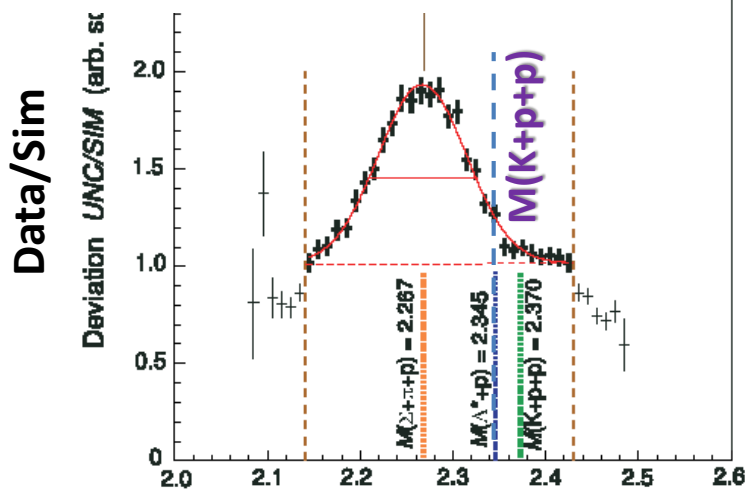
PRL104(2010)132502 $M(p\Lambda)$ [GeV/c²]



"K-pp" Search via pp Collisions

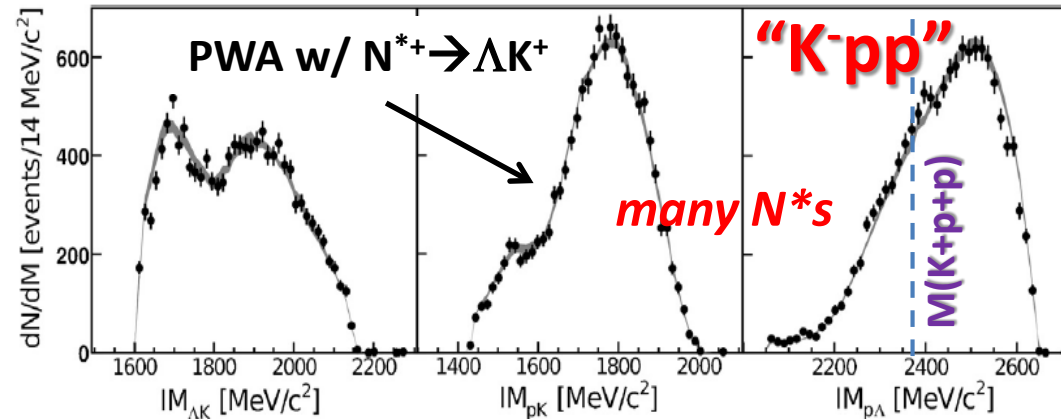
DISTO@SATURNE

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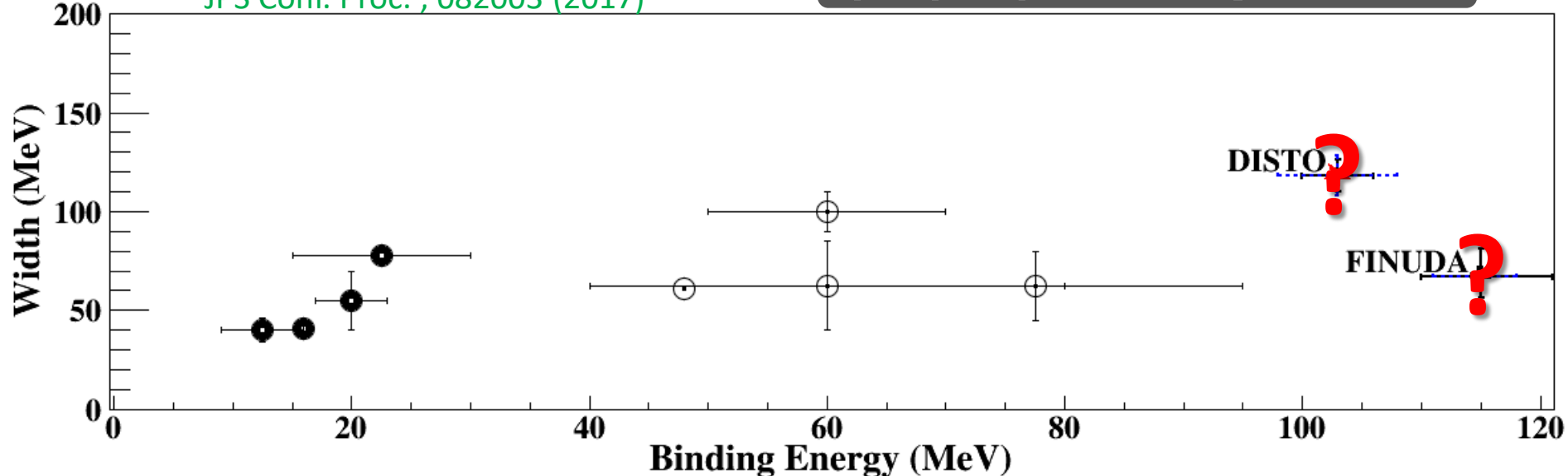
HADES@GSI PLB742(2015)242

$p + p \rightarrow (\Lambda + p) + K^+ @ 3.5 \text{ GeV}$ **NO need of**

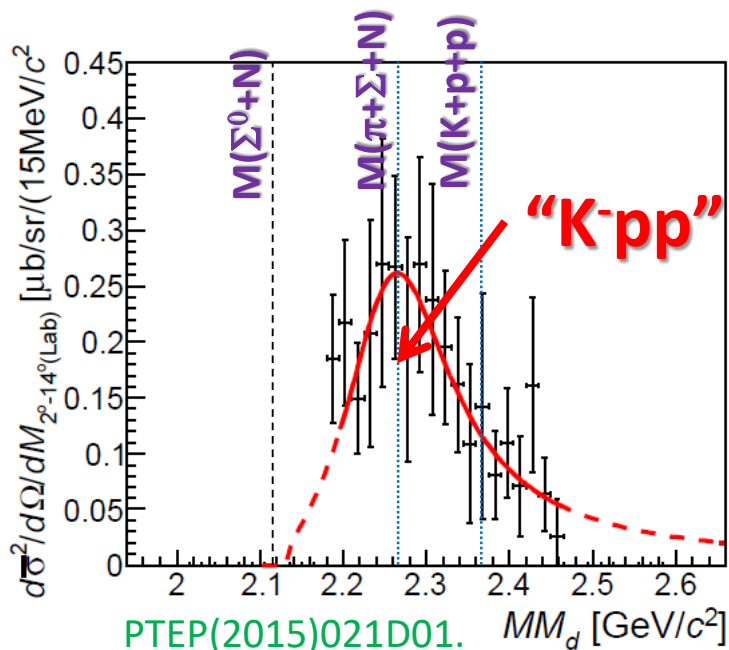


$p + p \rightarrow p + N^{*+} \rightarrow p + \Lambda + K^+$

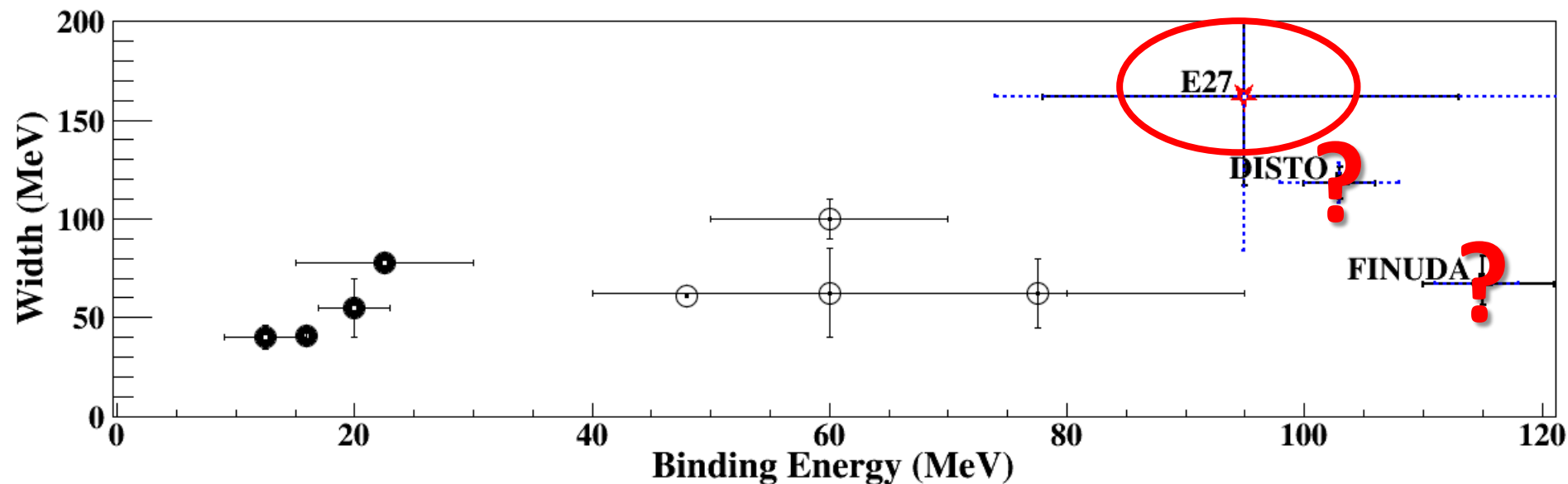
PRL104(2010)132502 $M(p\Lambda)$ [GeV/c²]
JPS Conf. Proc., 082003 (2017)



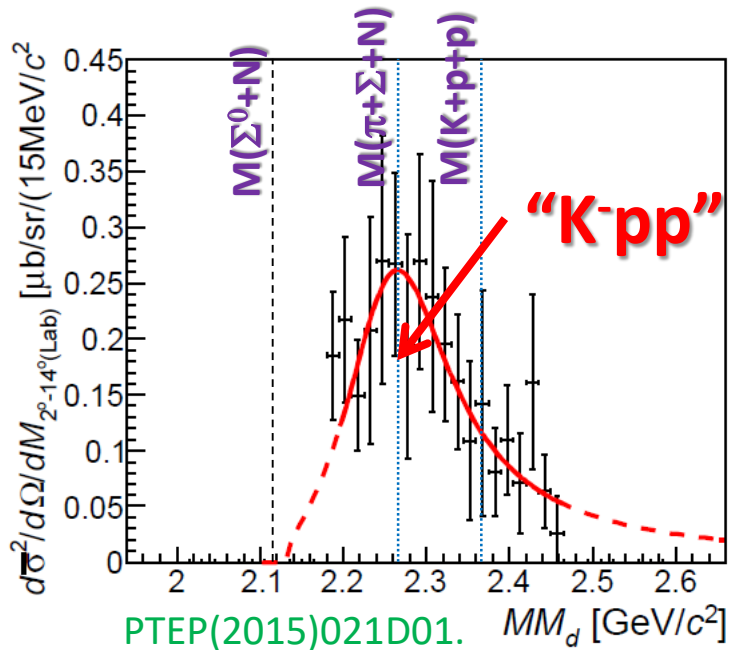
“K⁻pp” Search via d(π⁺,K⁺)X



E27@J-PARC $d(\pi^+, K^+)\Sigma^0 p$ @ 1.69 GeV/c

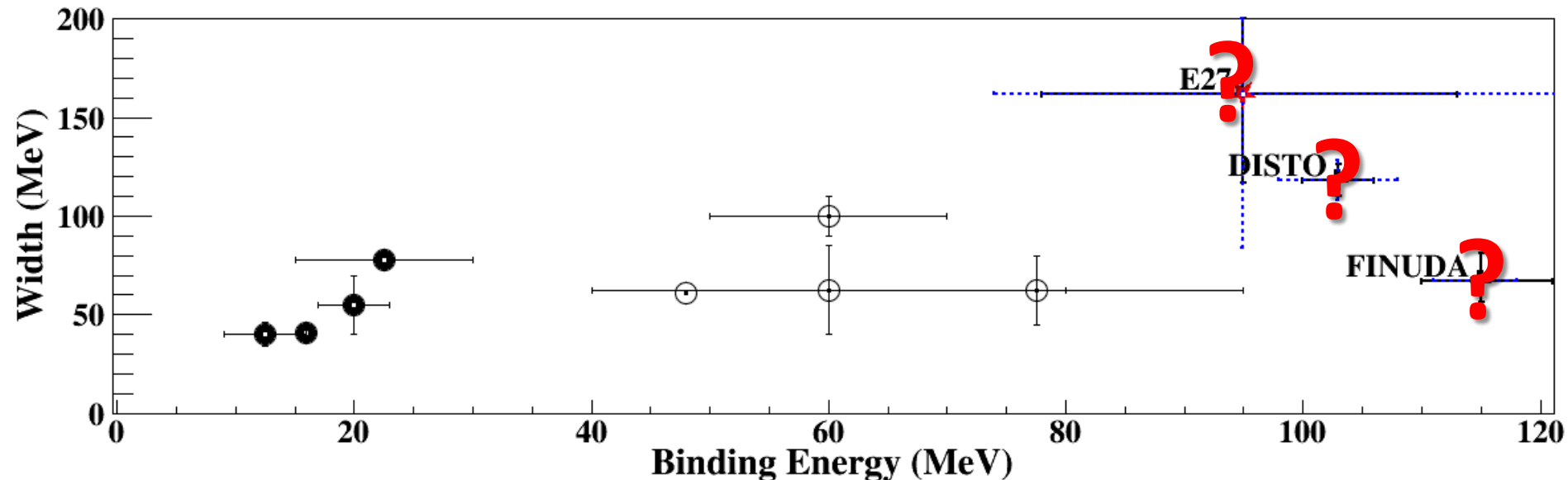
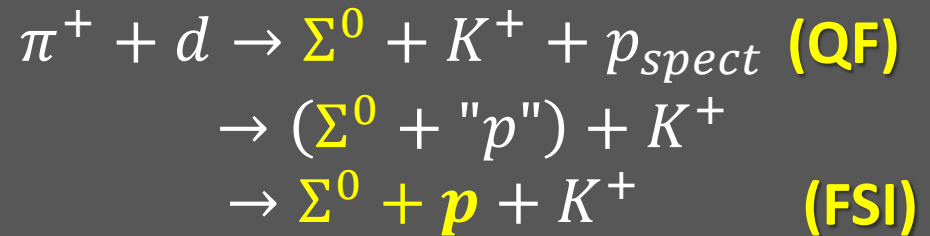


“K-pp” Search via $d(\pi^+, K^+)X$



E27@J-PARC $d(\pi^+, K^+)\Sigma^0 p$ @ 1.69 GeV/c

- need to be confirmed with more statistics and a wide acceptance detector

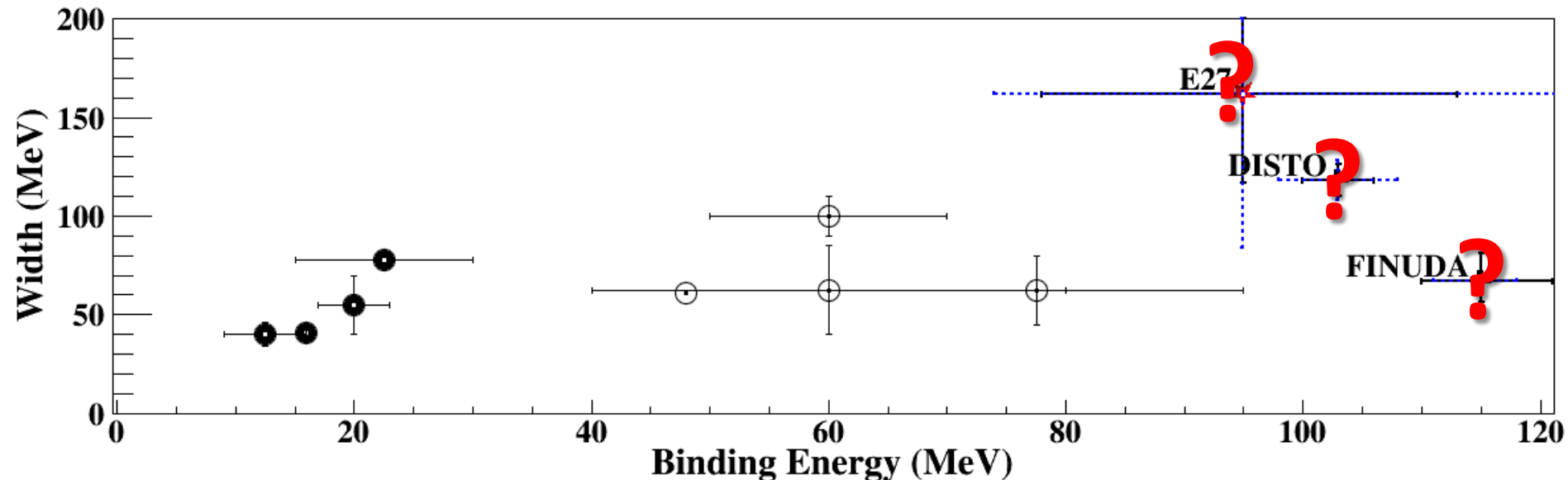


“K-pp” Search WAS Controversial..

What we have learned from previous experiments:

- Intermediate state is of importance
- Should use more simple reaction
- Exclusive measurement is a key

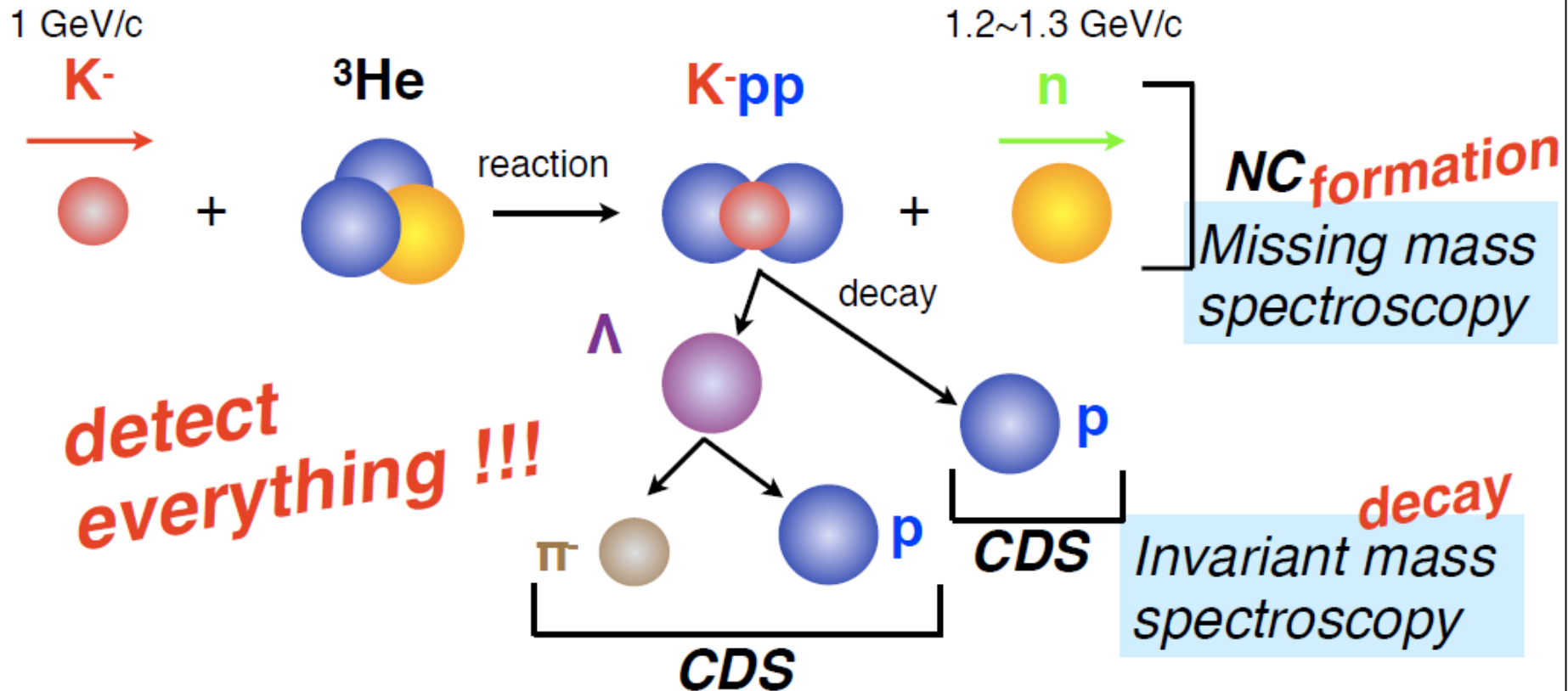
→ J-PARC E15 experiment



J-PARC E15 Experiment

- $^3\text{He}(\text{in-flight } K^-, n)$ reaction @ 1.0 GeV/c

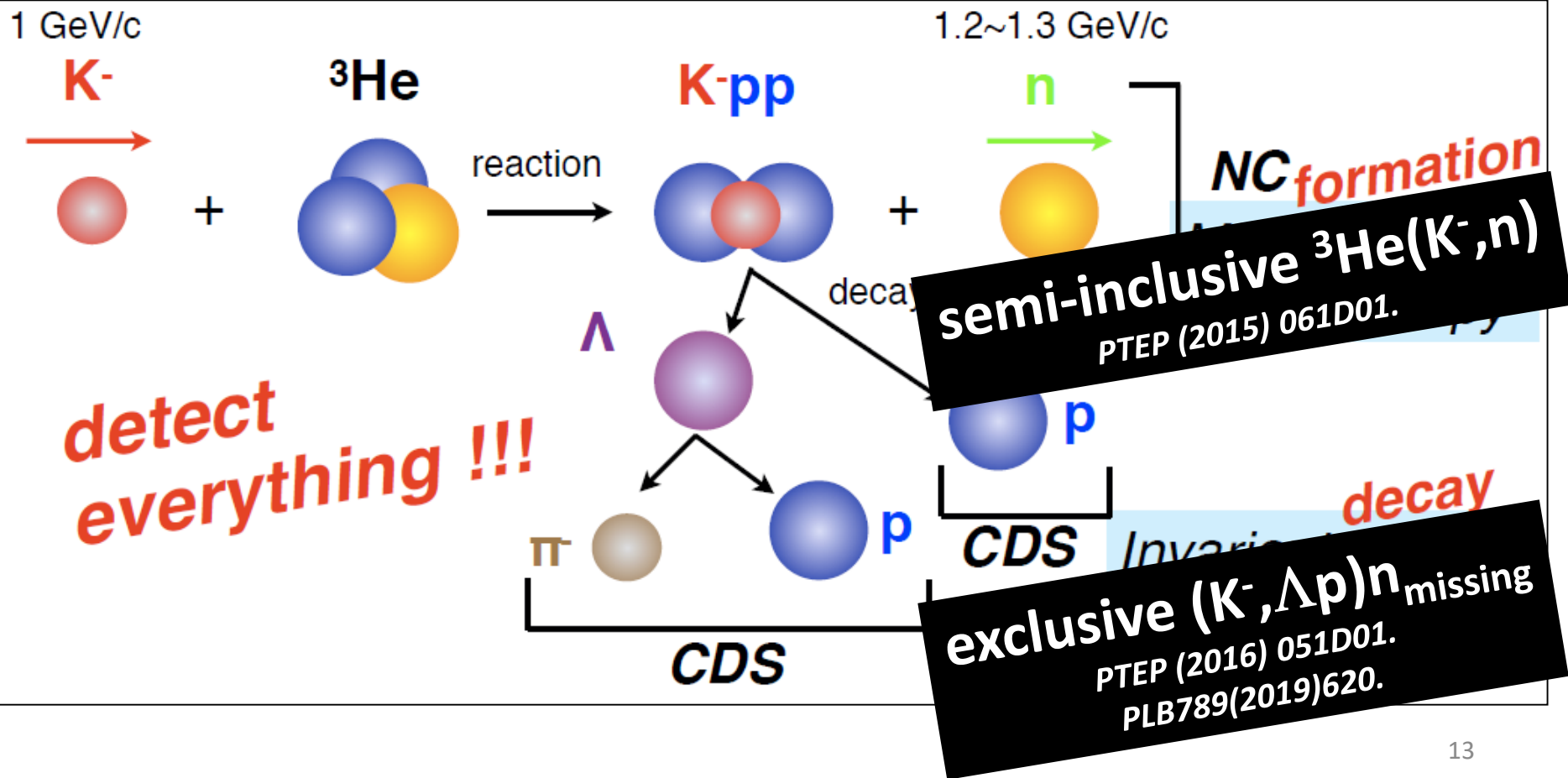
😊 **2NA and Λ decays can be discriminated kinematically**



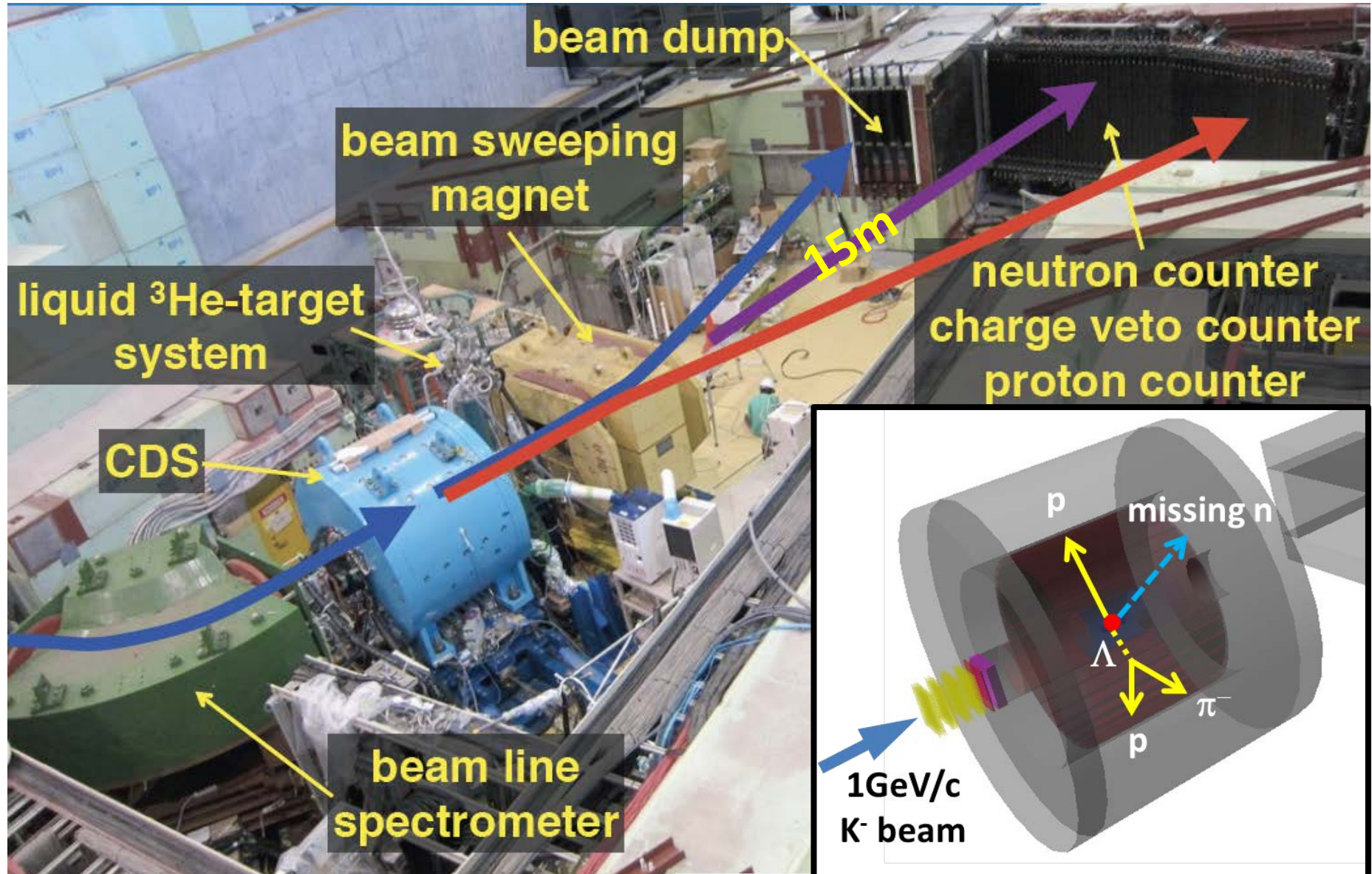
J-PARC E15 Experiment

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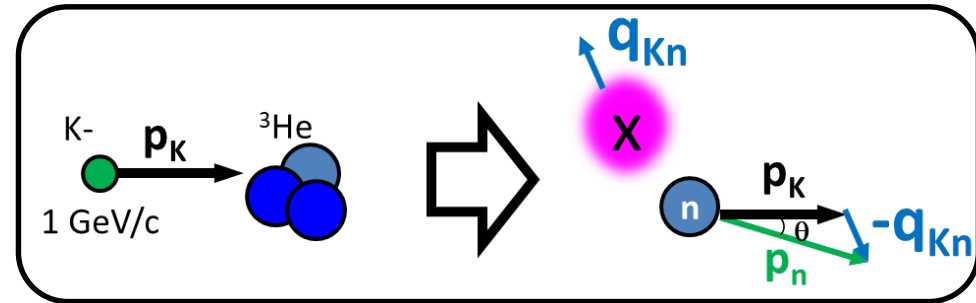
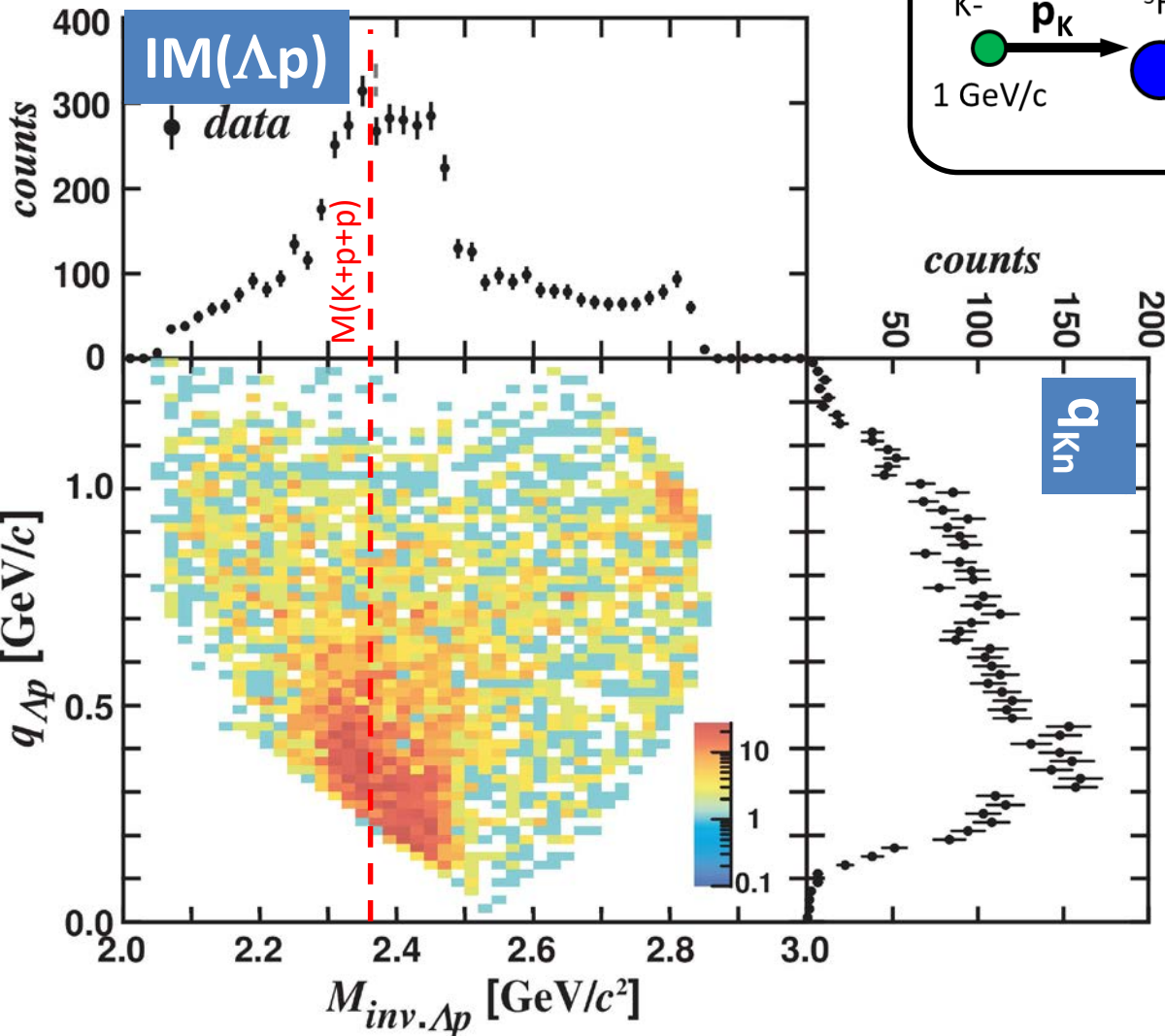


Experimental Setup @ K1.8BR



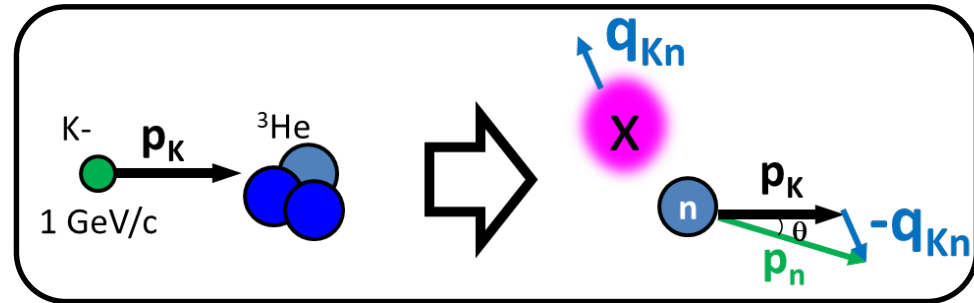
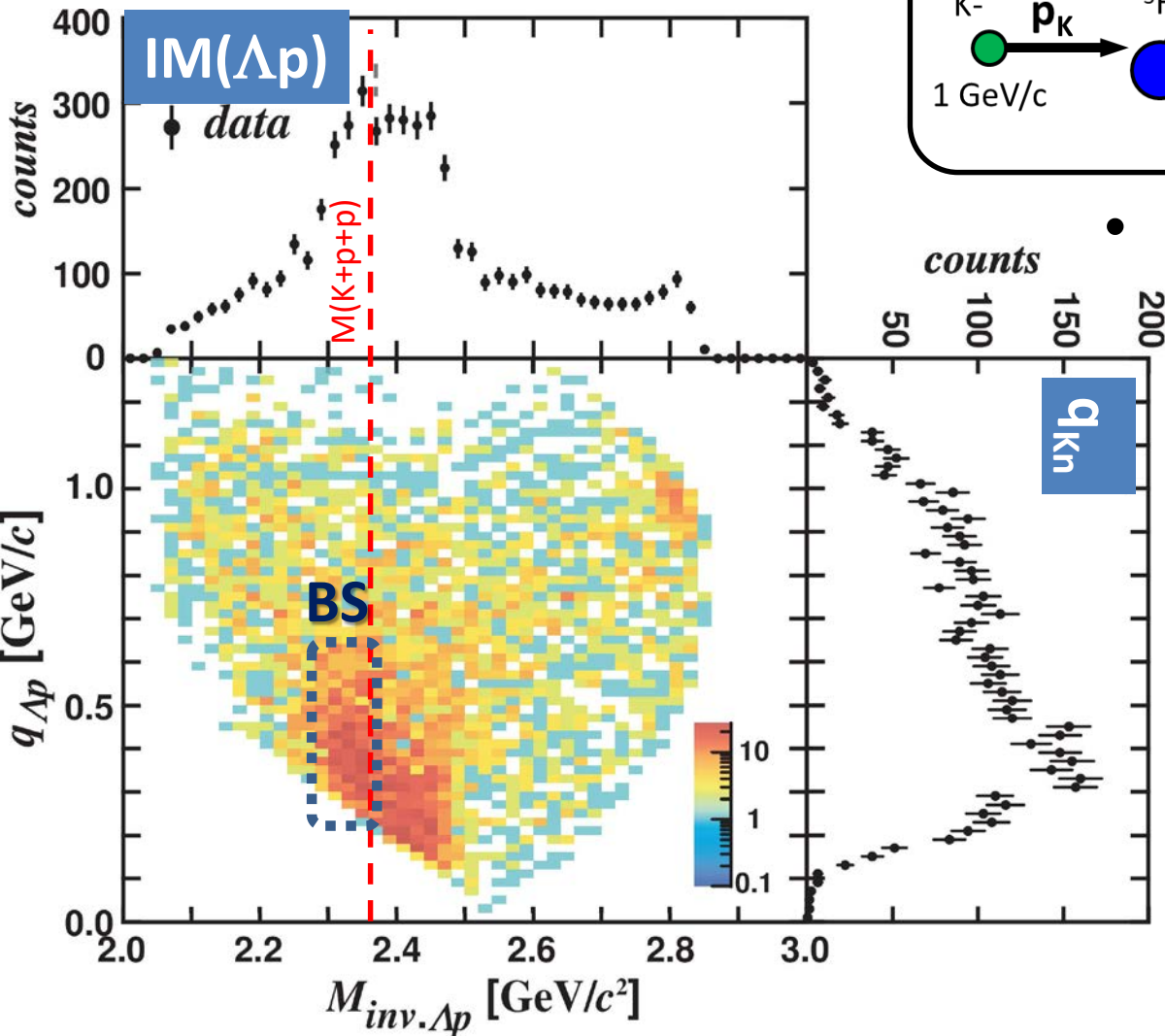
IM(Λp) vs. Momentum Transfer q_{Kn}

E15 collab., PLB789(2019)620.



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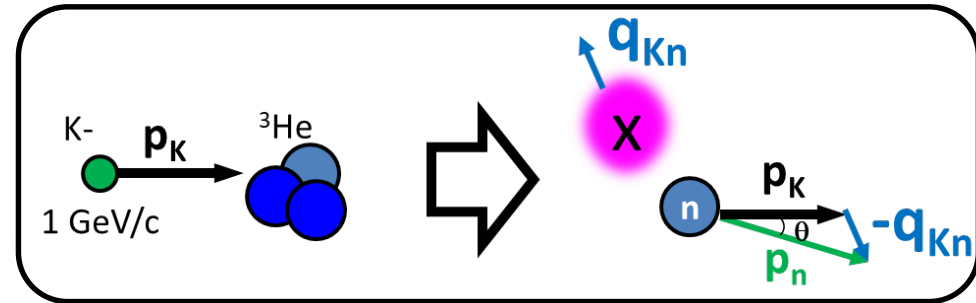
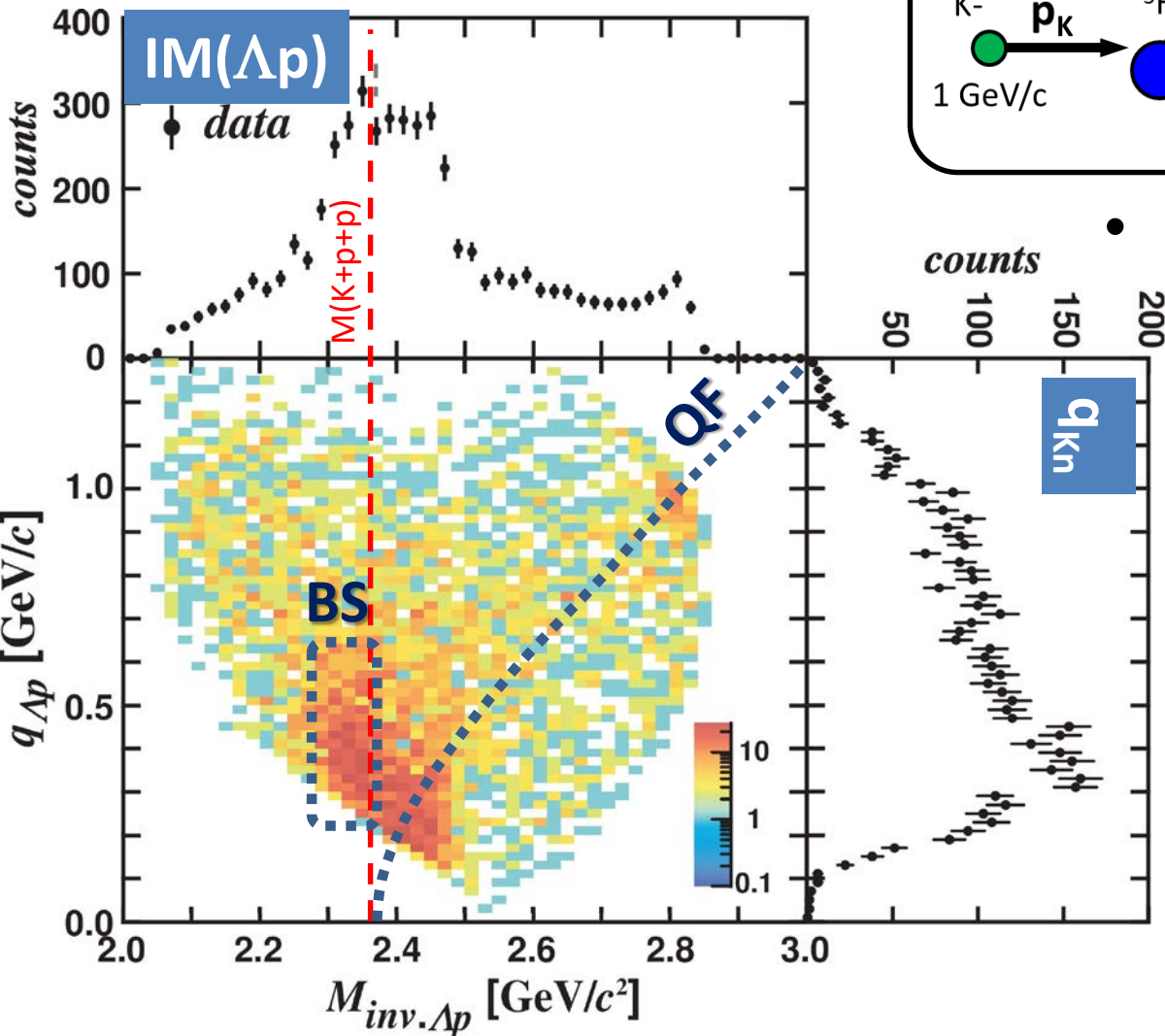
- Can be interpreted as 3 components

– Bound state

- centroid **DOES NOT** depend on q_{Kn}

IM(Λp) vs. Momentum Transfer q_{Kn}

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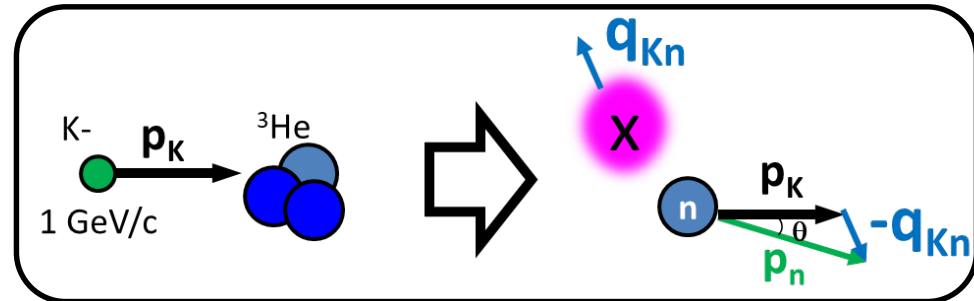
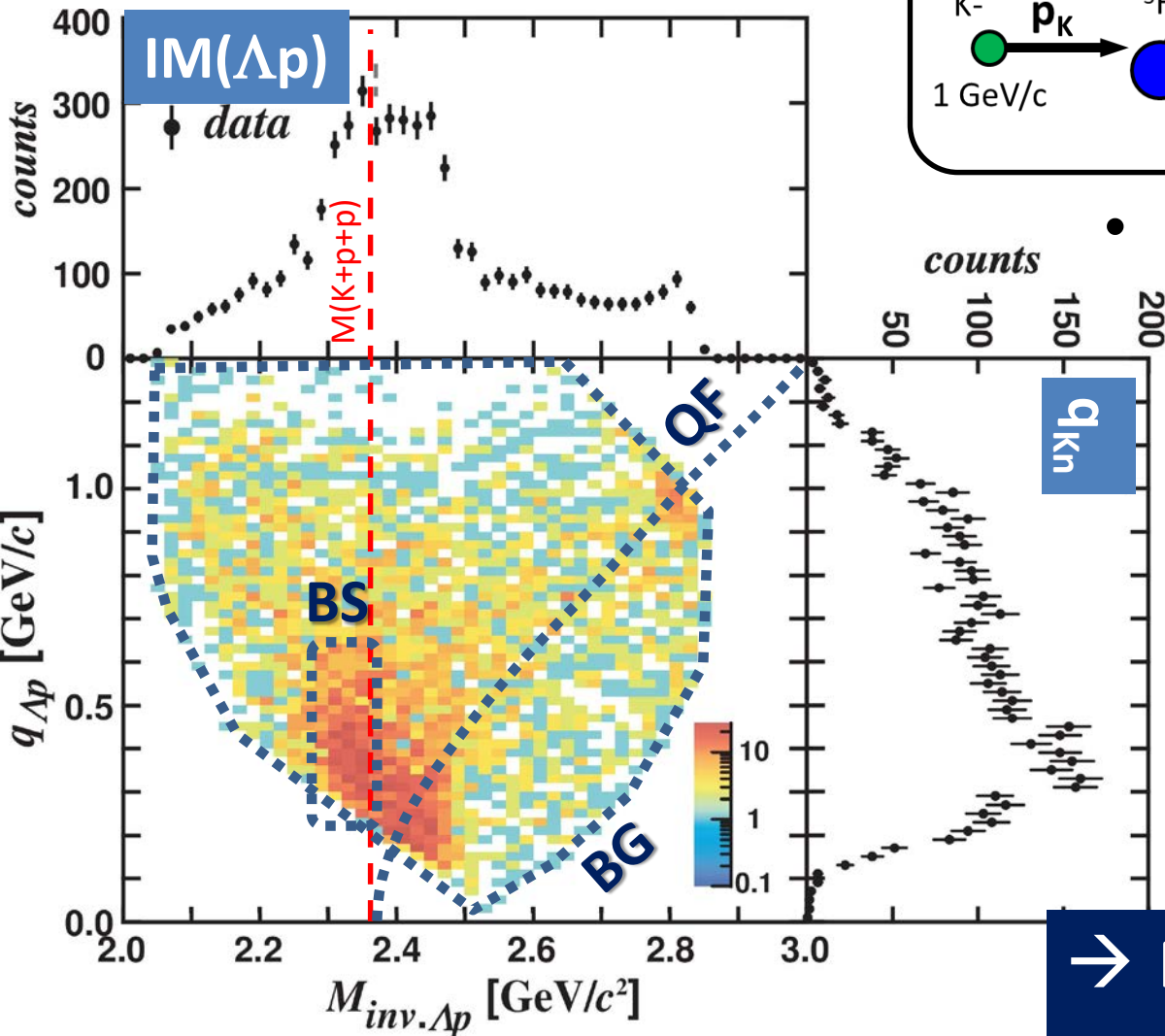
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– Quasi-elastic K⁻ abs.

- centroid depends on q_{Kn}

IM(Λp) vs. Momentum Transfer q_{Kn}

E15 collab., PLB789(2019)620.



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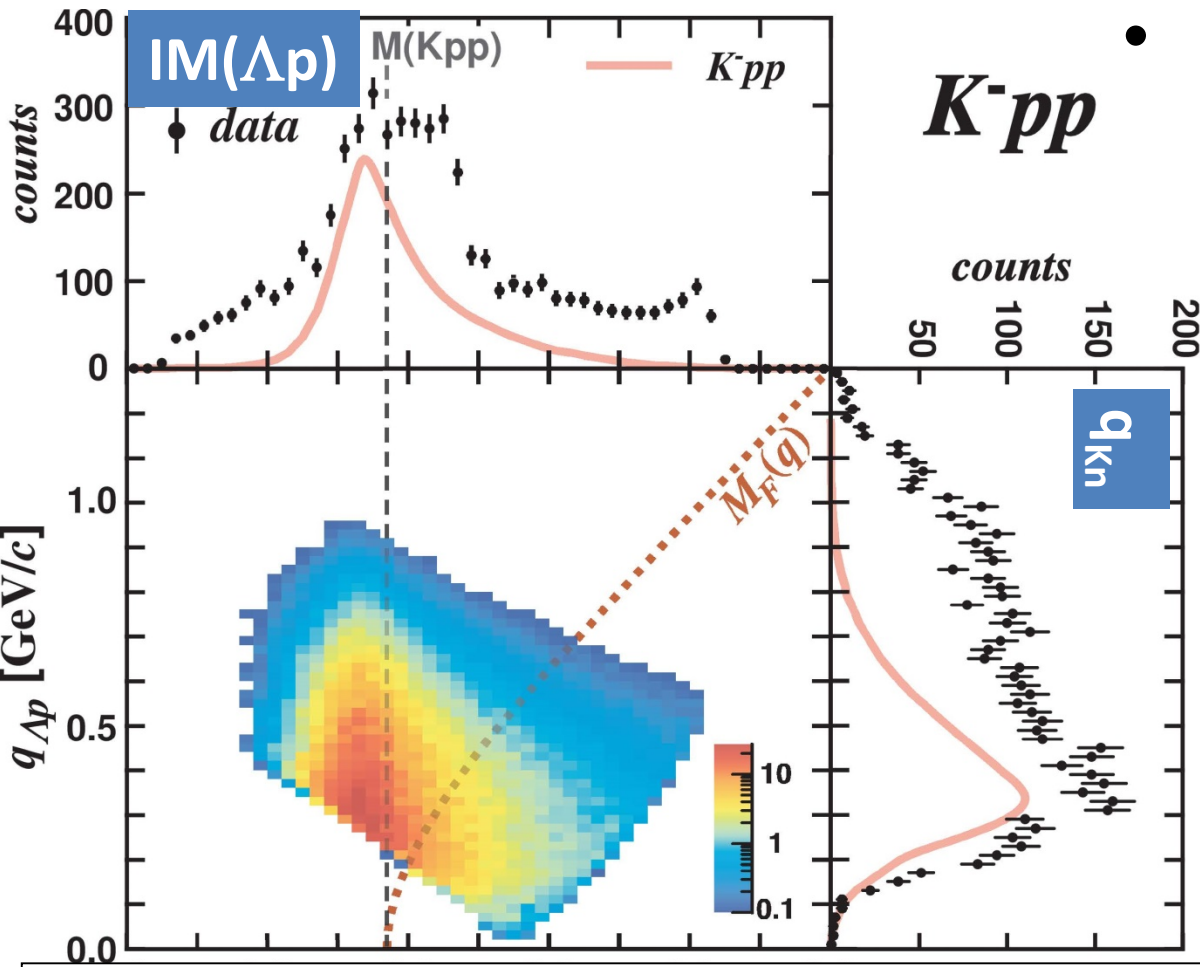
– Background

- Broad distribution

→ Fit the spectrum with 3 components

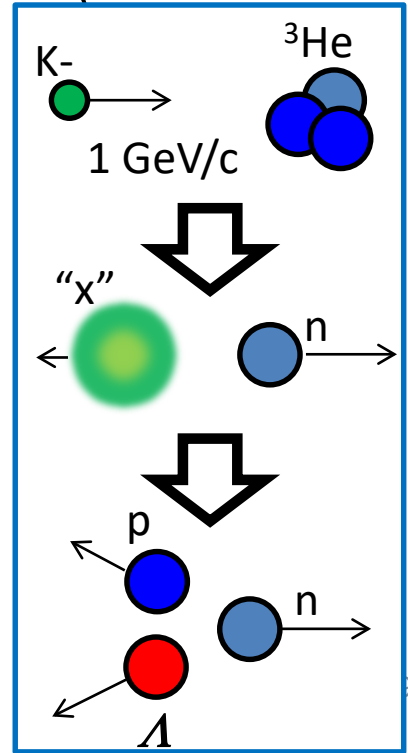
IM(Λp) vs. Momentum Transfer q_{Kn}

E15 collab., PLB789(2019)620.



- Fit with 3 components
- Bound state

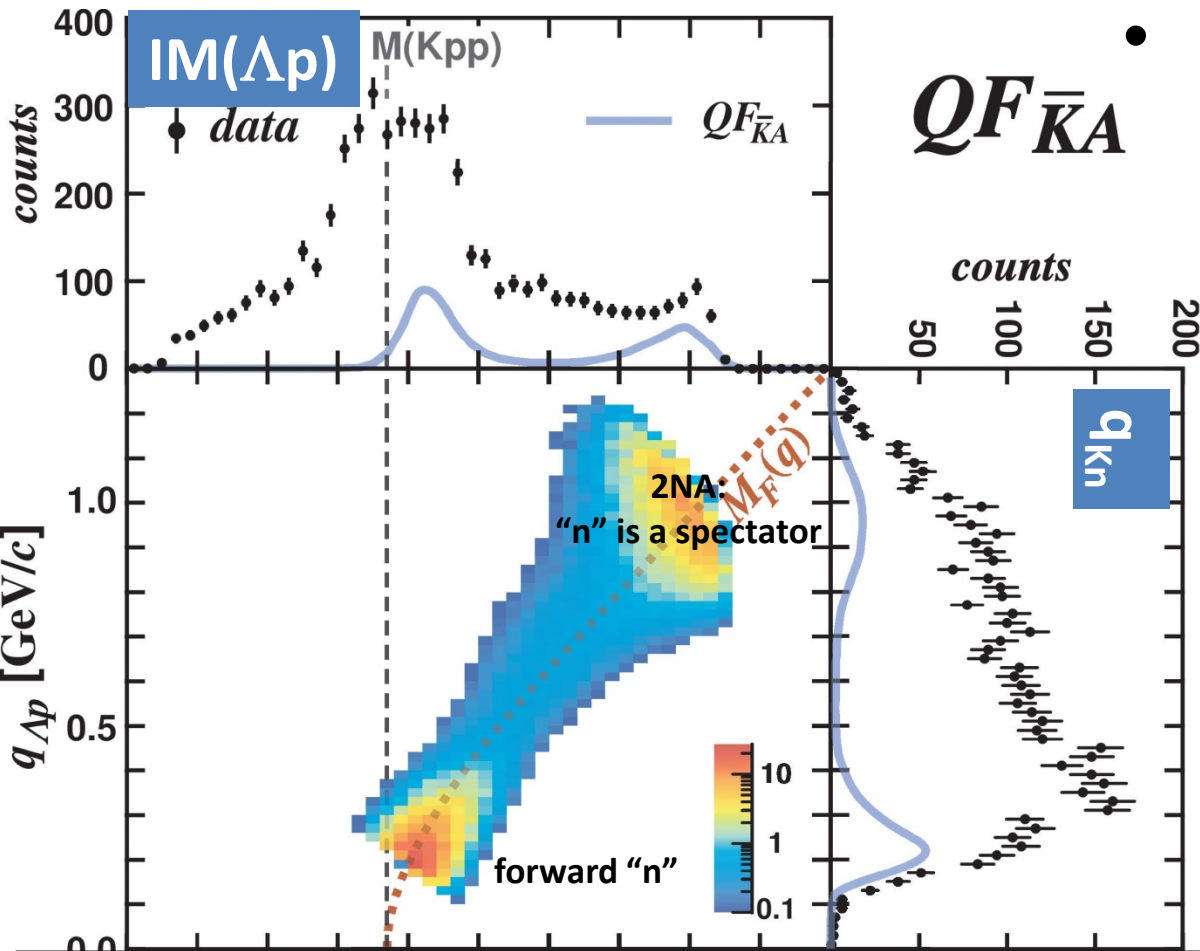
- **centroid DOES NOT depend on q_{Kn}**
- BW*(Gauss form-factor)



$$f_{\{Kpp\}}(M, q) = \frac{A_{Kpp} (\Gamma_{Kpp}/2)^2}{(M - M_{Kpp})^2 + (\Gamma_{Kpp}/2)^2} e^{-\left(\frac{q}{Q_{Kpp}}\right)^2},$$

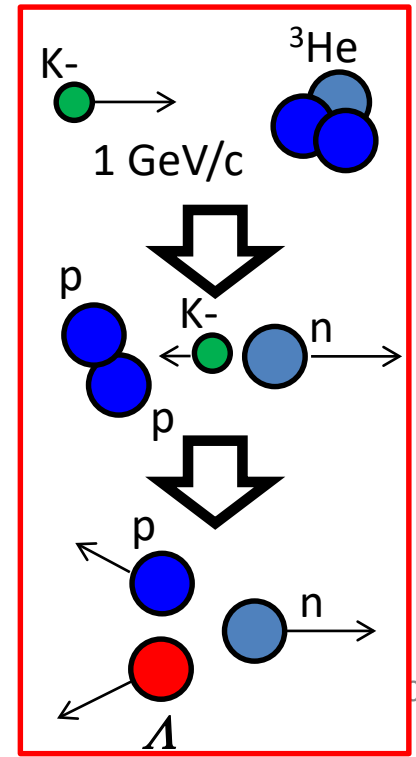
IM(Λp) vs. Momentum Transfer q_{Kn}

E15 collab., PLB789(2019)620.



- Fit with 3 components
- Quasi-elastic K^- abs.

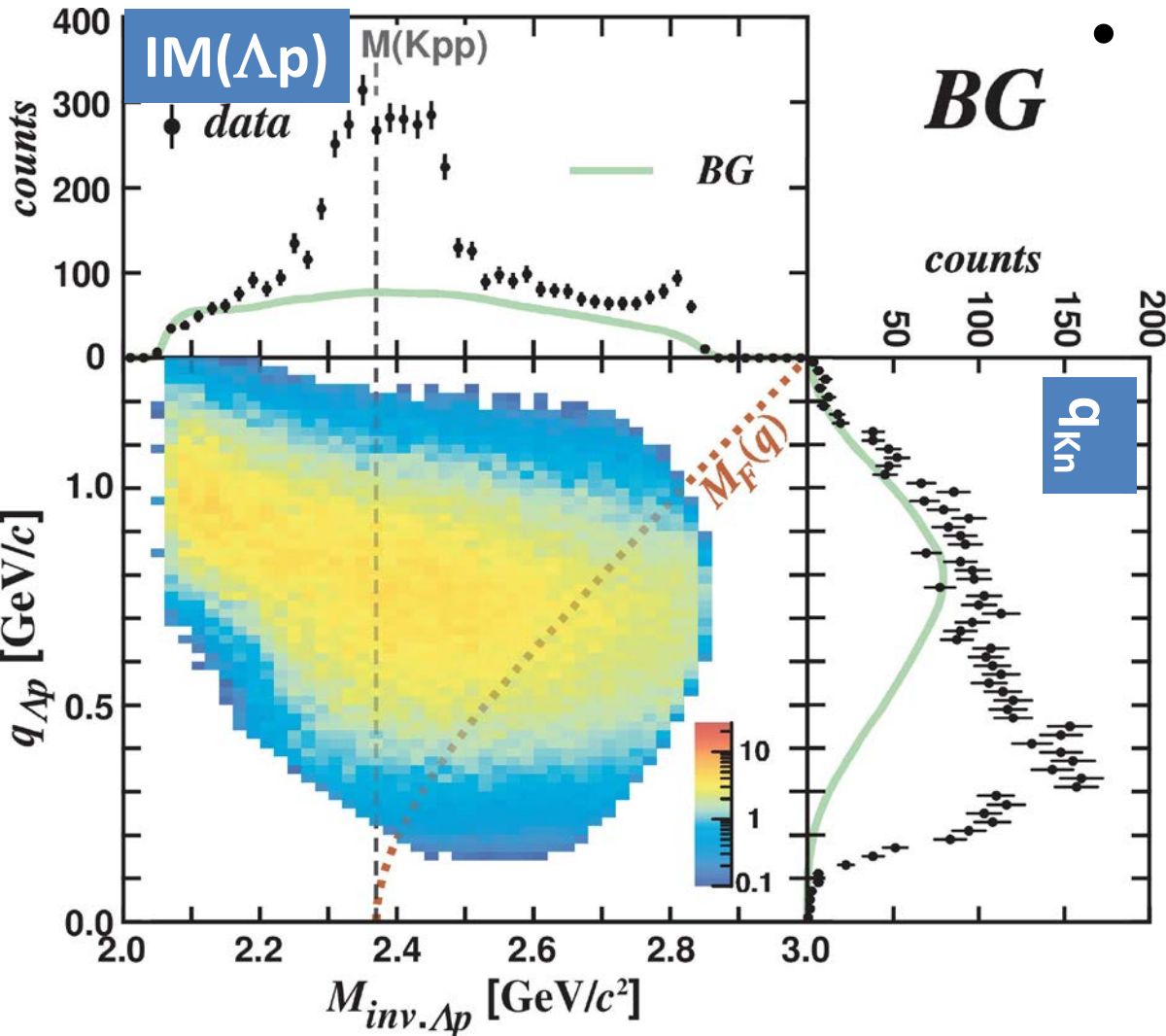
- **centroid depends on q_{Kn}**
- Followed by Λp conversion



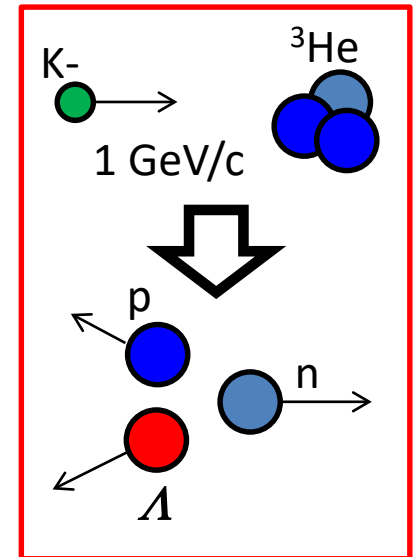
$$M_F(q) = \sqrt{4m_N^2 + m_K^2 + 4m_N \sqrt{m_K^2 + q^2}},$$

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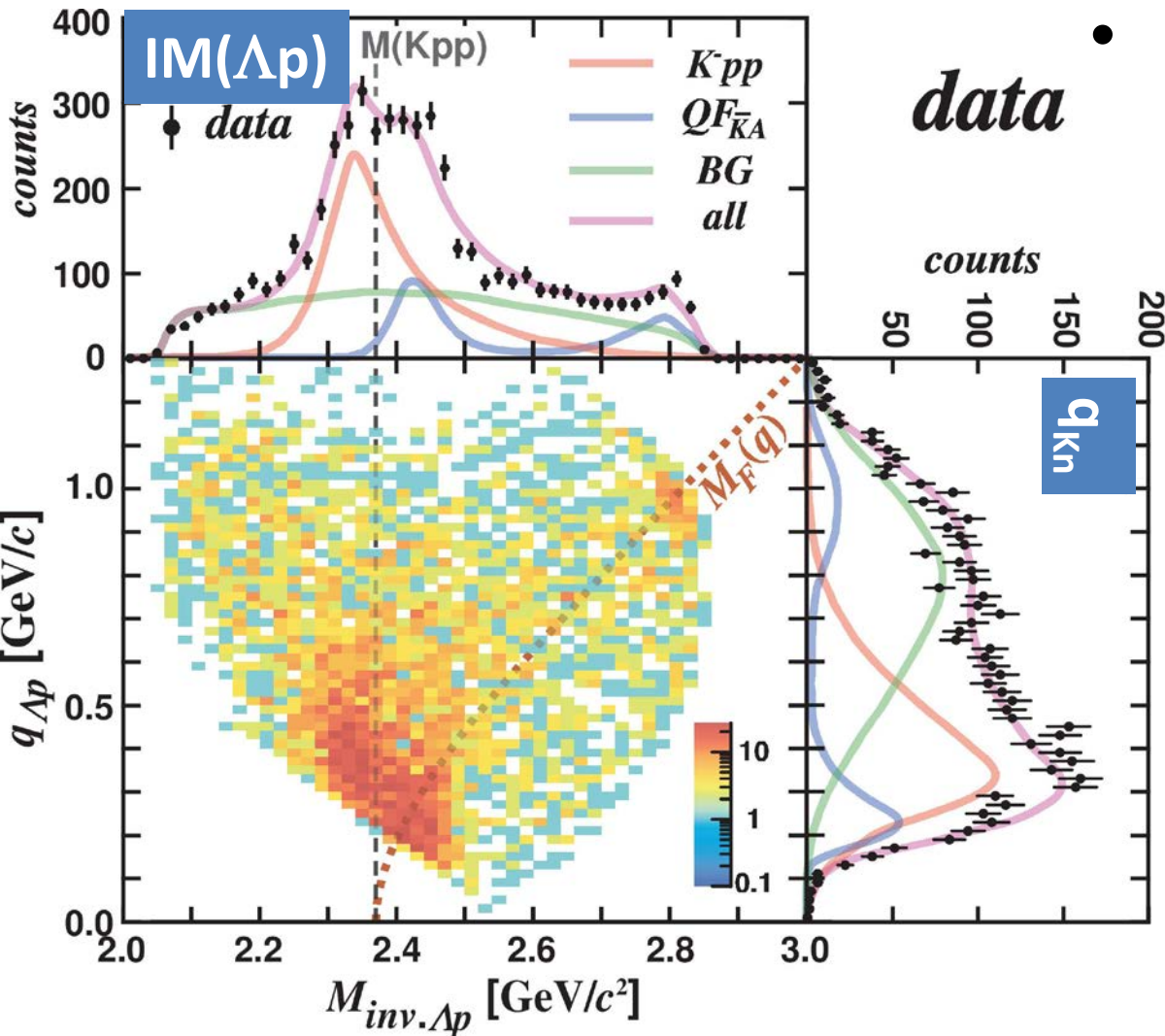


- Fit with 3 components
 - Background
 - Broad distribution



IM(Λp) vs. Momentum Transfer q_{Kn}

E15 collab., PLB789(2019)620.



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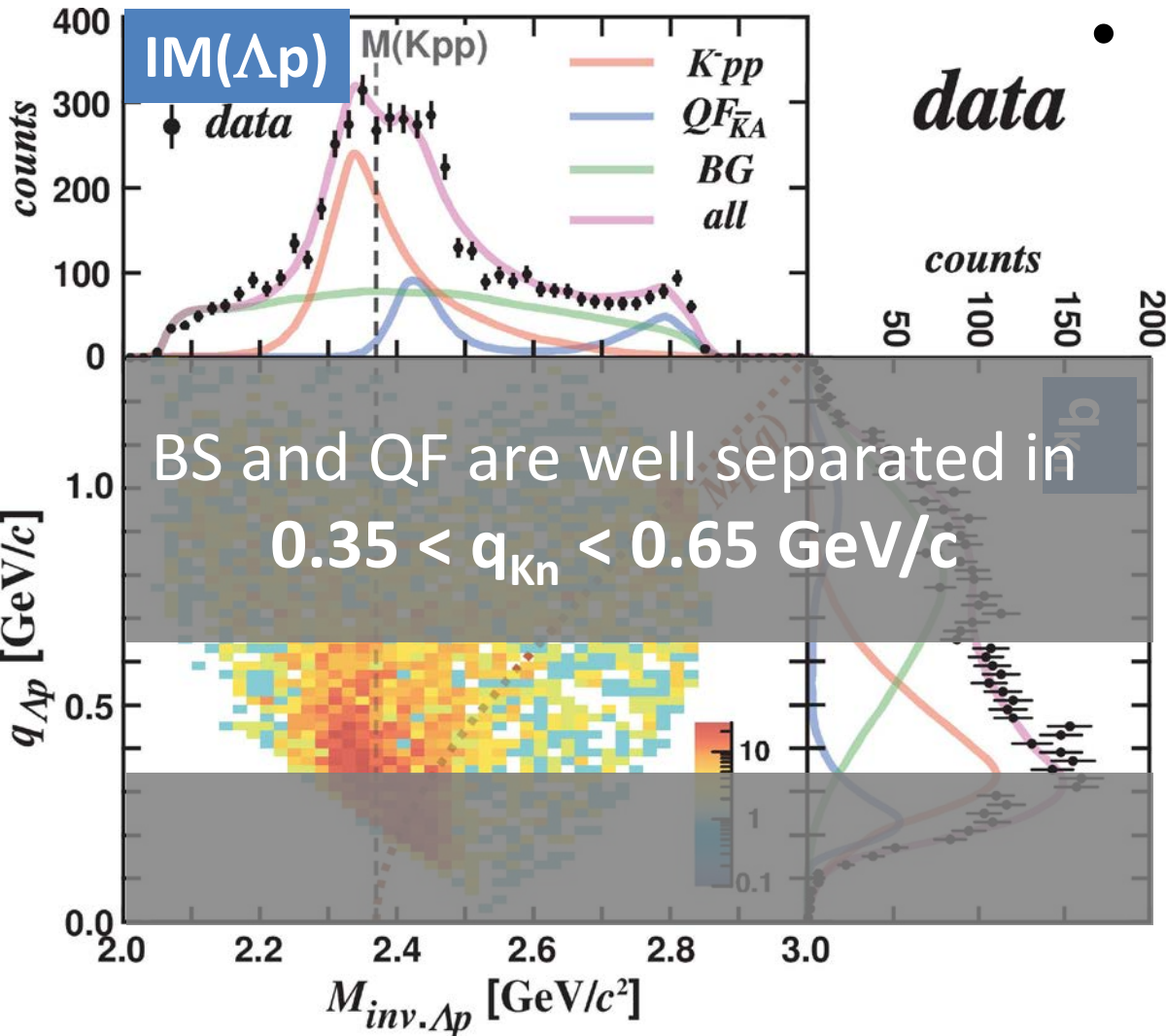
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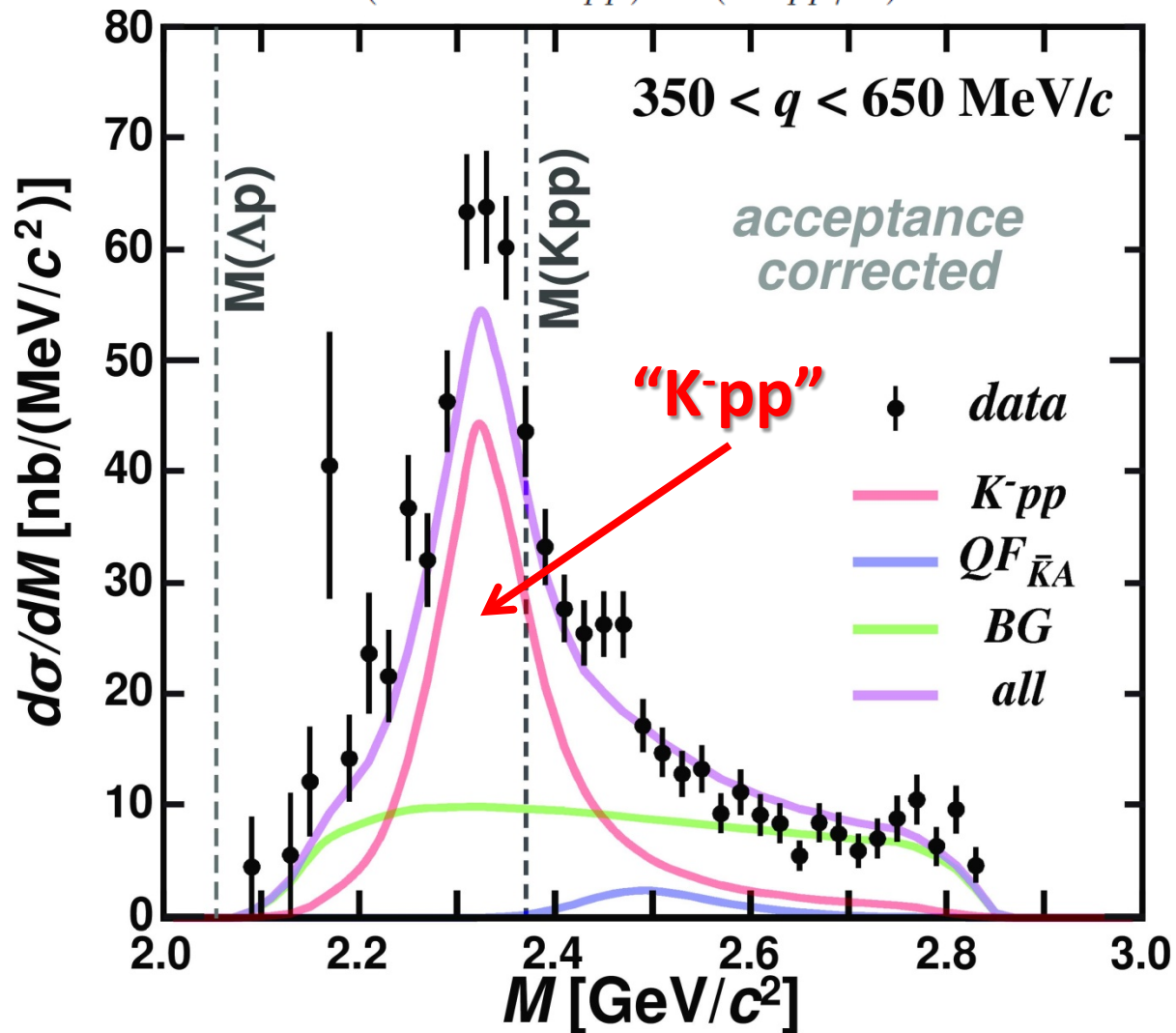
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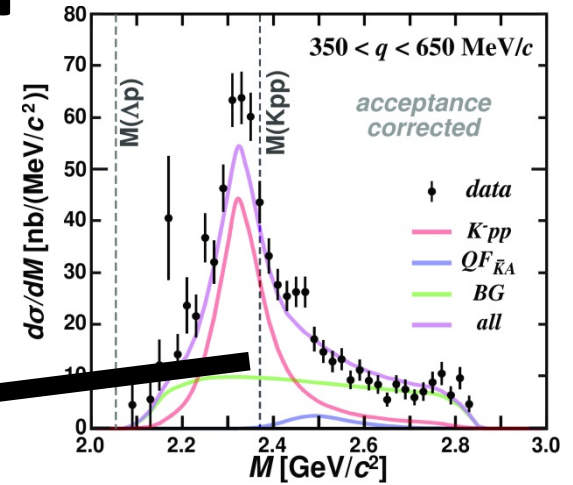
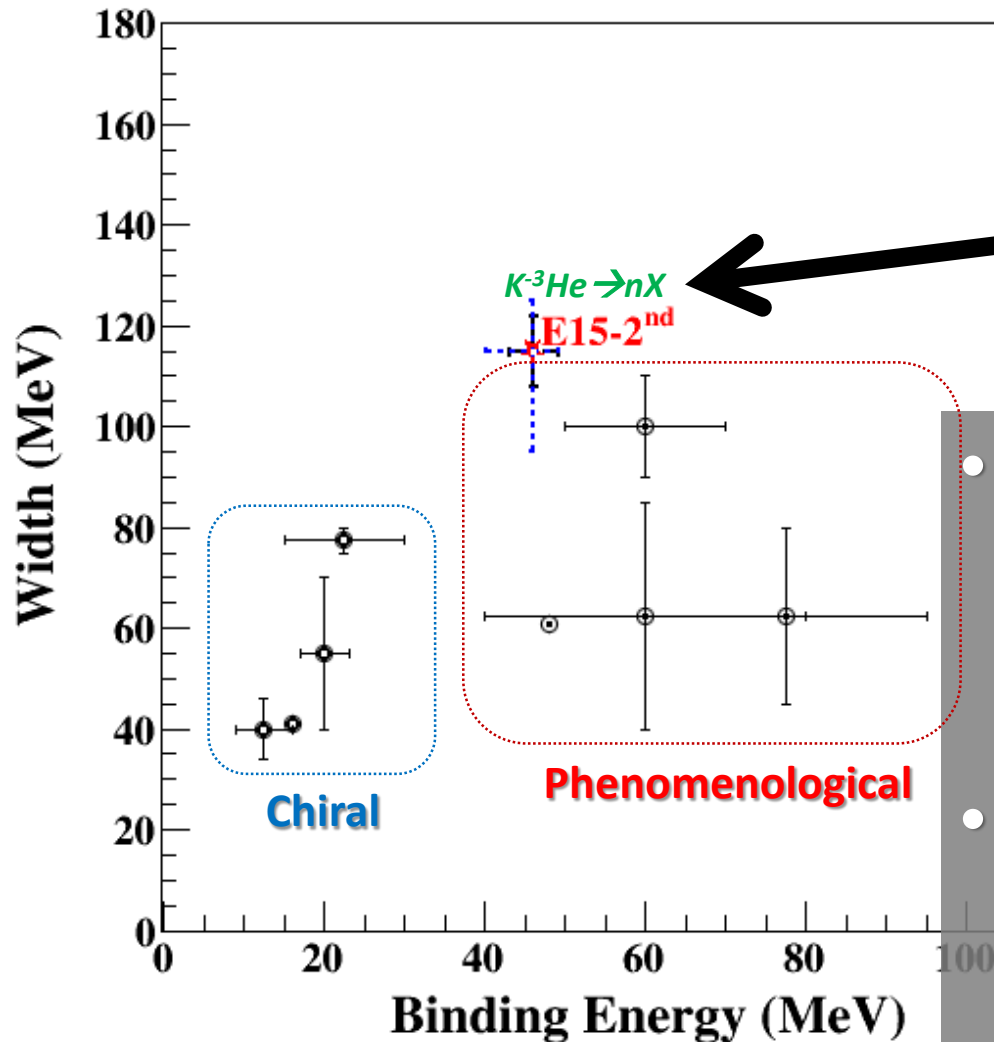
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“K⁻pp” Bound-State

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Observed “K⁻pp”

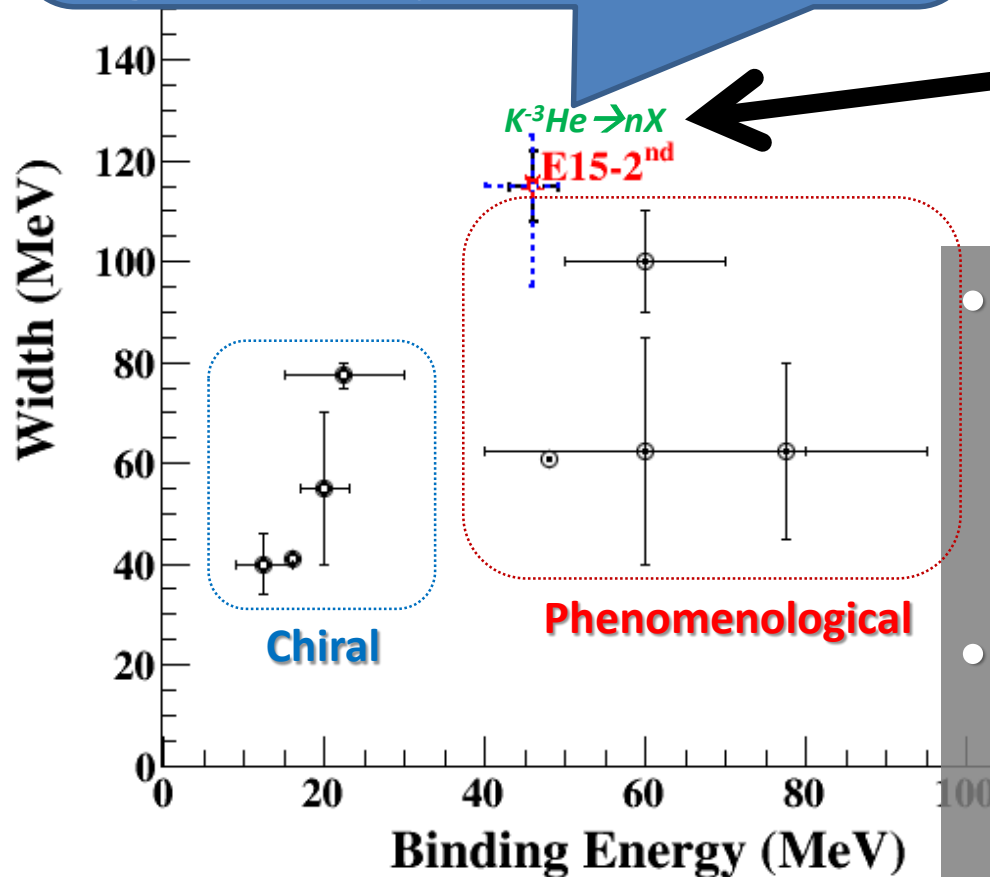
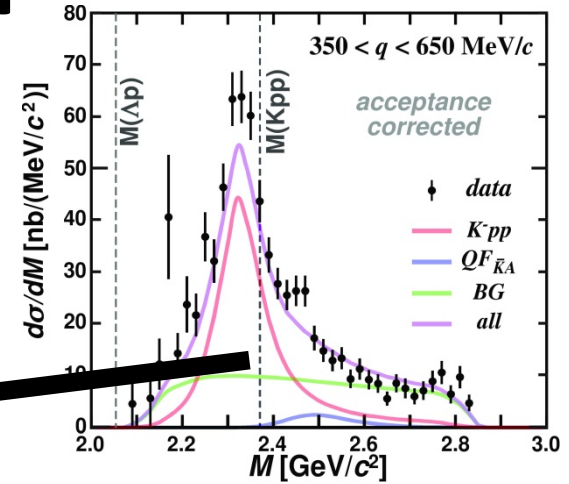


- **Binding energy: ~50 MeV**
 - Much deeper than chiral-SU(3) based theoretical predictions
- **Width: ~100 MeV**
 - Seems to be larger than theoretical calculations (mesonic πY decays only)

Observed “K⁻pp”

the most reliable observation

- simple K⁻ induced reaction
- exclusive measurement
- good BG separation from 2NA



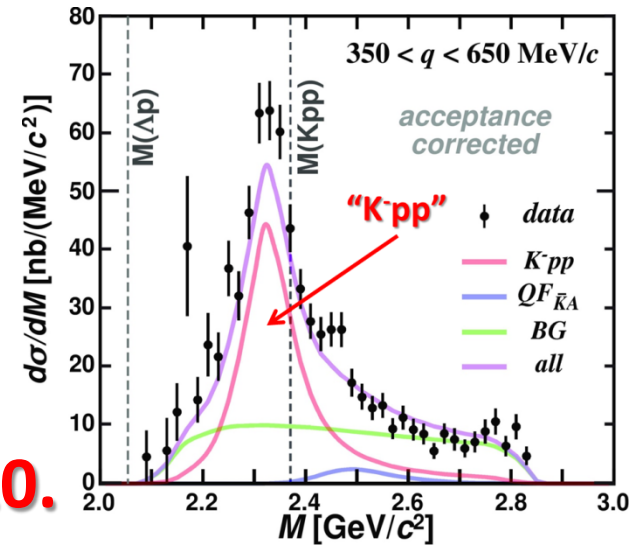
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Conclusion I

- We observed the “K⁻pp” bound state in ${}^3\text{He}(\text{K}^-, \Lambda p)n$

- Binding energy: ~ 50 MeV
- Width: ~ 100 MeV

← E15 collaboration, PLB789(2019)620.



We need further understanding

- **Spin/Parity of the “K⁻pp”**
 - *New 4π detector system is needed* ← *Future plan*

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 - Only YN non-mesonic decays were reported

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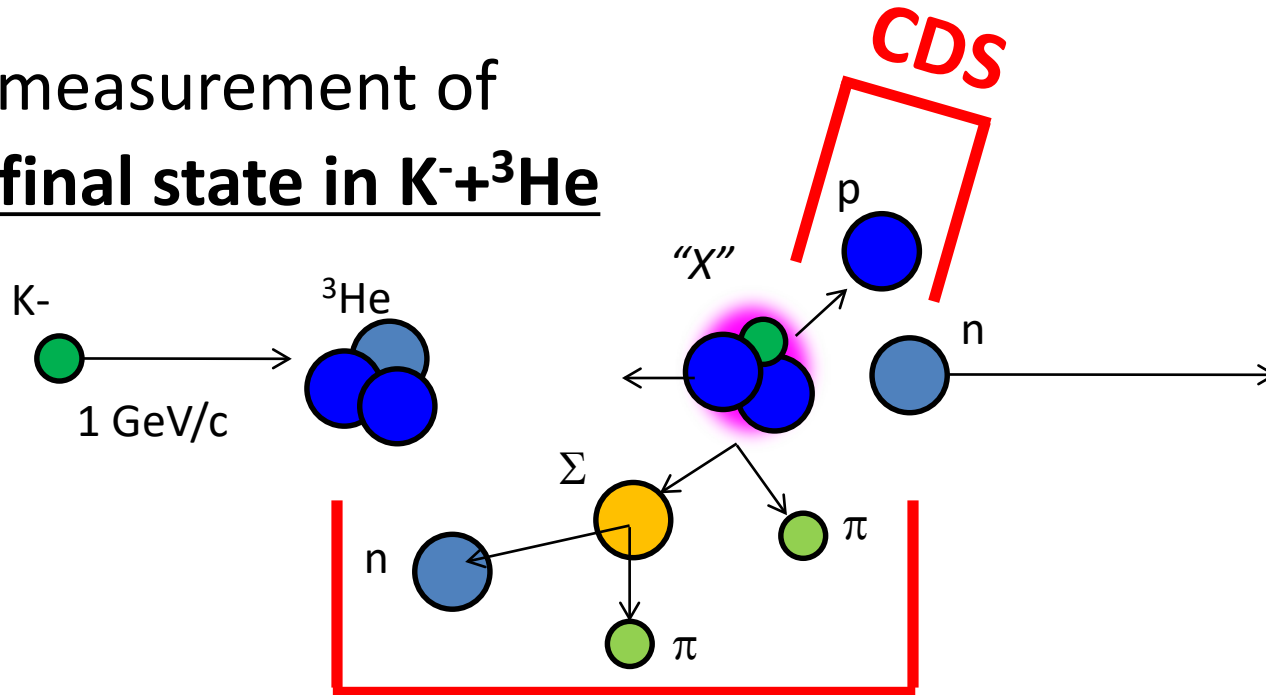
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 - Relation between $\Lambda(1405)$ & “K⁻pp”
 - $\Lambda(1405)$ has been considered as “K⁻p”
 - Theoretically, “K⁻pp” is expected to be produced via $\Lambda(1405)+p \rightarrow$ “K⁻pp” door-way process

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$K^- \ ^3\text{He} \rightarrow \pi \Sigma \text{pn}$ Measurement

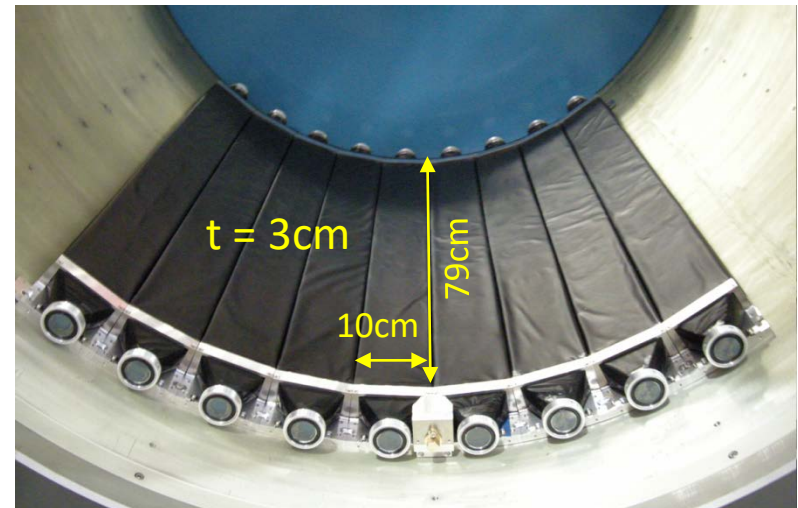
- Exclusive measurement of $\pi^\pm \Sigma^\mp \text{pn}$ final state in $K^- + ^3\text{He}$



CDS

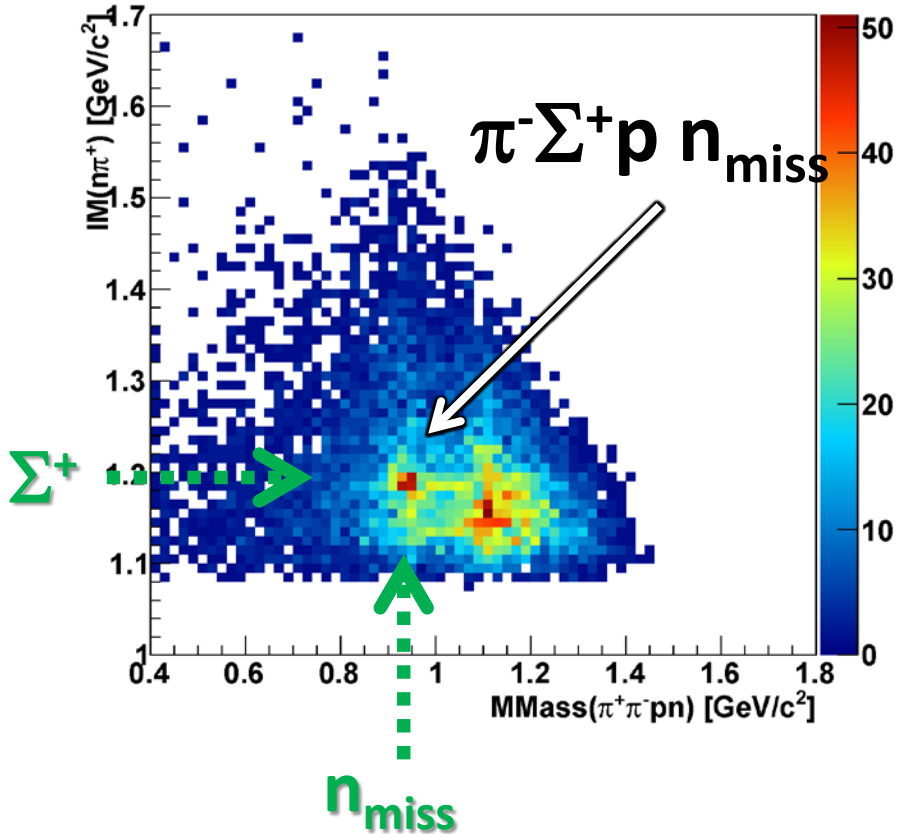
- Experimental challenge of neutron detection with thin scintillation counter ($t=3\text{cm}$)

n detection efficiency $\sim 3\text{-}10\%$

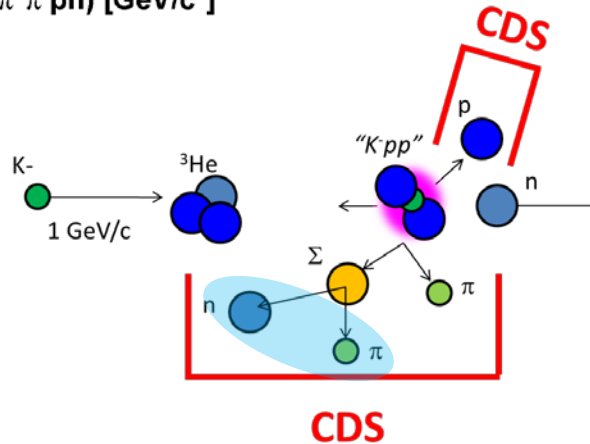
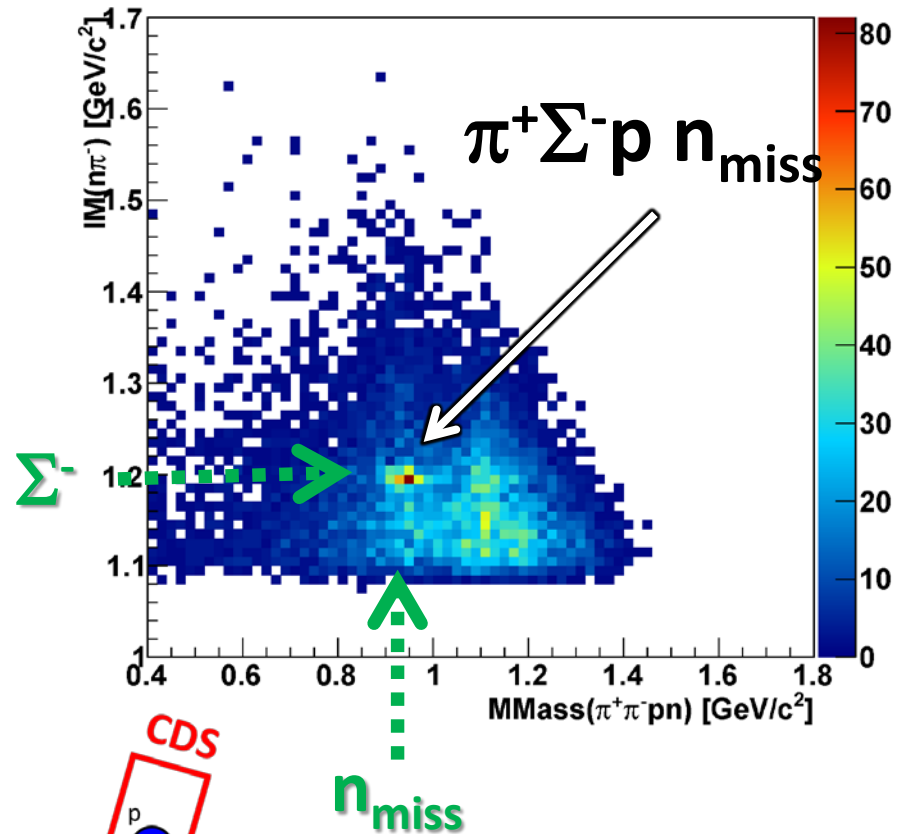


$\pi\Sigma pn$ Events

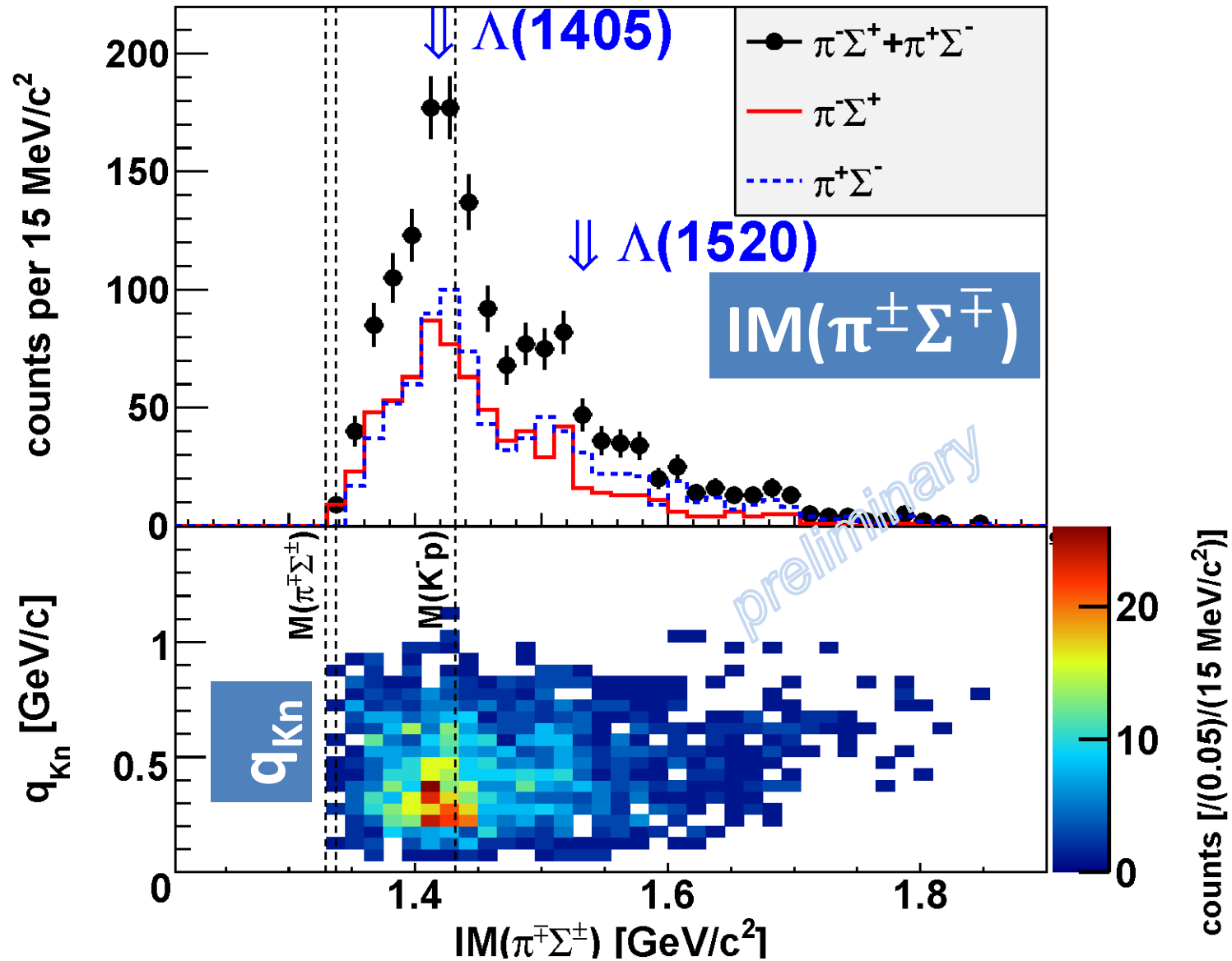
IM($n\pi^+$) vs MM($\pi^+\pi^-pn$)



IM($n\pi^-$) vs MM($\pi^+\pi^-pn$)



IM($\pi^\pm \Sigma^\mp$) in $\pi^\pm \Sigma^\mp pn$ Final State



$\Lambda(1405)$ can be clearly seen in low q_{Kn}

Y^*pn Final State

$\Lambda(1405)$

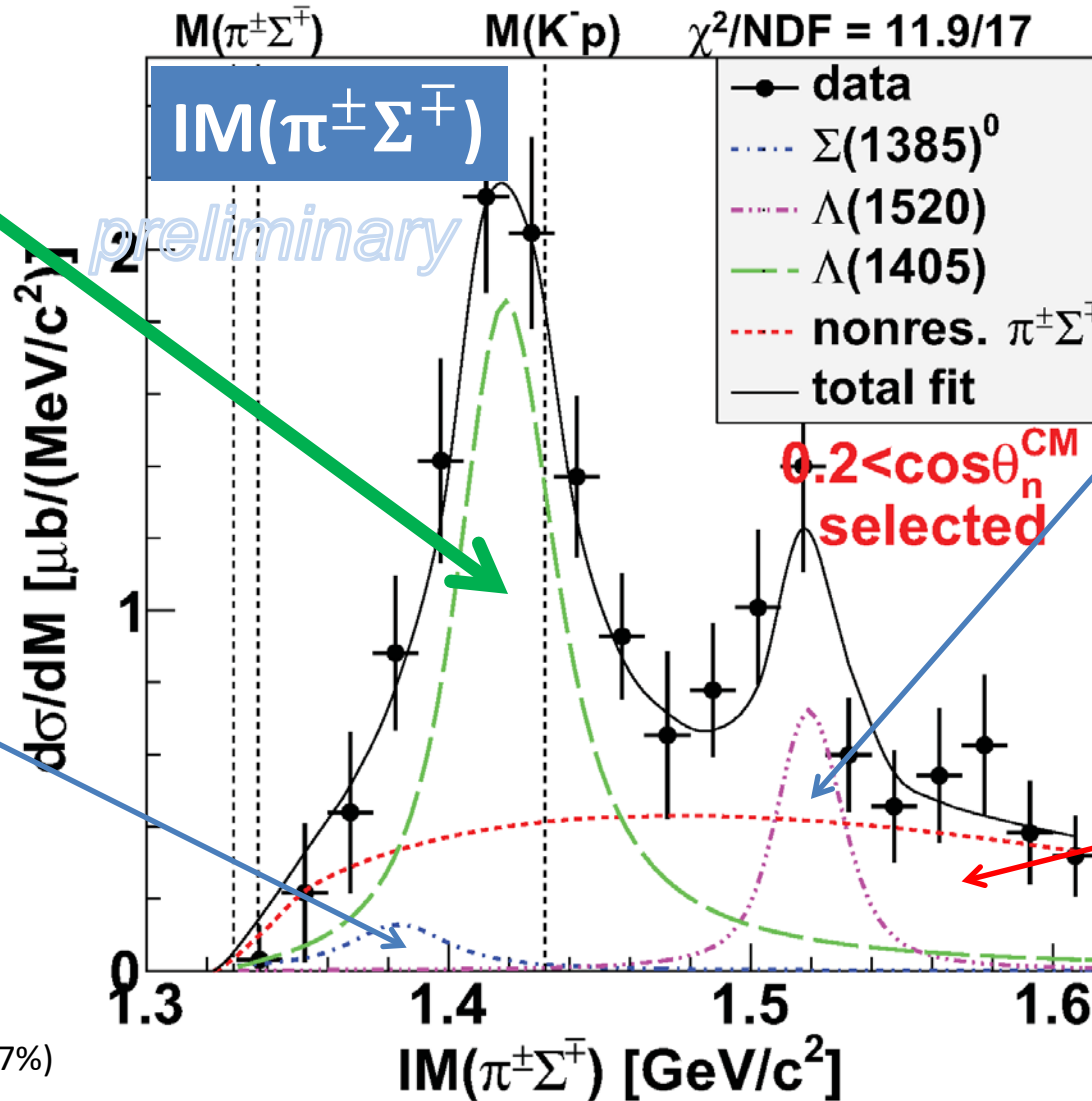
$\sim 150 \mu\text{b}$

Fit w/ Flatté formula:
 $\text{Re}(z) \sim 1420 \text{ MeV}$
 $-\text{Im}(z) \sim 15 \text{ MeV}$

$\Sigma^0(1385)$

$\sim 20\text{-}100 \mu\text{b}$
*[evaluated from
 $\Sigma^+/\text{--}(1385) \rightarrow \pi^+/\text{--}\Lambda$
 measurement]*

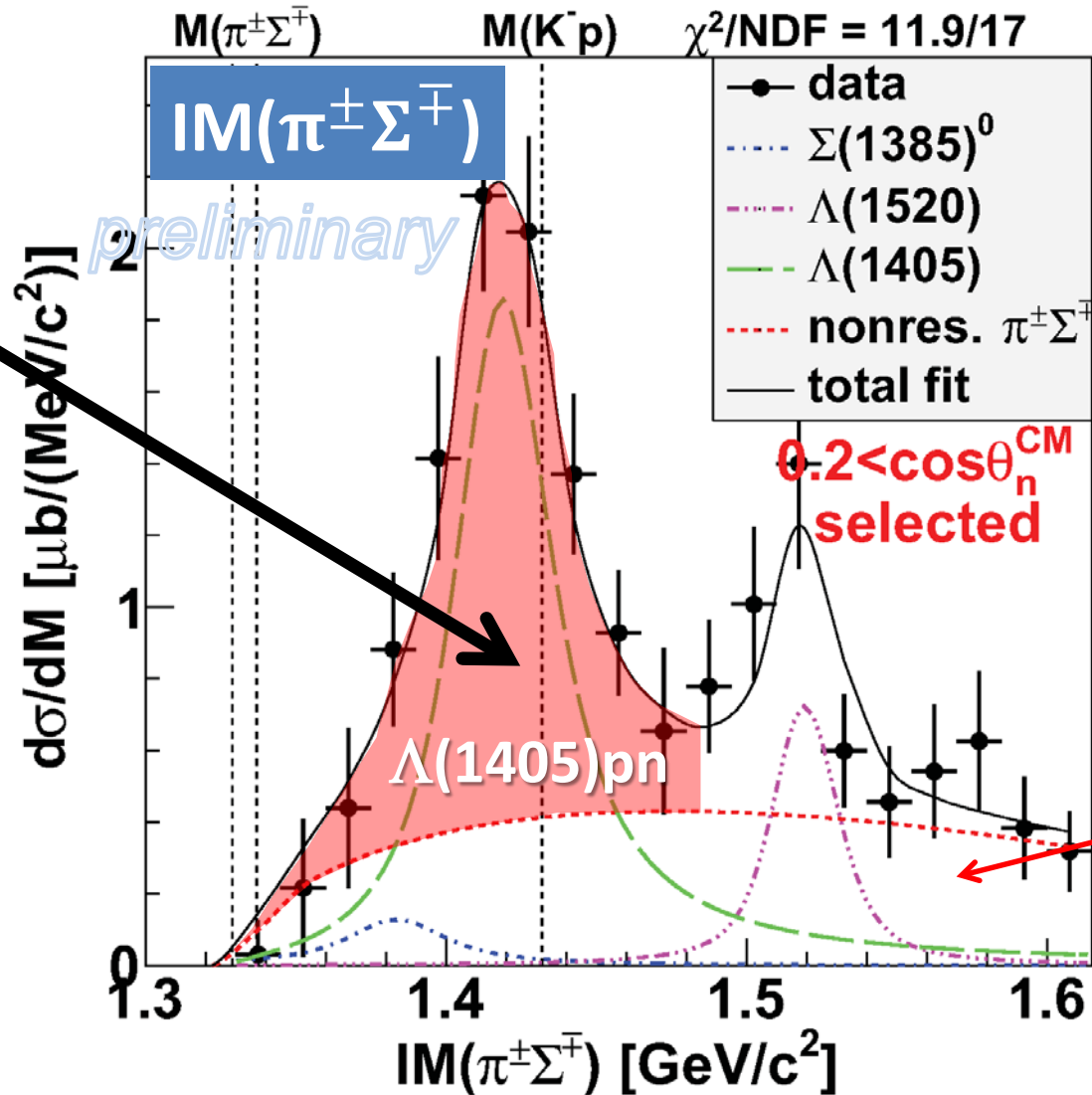
$(\Sigma(1385) \rightarrow \pi\Lambda/\pi\Sigma : 87.0/11.7\%)$



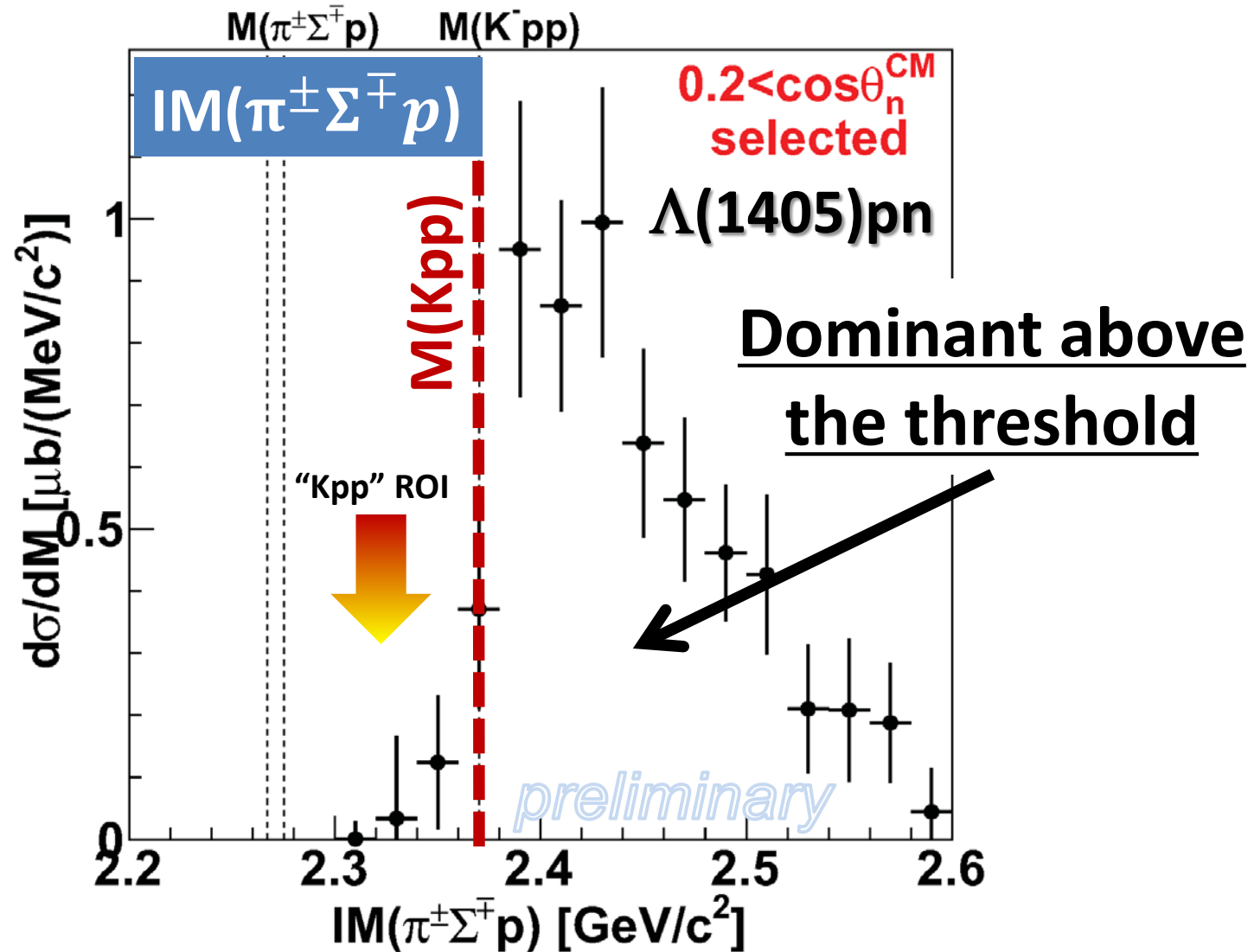
$\Lambda(1405)pn$ Final State Selection

Select
 $\Lambda(1405)pn$
final state

- Below $\Lambda(1520)$
- Small contribution from $\Sigma(1385)$



IM($\pi\Sigma p$) in $\Lambda(1405)pn$ Final State

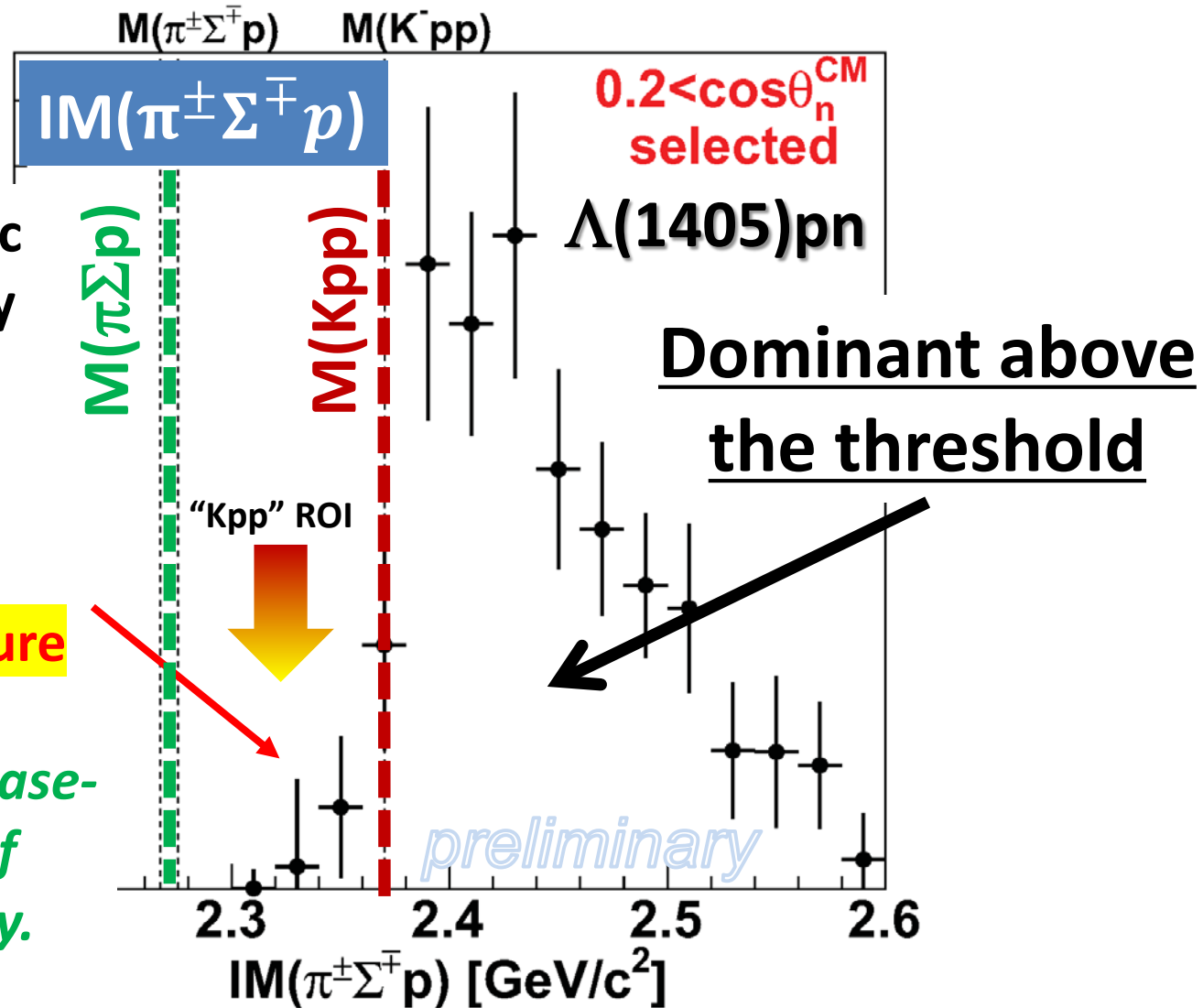


IM($\pi\Sigma p$) in $\Lambda(1405)pn$ Final State

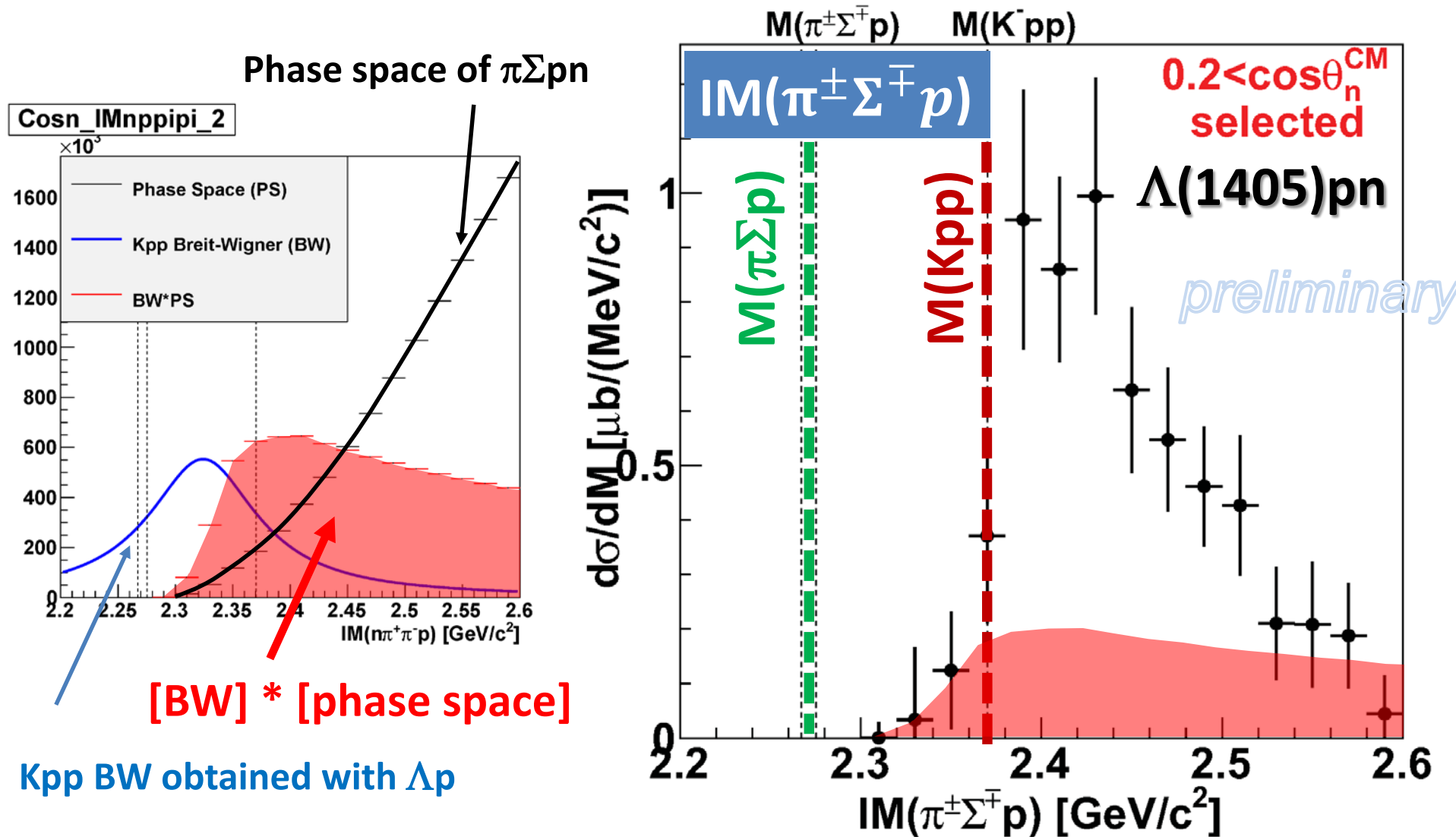
“Kpp” $\rightarrow \pi\Sigma N$ mesonic decay is theoretically expected to be the dominant channel

BUT, statistically, NO significant structure

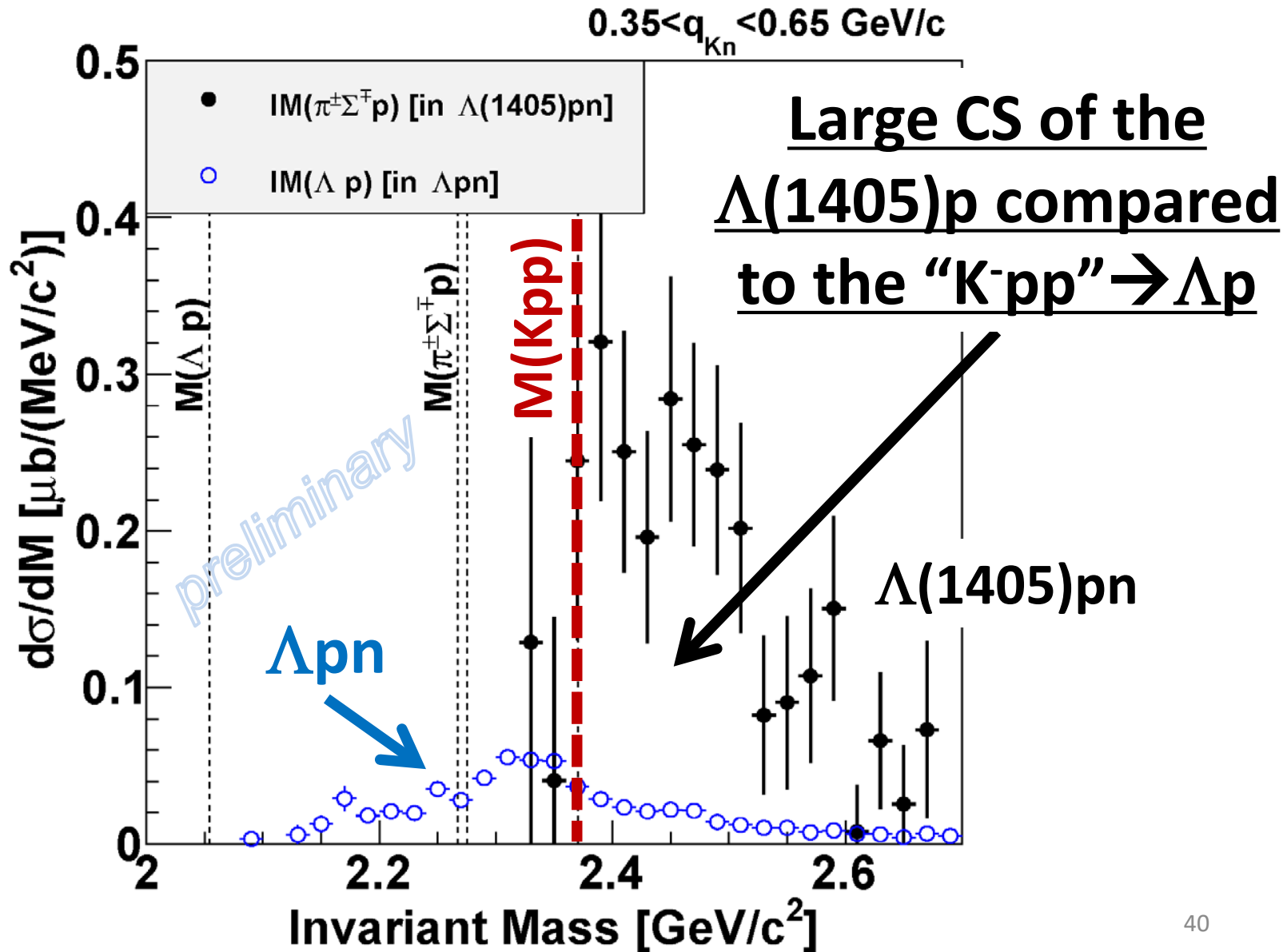
This will be due to phase-space limitation of “K πp ” $\rightarrow \pi\Sigma N$ decay.



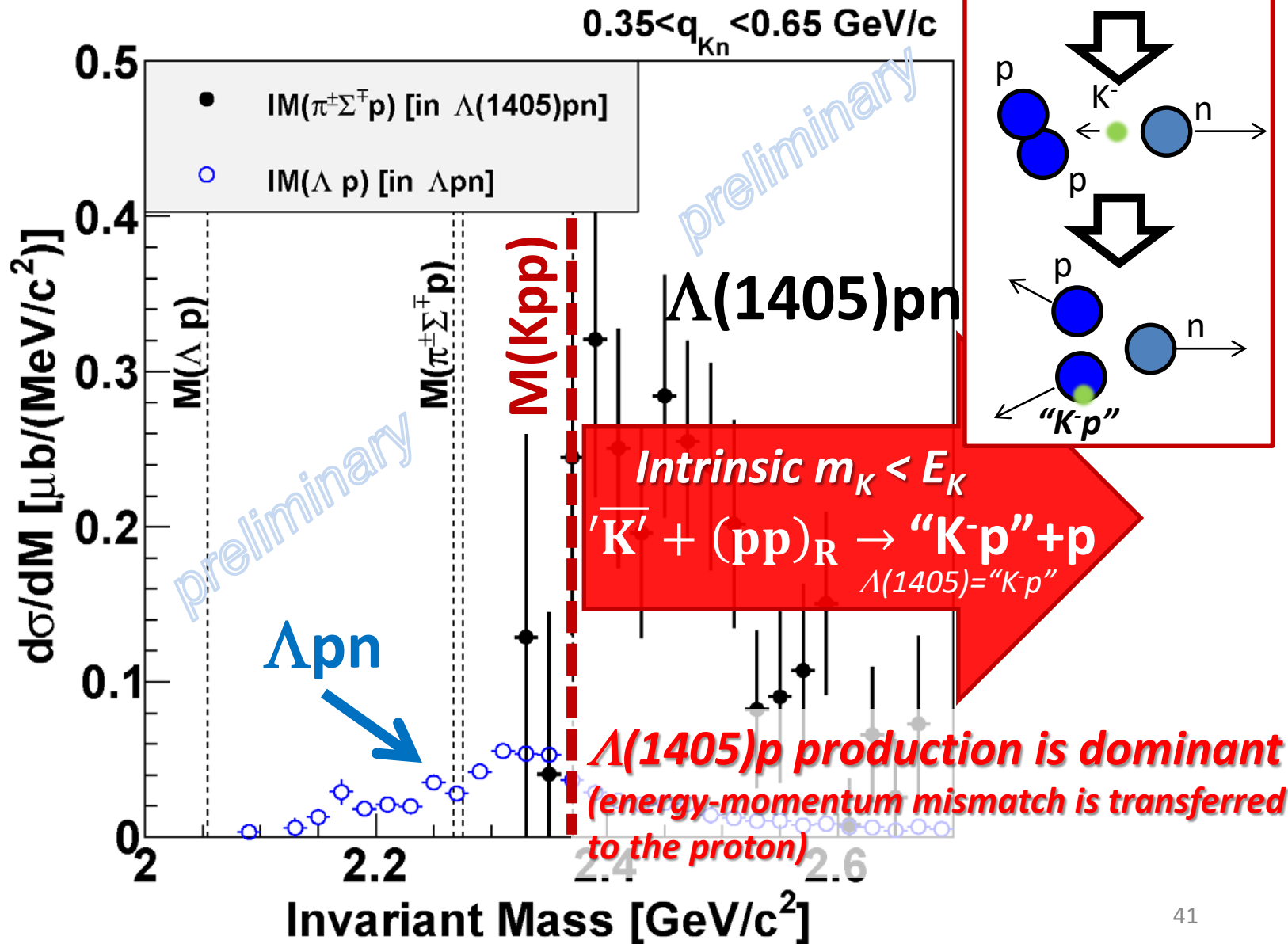
PS Limitation of “K⁻pp” → πΣp Decay



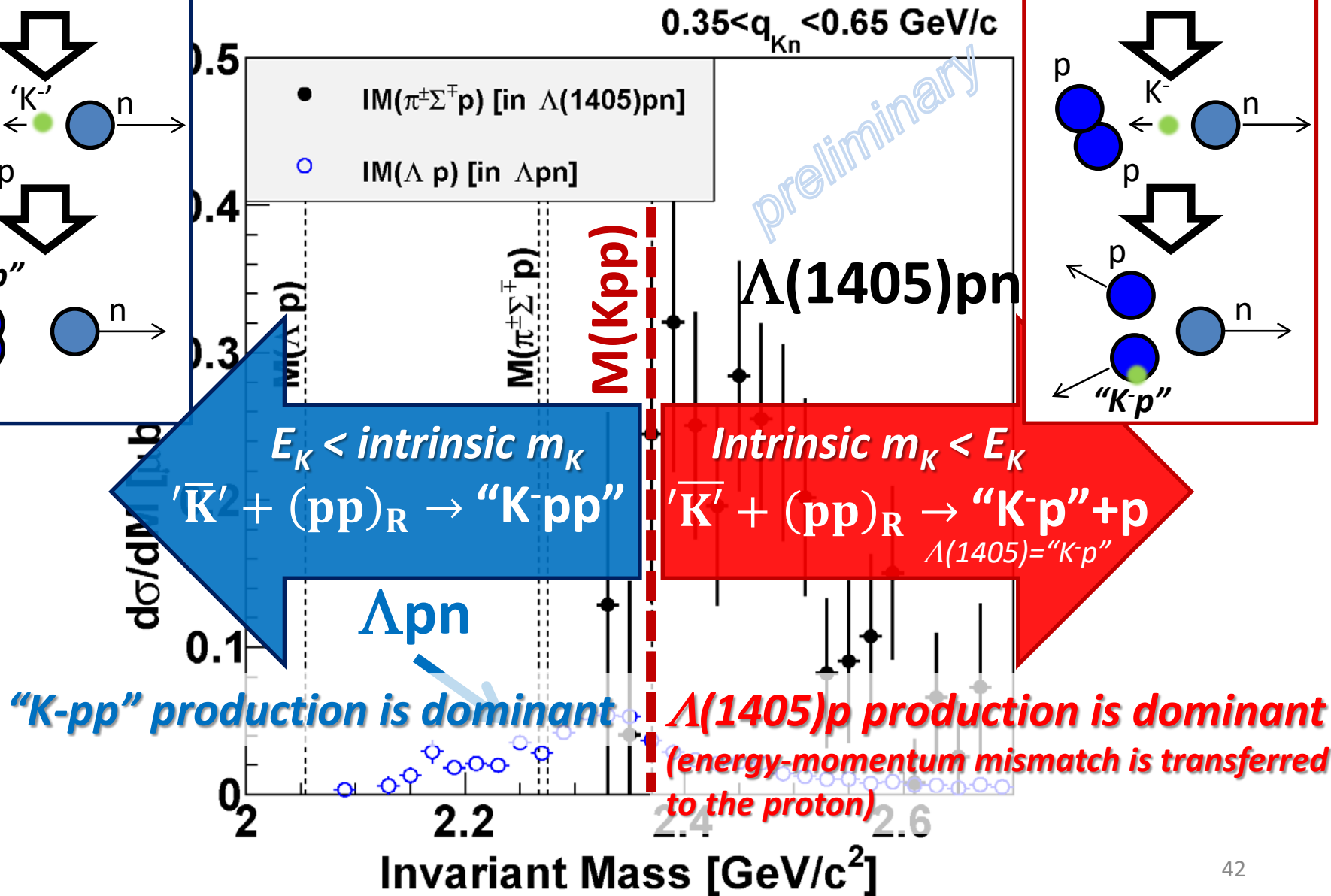
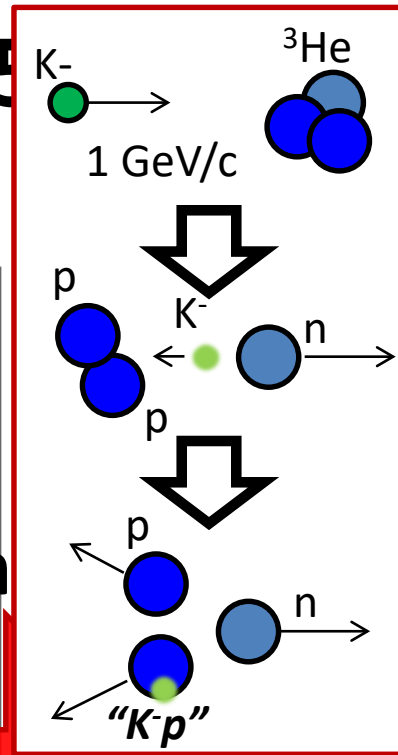
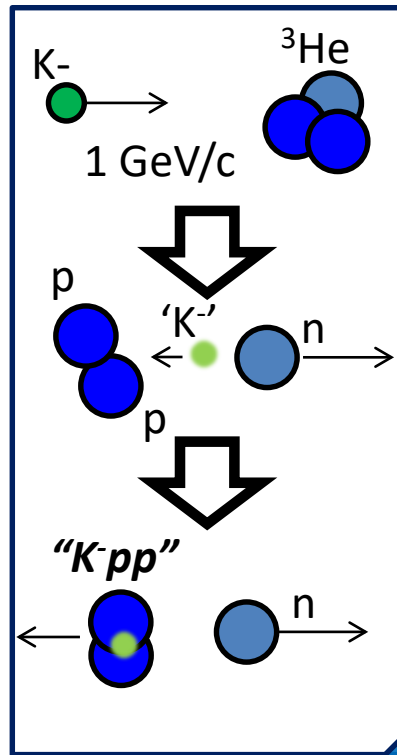
Comparison of $\Lambda p n$ & $\Lambda(1405)p n$



Comparison of Λpn & $\Lambda(1405)$



Comparison of Λ pn & $\Lambda(1405)$

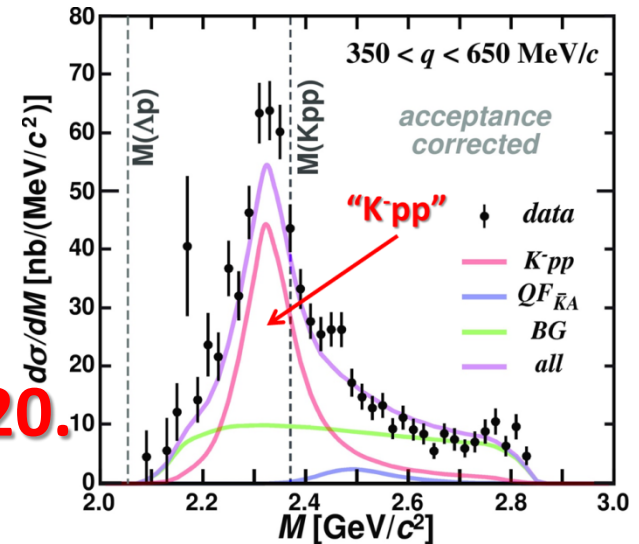


Conclusion II

- We observed the “K⁻pp” bound state in ${}^3\text{He}(\text{K}^-, \Lambda p)n$

- Binding energy: ~ 50 MeV
- Width: ~ 100 MeV

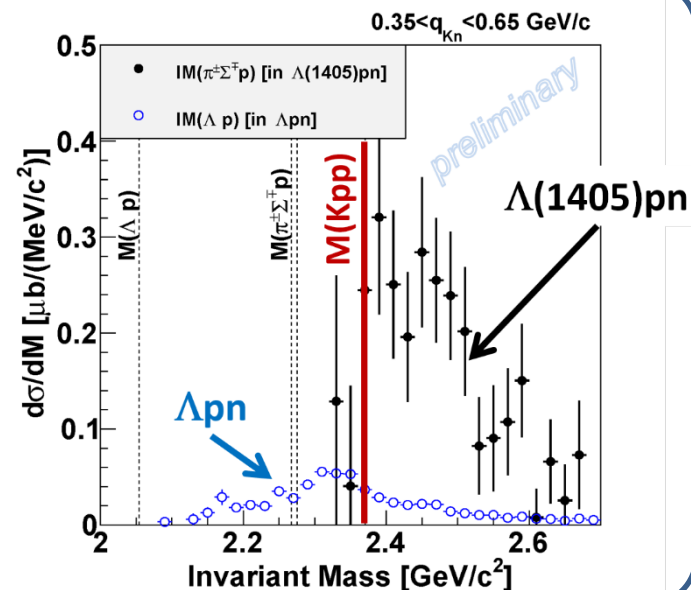
← E15 collaboration, PLB789(2019)620.



- We found large CS of the $\Lambda(1405)p$ formation compared to the “K⁻pp”

- quite important information on the production mechanism of the “K⁻pp”

← paper in preparation



Need further investigation

- More quantitative studies of the “K⁻pp”

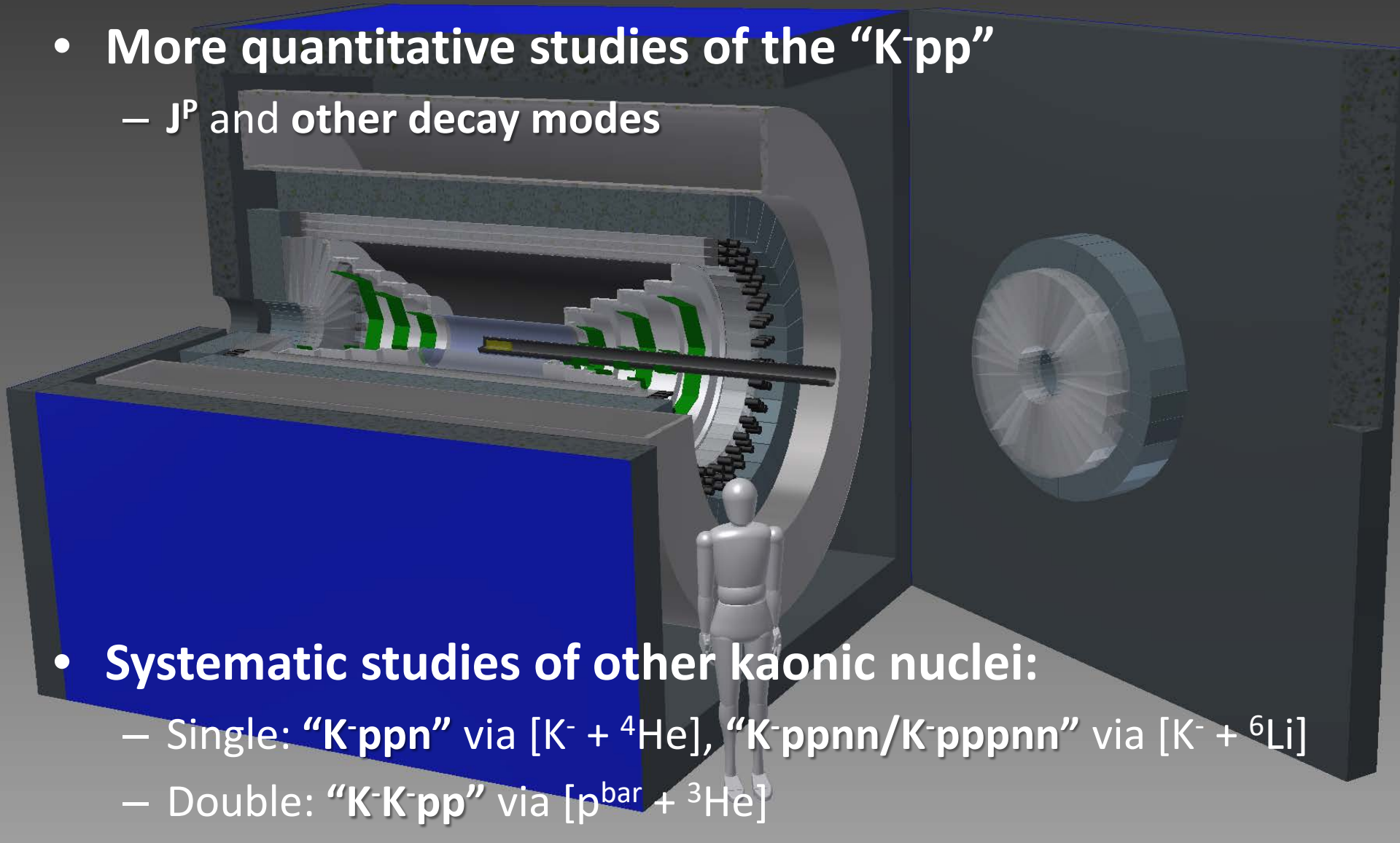
- J^P and other decay modes

- Systematic studies of other kaonic nuclei:

- Single: “K⁻ppn” via [K⁻ + ⁴He], “K⁻ppnn/K⁻pppnn” via [K⁻ + ⁶Li]

- Double: “K⁻K⁻pp” via [p^{bar} + ³He]

A new 4 π detector with γ /n sensitive detectors is required



Thank You!

J-PARC E15 Collaboration

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Spares

“K-pp” Bound-State

$$f_{\{Kpp\}}(M, q) = \frac{A_{Kpp} (\Gamma_{Kpp}/2)^2}{(M - M_{Kpp})^2 + (\Gamma_{Kpp}/2)^2} e^{-\left(\frac{q}{Q_{Kpp}}\right)^2},$$

Fit values

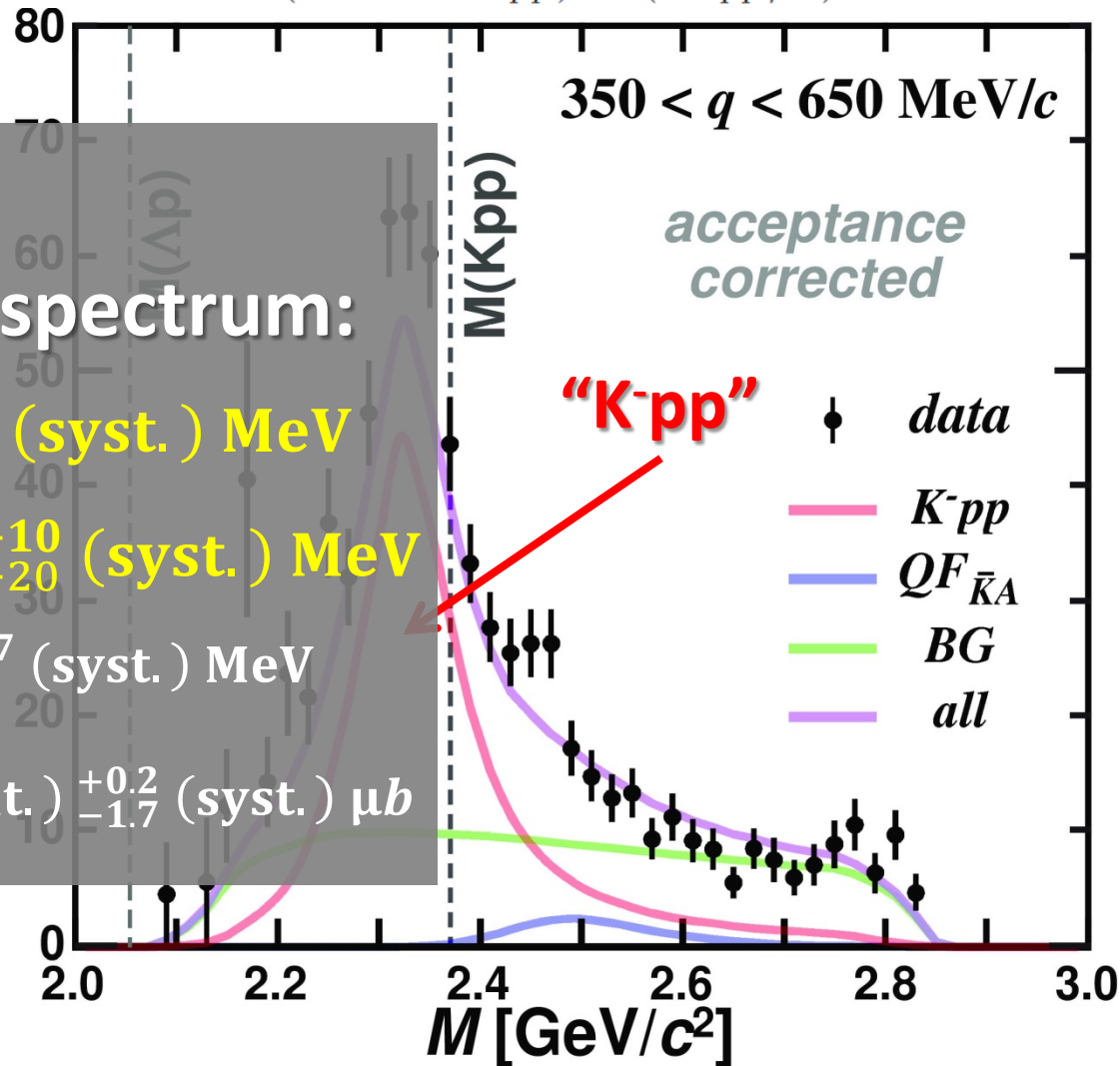
that reproduce the spectrum:

$$B_{\text{“Kpp”}} = 47 \pm 3 \text{ (stat.) } {}^{+3}_{-6} \text{ (syst.) MeV}$$

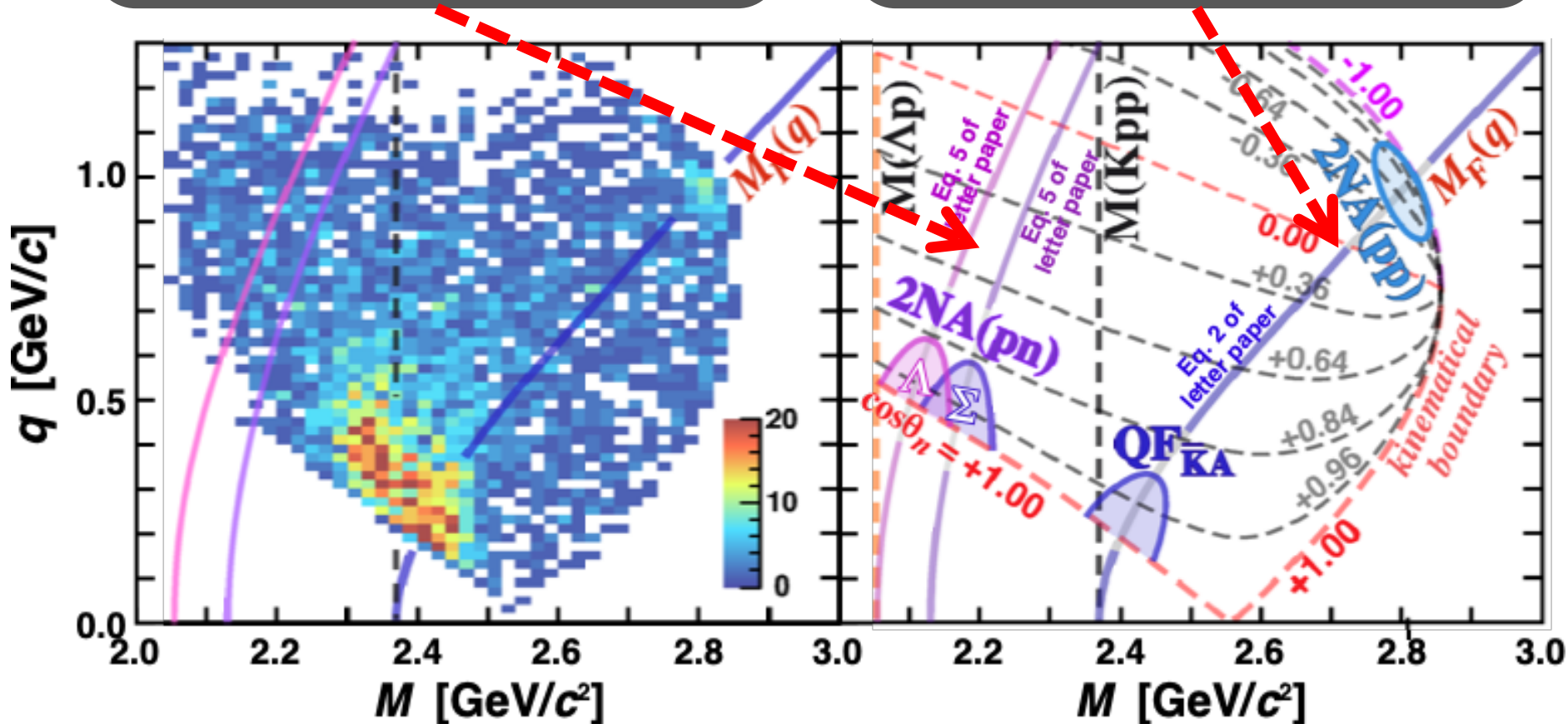
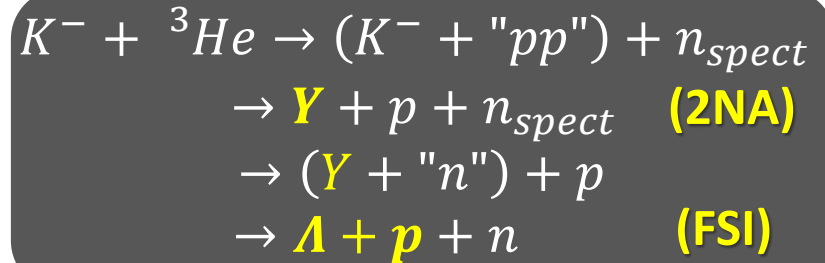
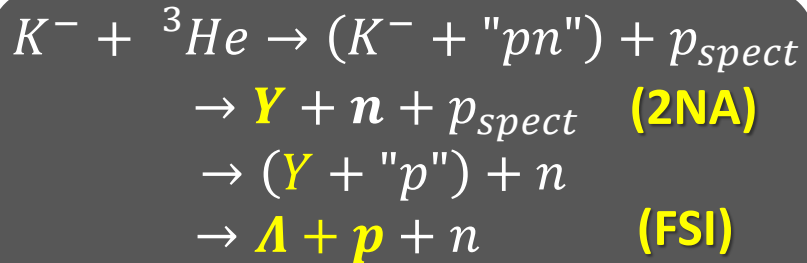
$$\Gamma_{\text{“Kpp”}} = 115 \pm 7 \text{ (stat.) } {}^{+10}_{-20} \text{ (syst.) MeV}$$

$$Q_{\text{“Kpp”}} = 381 \pm 14 \text{ (stat.) } {}^{+57}_{-0} \text{ (syst.) MeV}$$

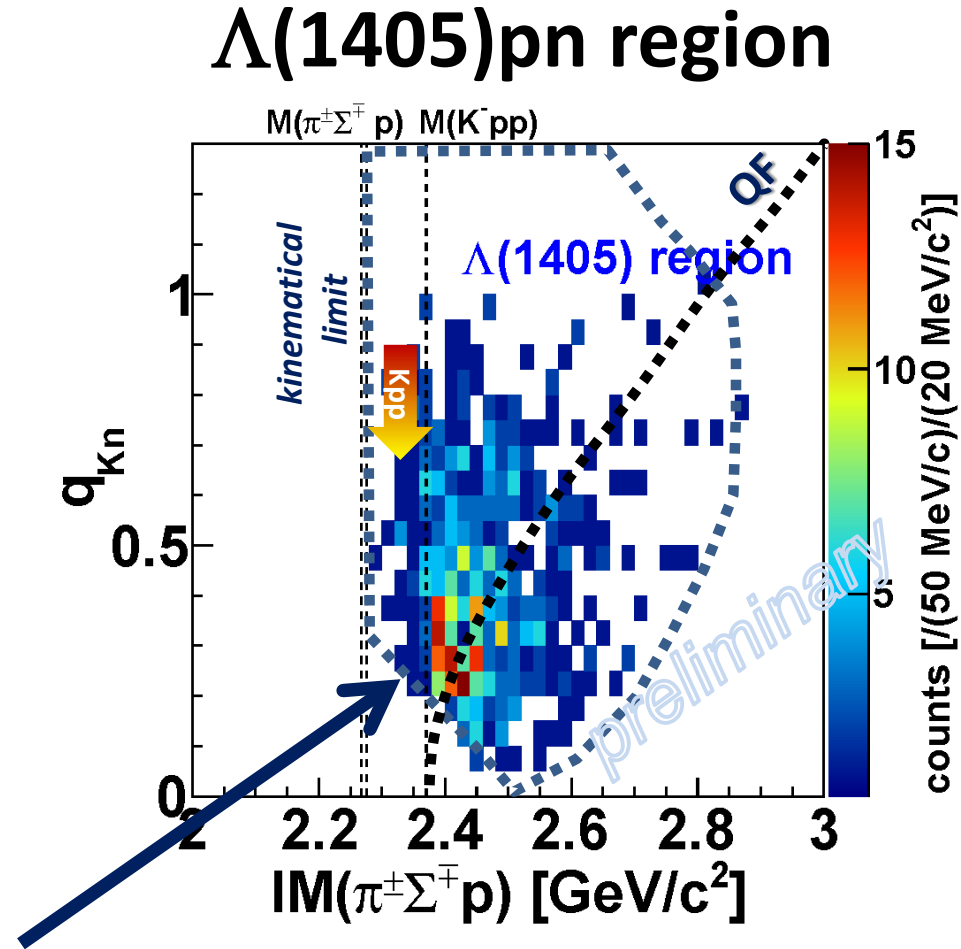
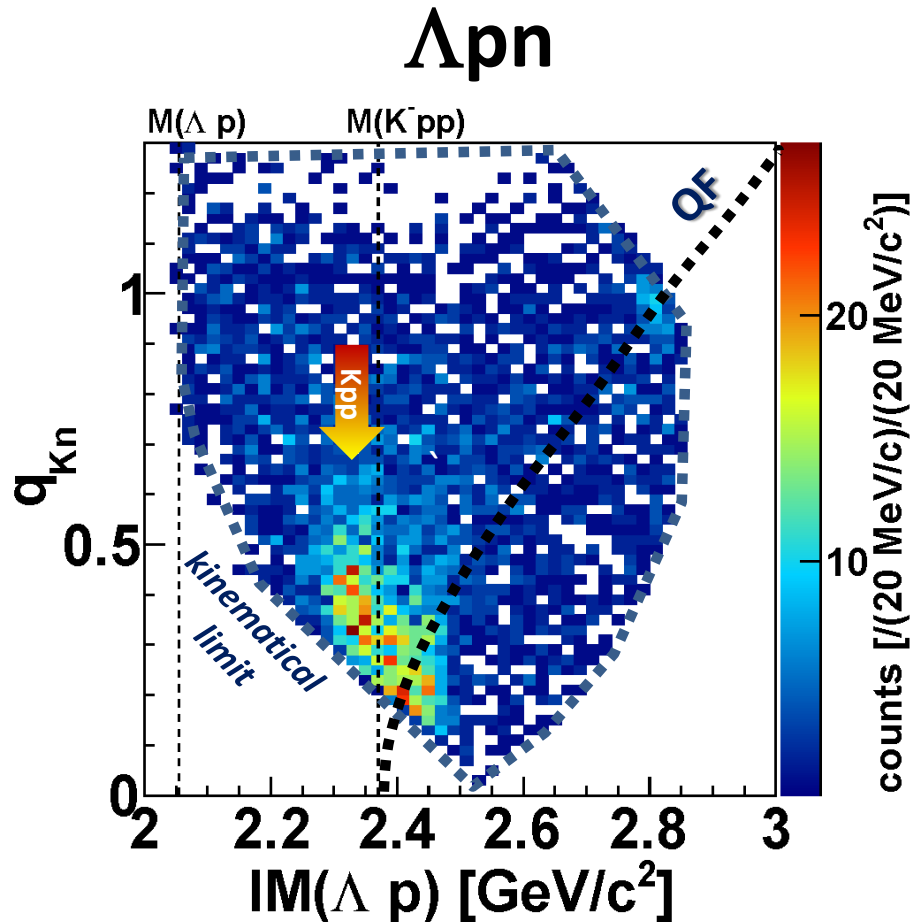
$$\sigma_{\text{“Kpp”}} \cdot Br_{\Lambda p} = 11.8 \pm 0.4 \text{ (stat.) } {}^{+0.2}_{-1.7} \text{ (syst.) } \mu b$$



BG: 2NA followed by FSI

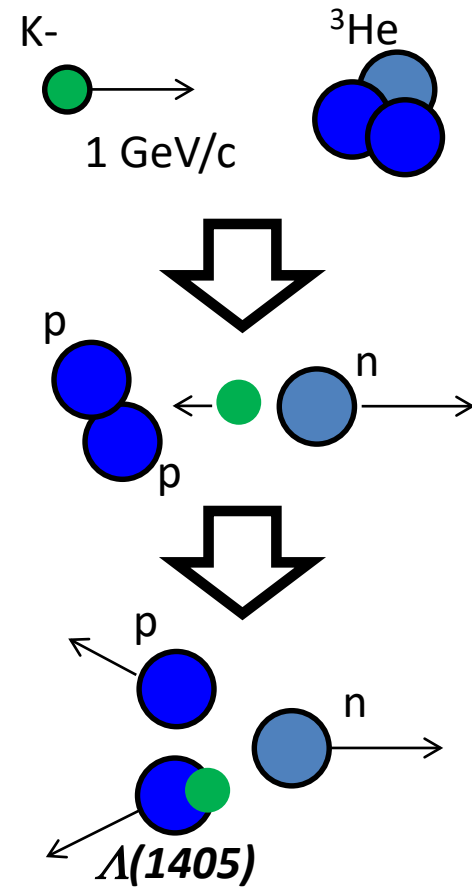
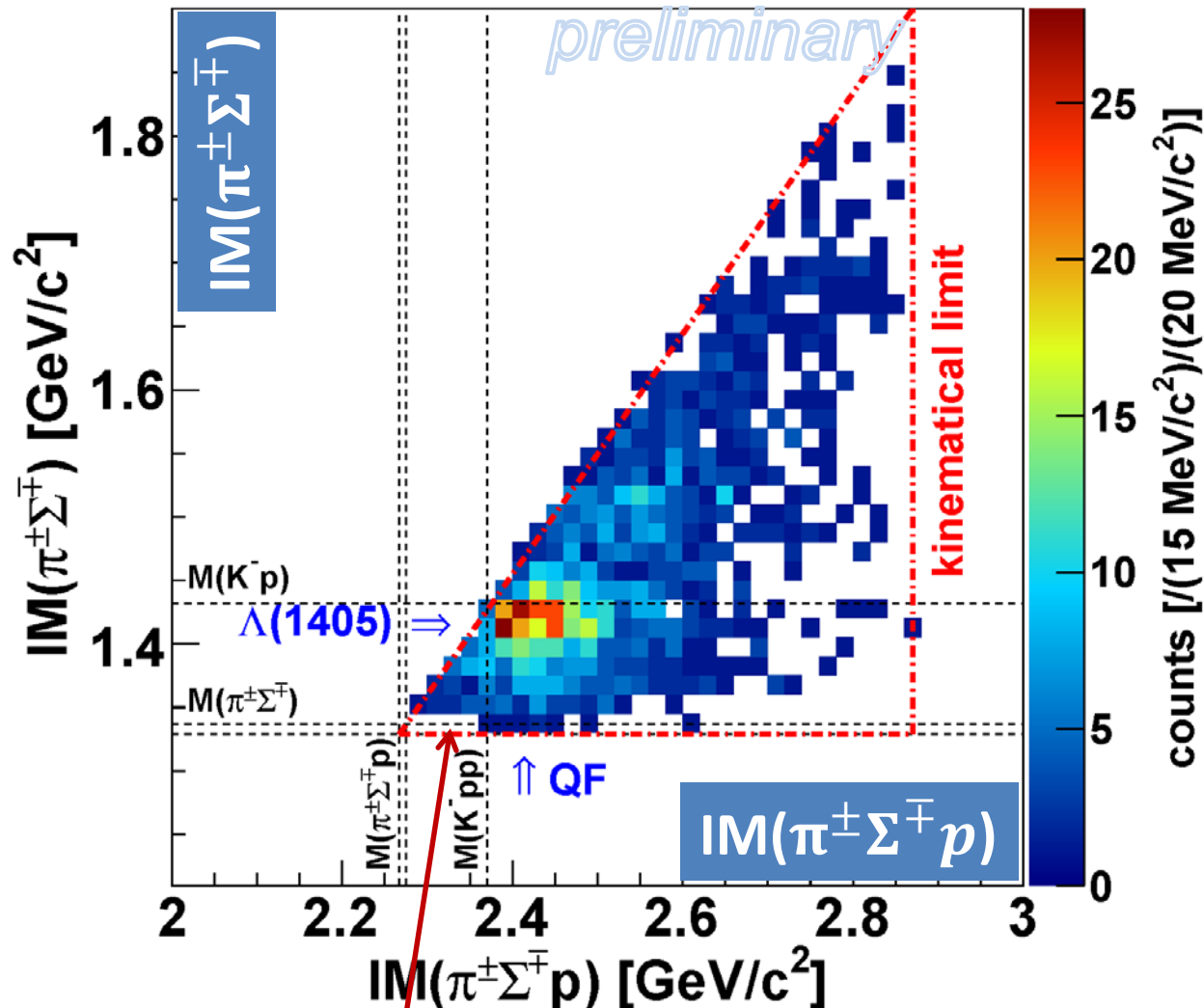


Comparison of Λ pn & $\Lambda(1405)$ pn



- No clear structure below $M(Kpp)$ in the $IM(\pi\Sigma p)$
- QF followed by $\Lambda(1405)p$ is dominant

$IM(\pi^\pm \Sigma^\mp) \text{ vs. } IM(\pi^\pm \Sigma^\mp p)$



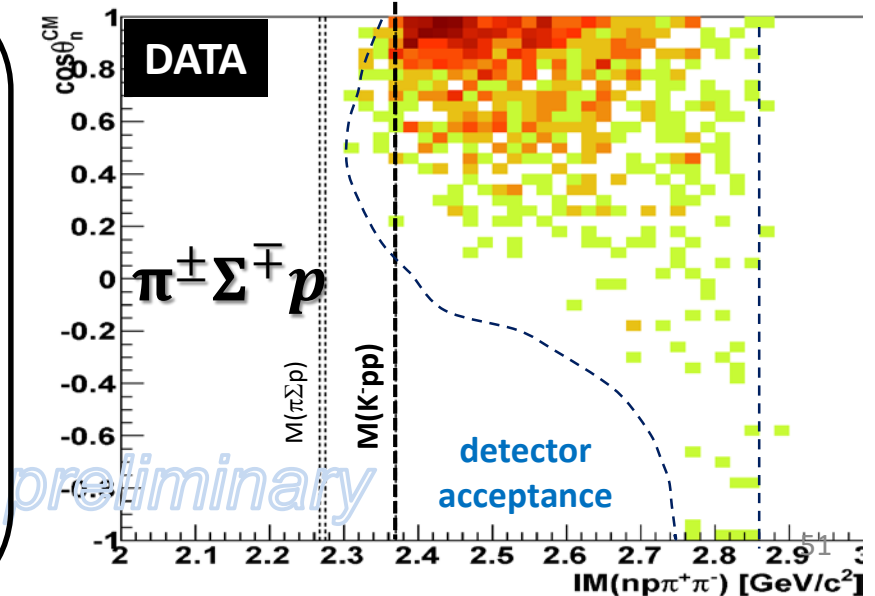
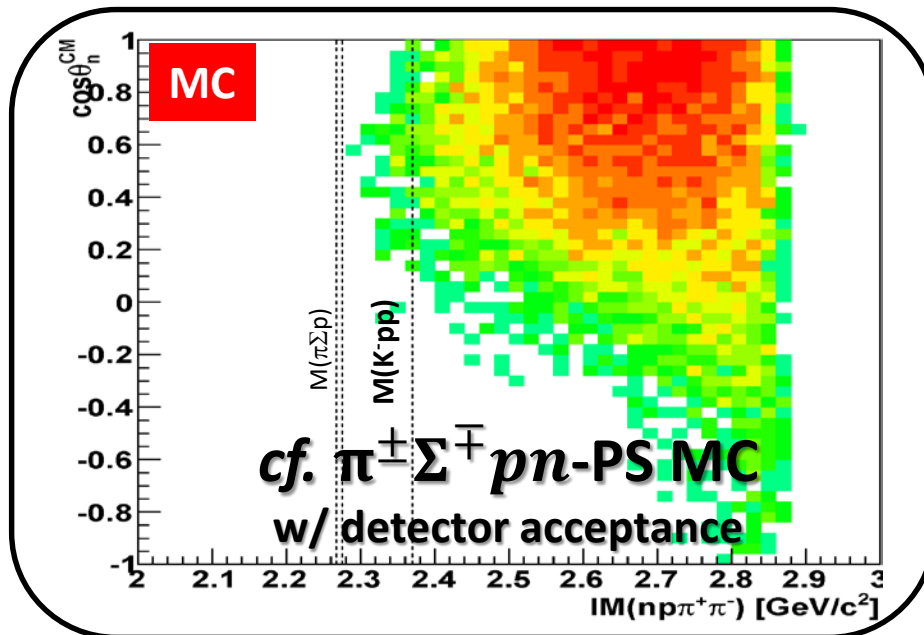
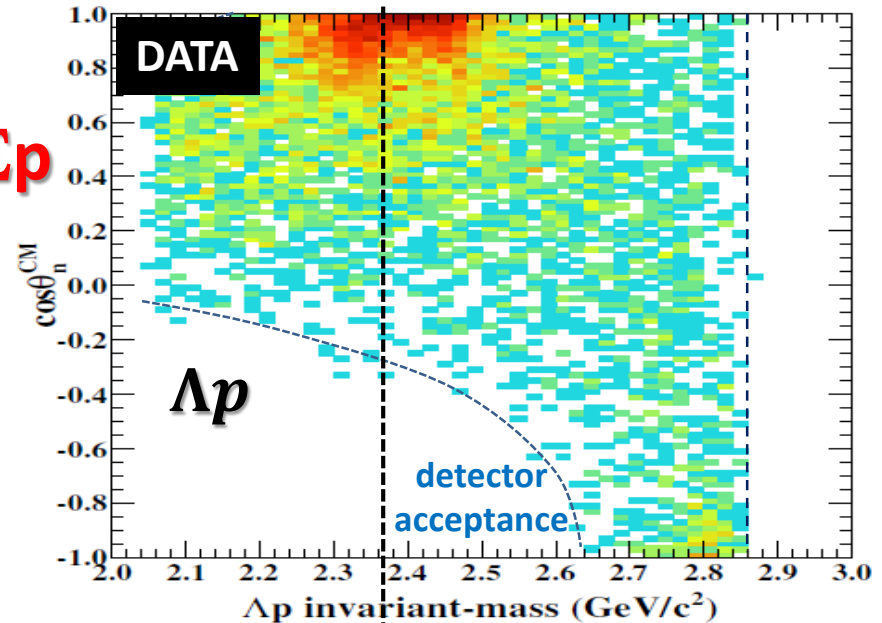
Small phase-space of “ K^-pp ” → $\pi\Sigma N$

Detector Acceptance: Λp vs. $\pi\Sigma p$

- Detector acceptance is different between Λp and $\pi\Sigma p$

- At $\cos\theta_n \sim 1$:

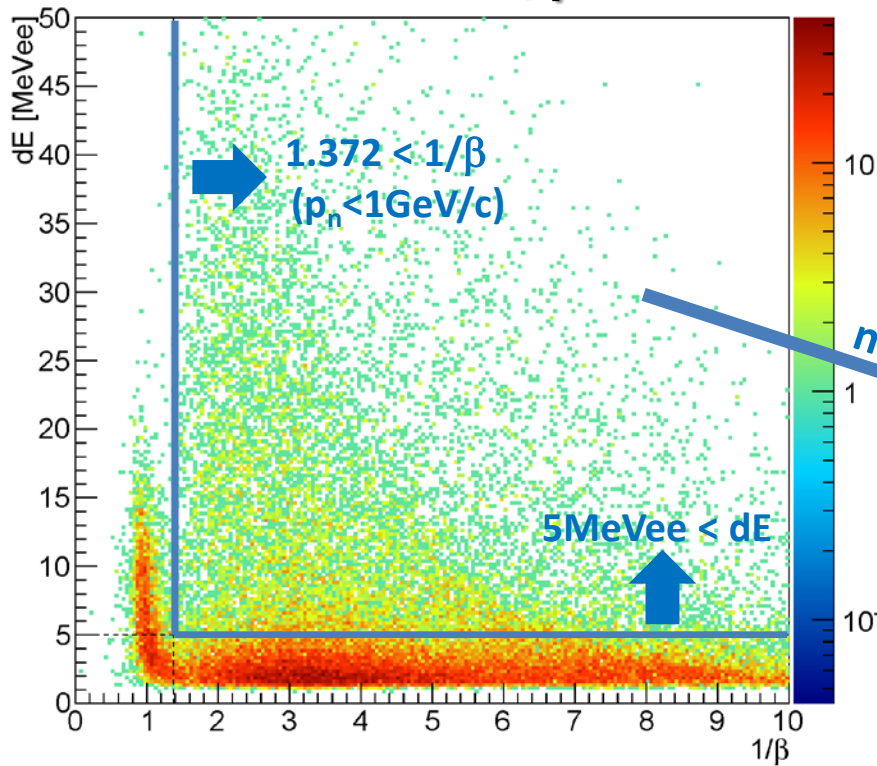
- Λp : flat acceptance
- $\pi\Sigma p$: limited acceptance below the threshold



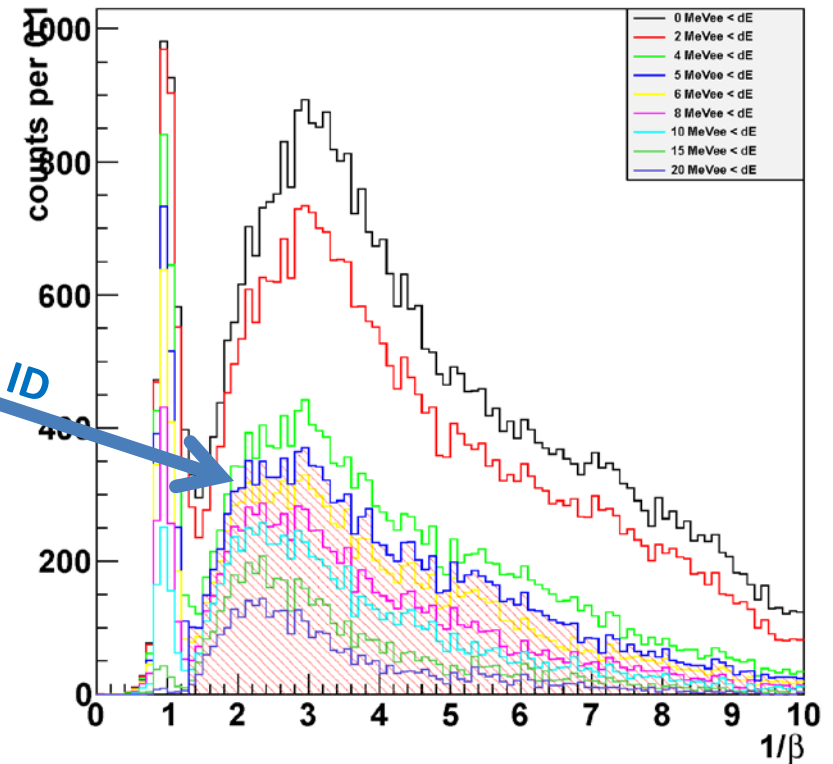
Neutron ID with CDS

- $\pi^+\pi^-p$ events (3 tracks) in CDS with 4 CDH hits are selected
- a CDH hit with CDC-veto (outer-layer) is applied to identify the “neutral hit”

dE vs. $1/\beta$

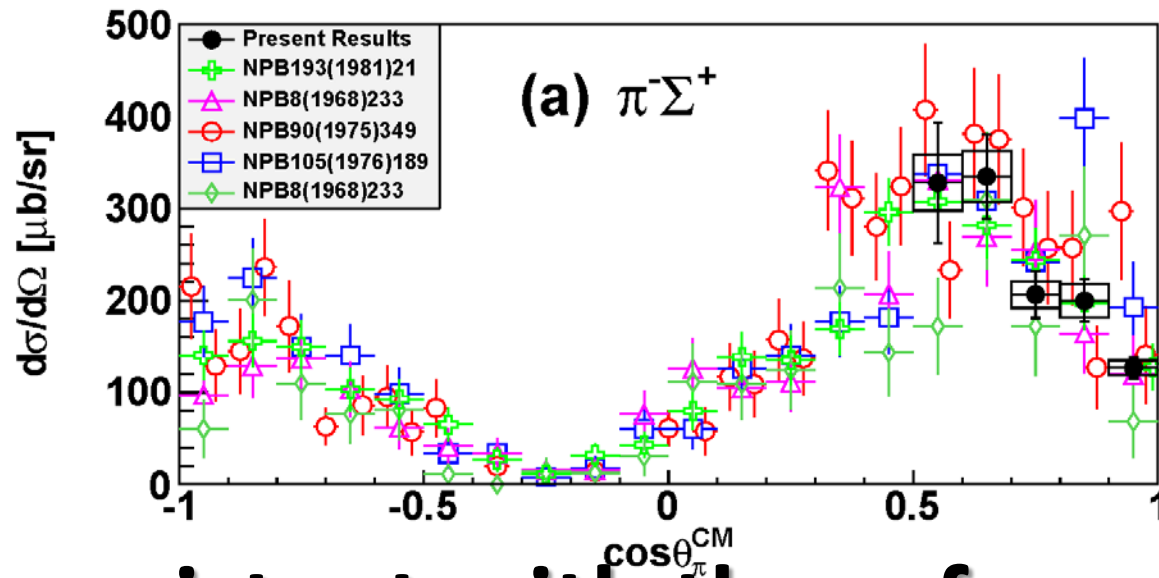


dE-cut dependence

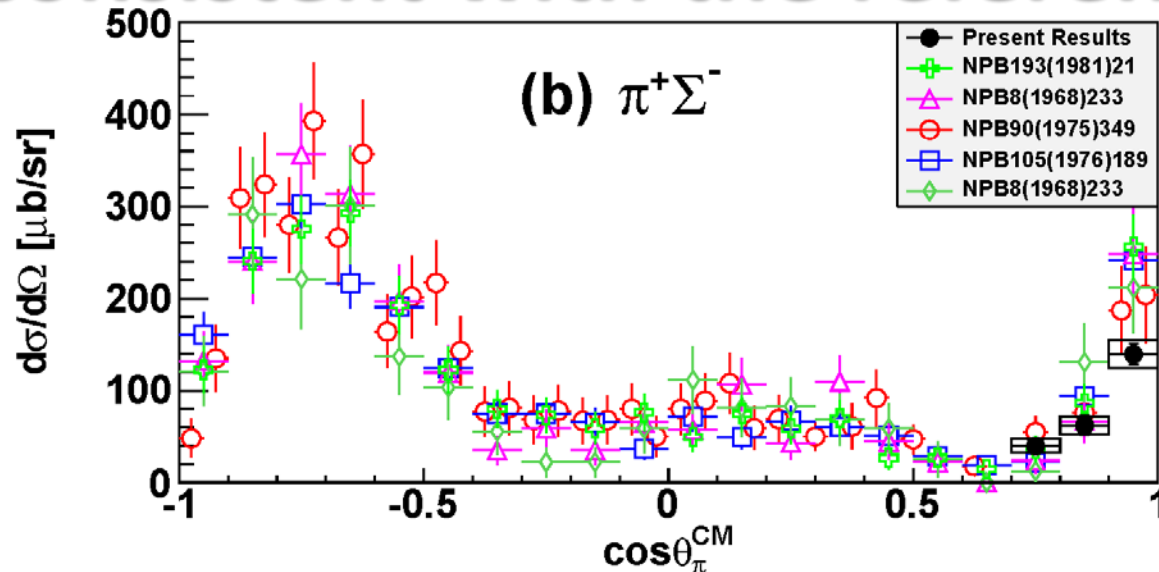


Neutron can be identified with CDS

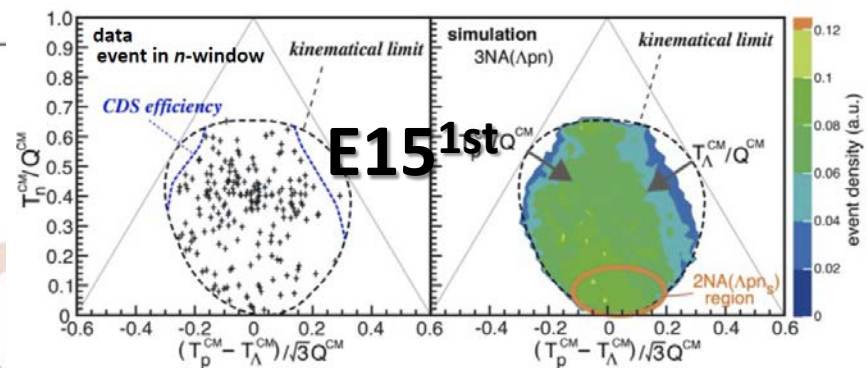
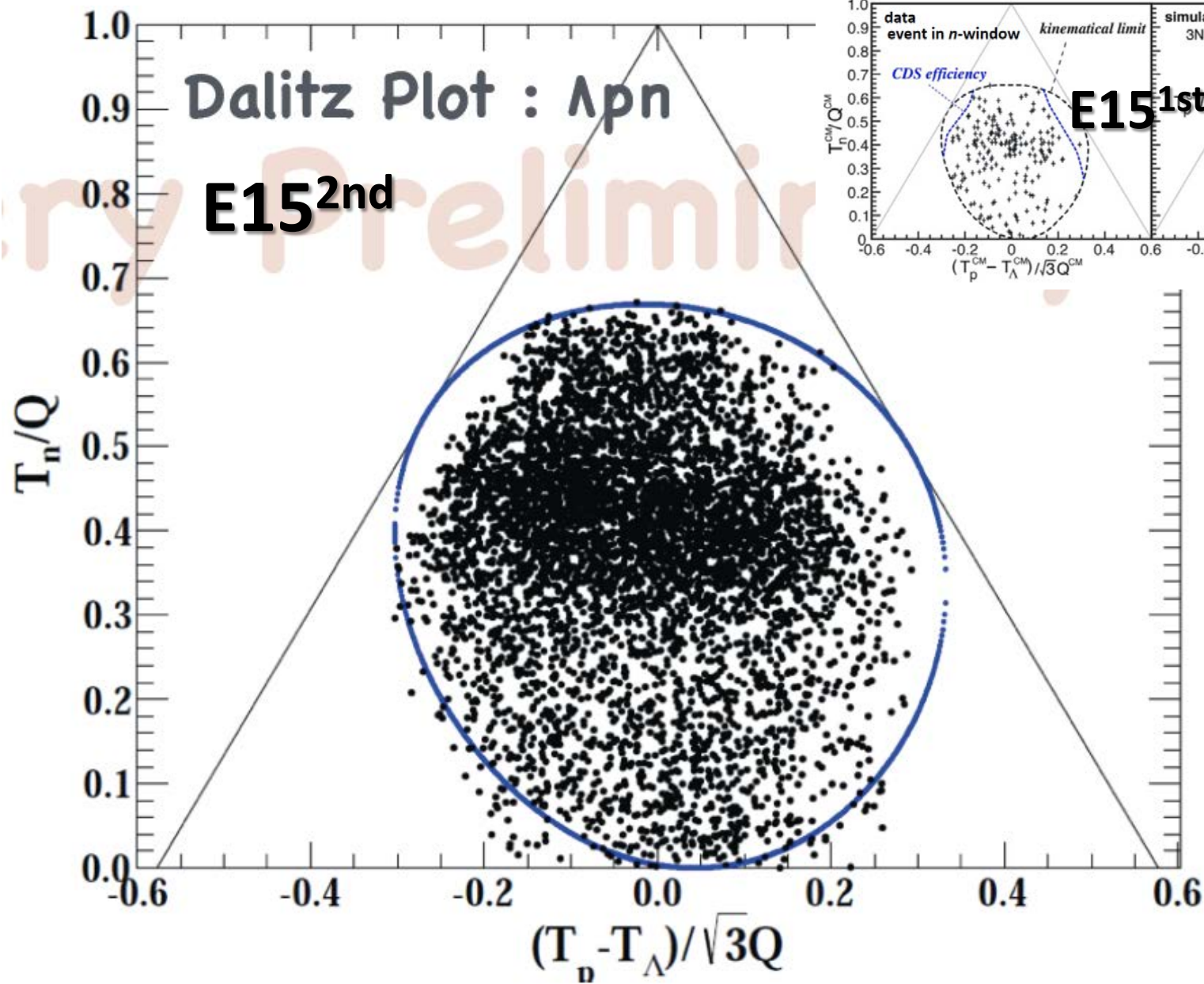
$K^-p \rightarrow \Sigma^+\pi^-/\Sigma^-\pi^+$ Cross Section



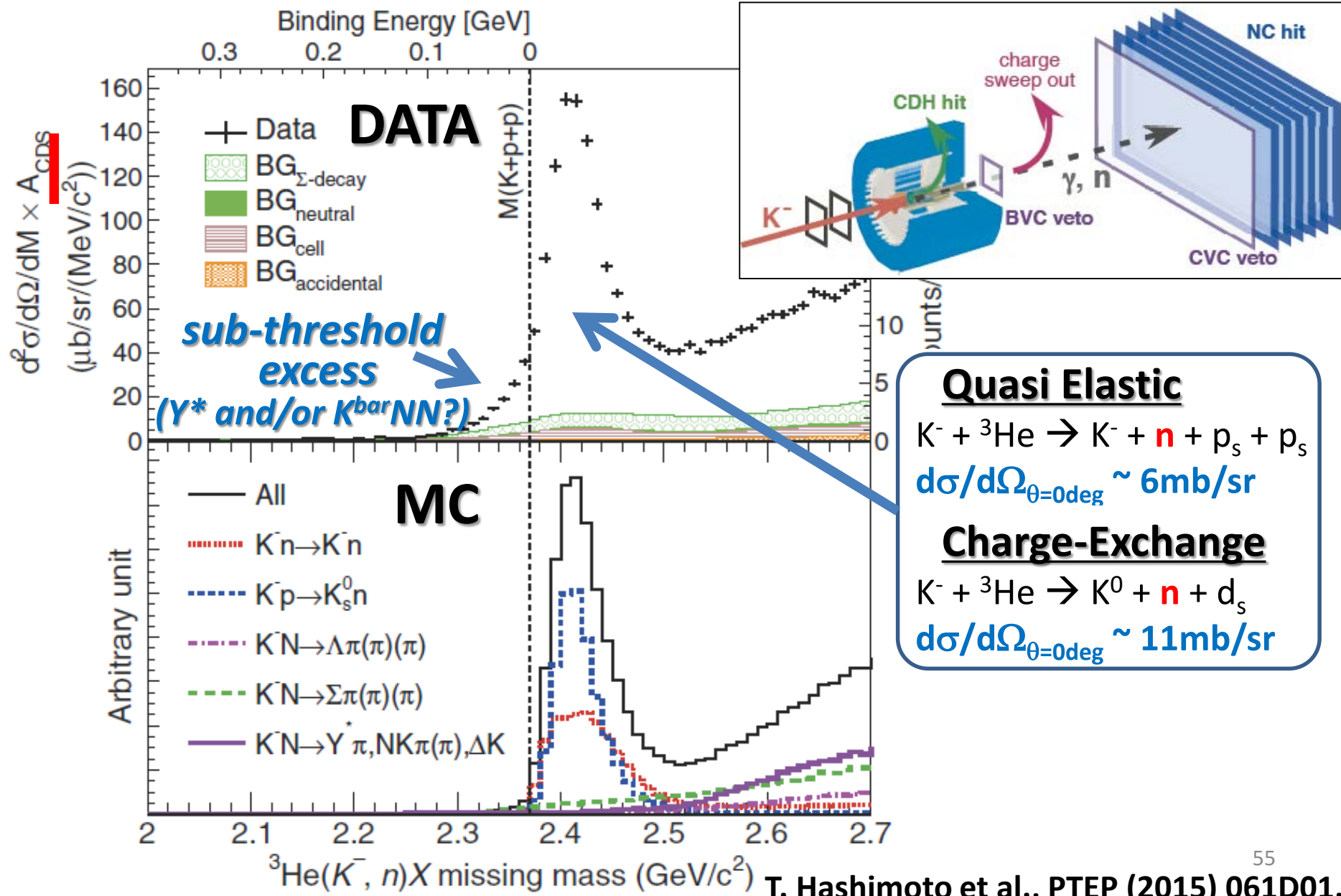
consistent with the references



Exclusive $^3\text{He}(\text{K}^-, \Lambda p)n$

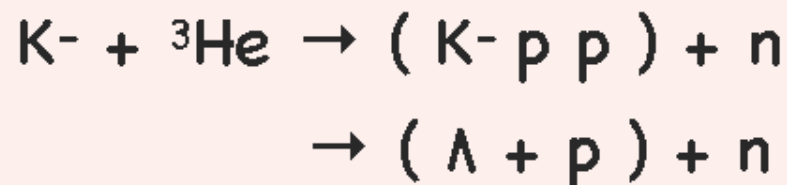


Semi-Inclusive $^3\text{He}(K^-, n)X$



Forward $n_{\text{mis.}} + \Lambda p$ @ E15^{1st}

Resolution $\sigma \sim 10 \text{ MeV}/c^2$ @ threshold

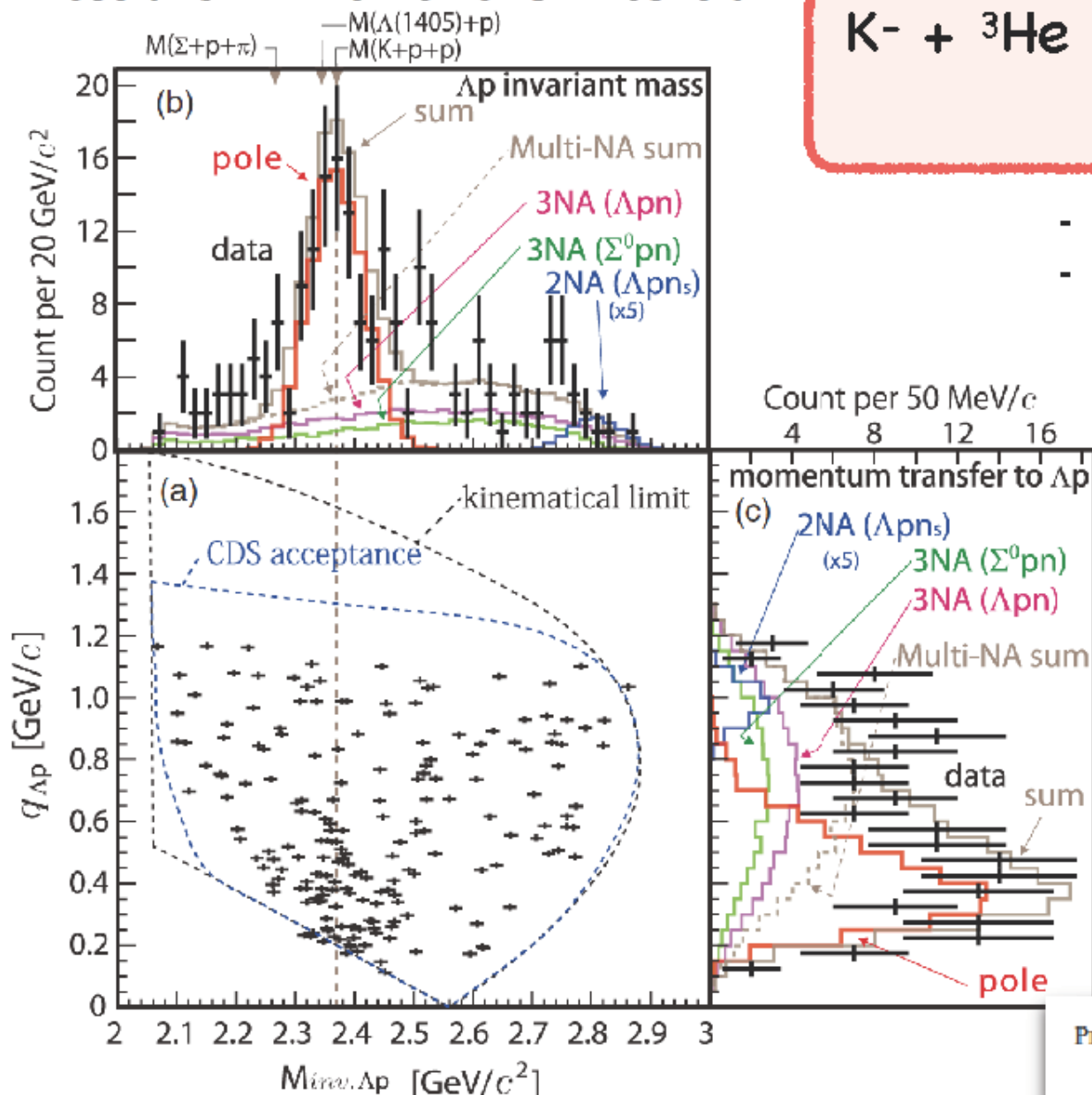


- s-wave Breit-Wigner pole
- w/ Gaussian form-factor

$$\frac{d^2\sigma}{dM dq} \propto \rho_3(\Lambda p n)$$

$$\times \frac{(\Gamma_X/2)^2}{(M - M_X)^2 + (\Gamma_X/2)^2}$$

$$\times \left| \exp\left(-\frac{q^2}{2Q_X^2}\right) \right|^2$$



$$B_X \sim 15 \text{ MeV}$$

$$\Gamma_X \sim 100 \text{ MeV}$$

$$Q_X \sim 400 \text{ MeV}$$

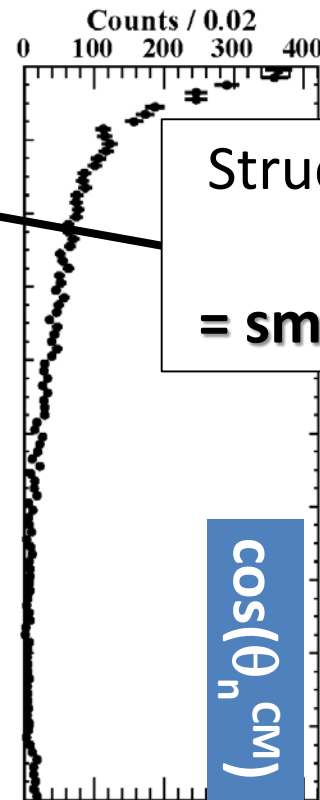
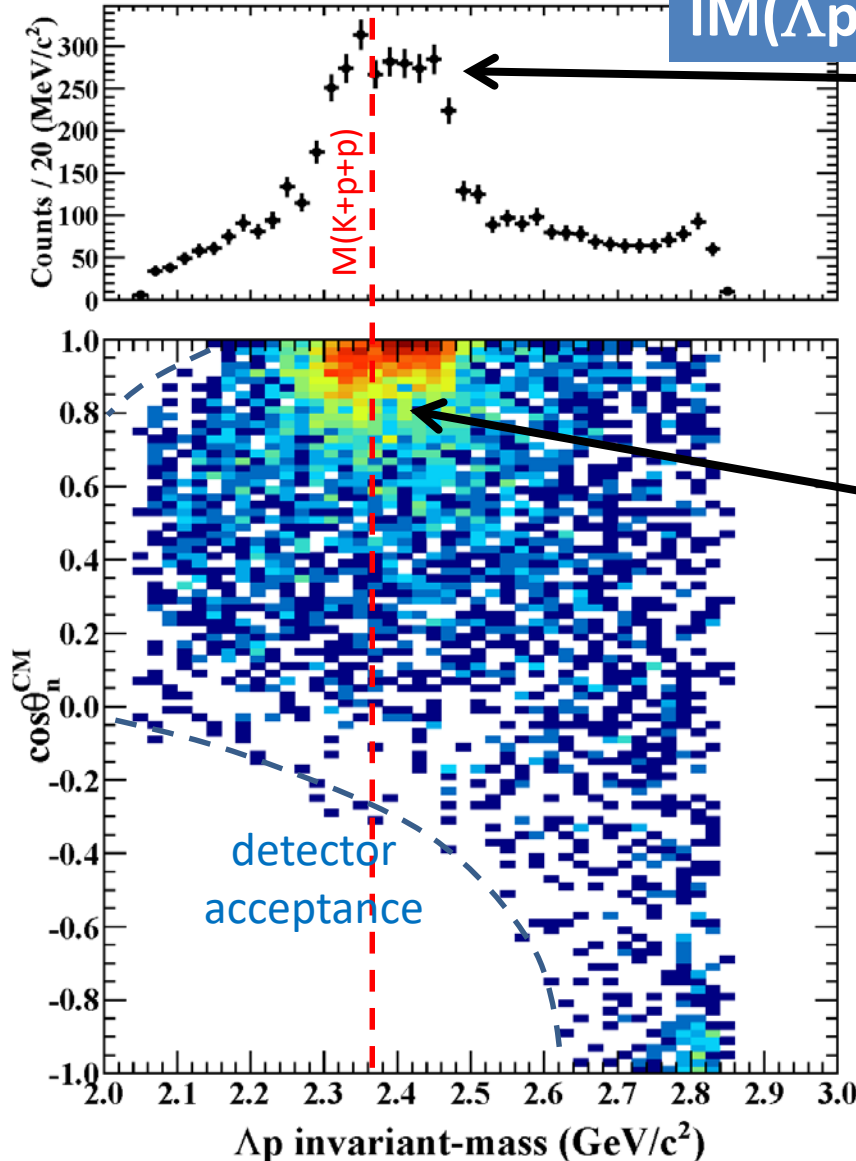
Compact state?

$IM(\Lambda p)$ vs. $\cos(\theta_n^{CM})$

E15 collab., arXiv:1805.12275

$IM(\Lambda p)$

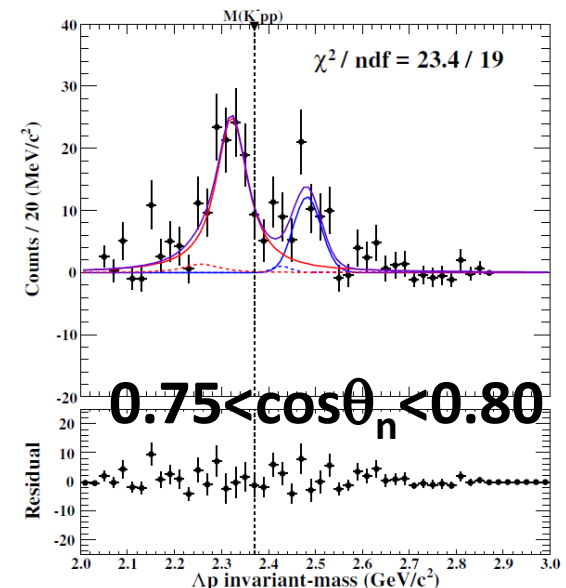
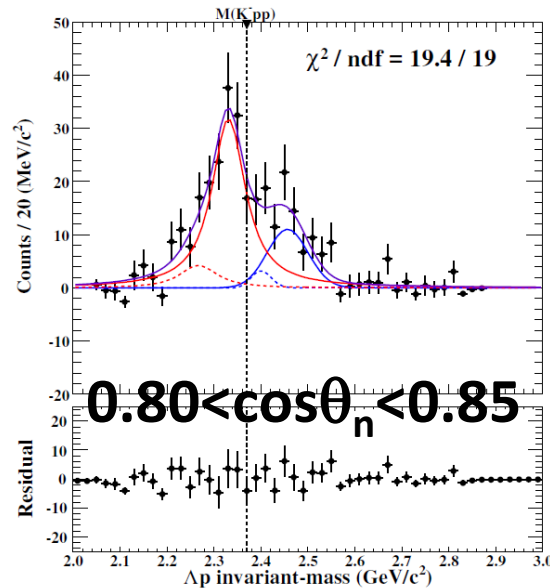
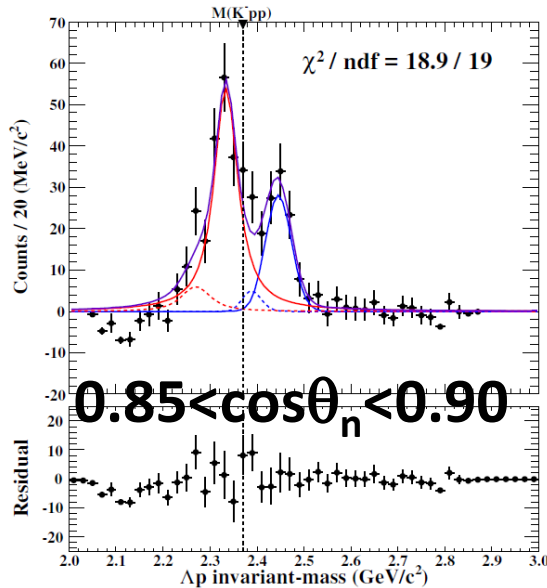
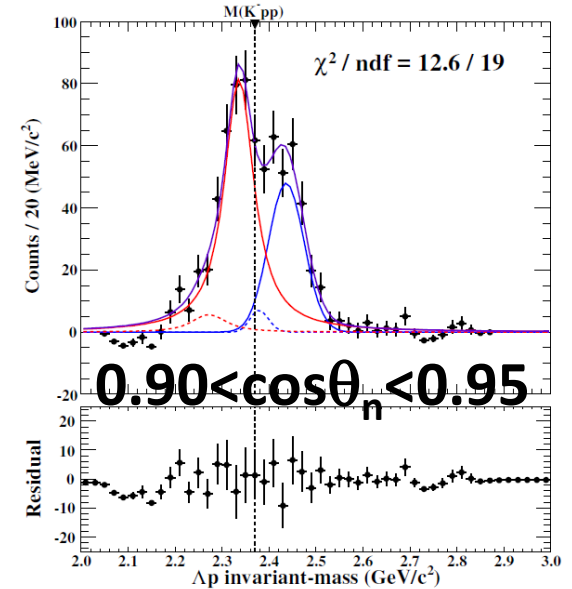
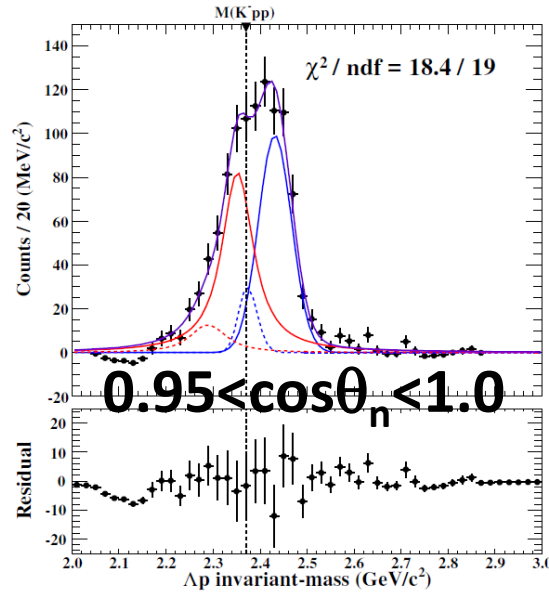
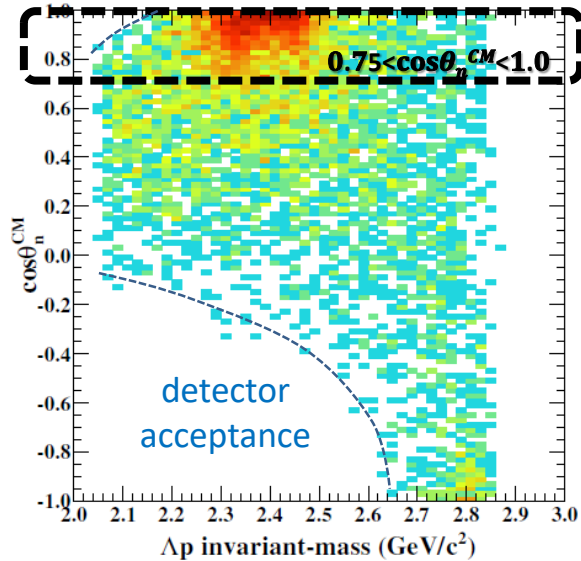
Structures around the K^-pp threshold can be seen
= **bound-state + quasi-elastic**



Structures are concentrated
in forward-n region
= **small momentum-transfer**

Results of ${}^3\text{He}(\text{K}^-, \Lambda\text{p})\text{n}$ [E15-2nd]

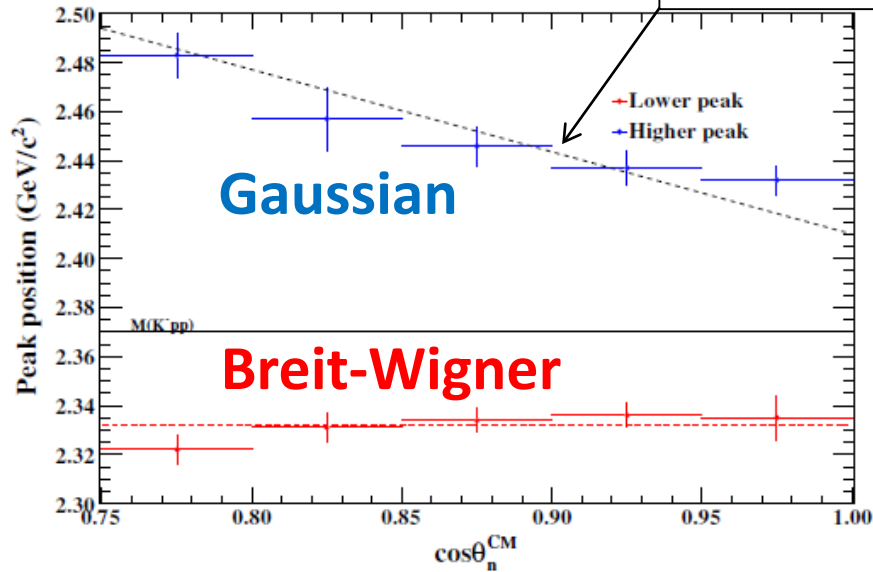
$\cos\theta_n$ dependence



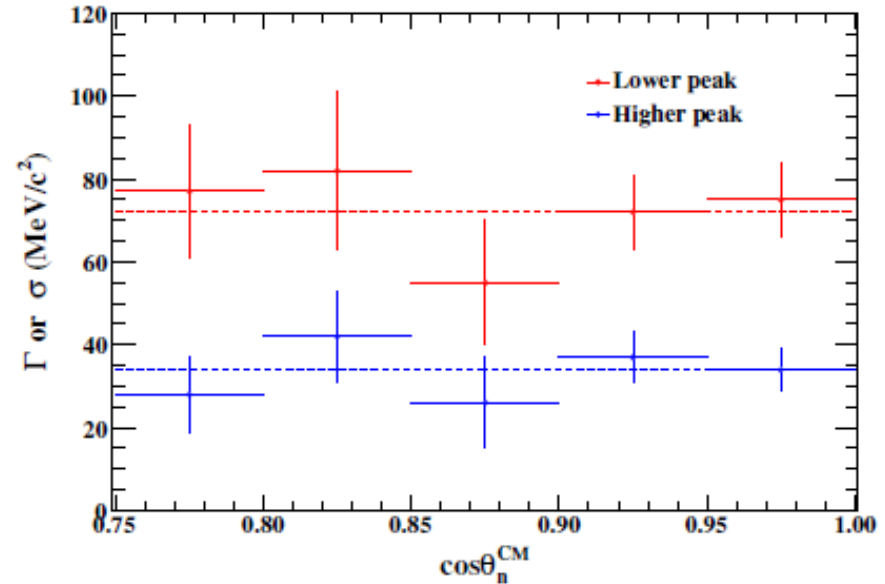
Results of $^3\text{He}(K^-, \Lambda p)n$ [E15-2nd]

Peak position

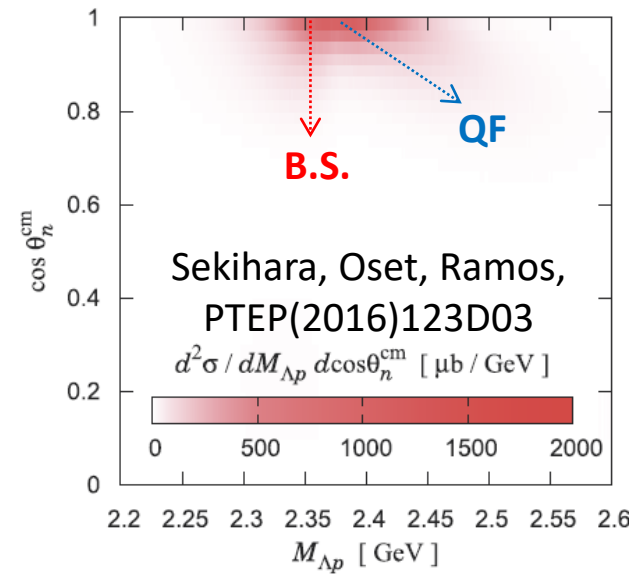
$$M_{QF} = M_{K^-pp} + \frac{q^2}{2M_{K^-}}$$



Width



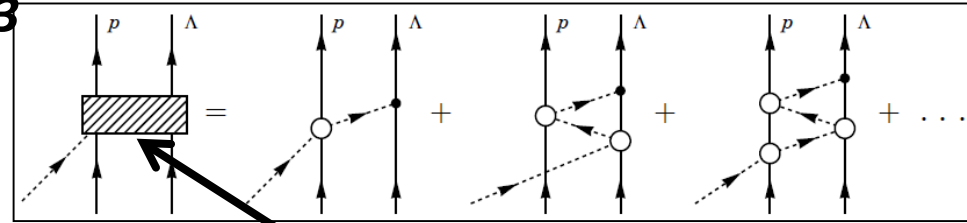
- Above $M(K^-pp)$:
 - peak shift by recoil kaon energy
- Below $M(K^-pp)$:
 - peak is independent to $\cos\theta_n$ ($\sim$ momentum transfer)
- Similar tendency as a theoretical calc., but QF seems to be originated from recoil kaon



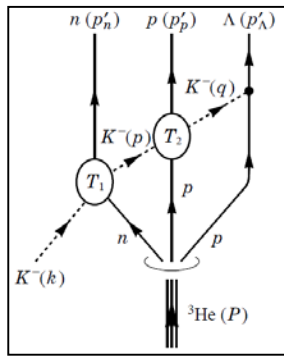
A Theoretical Interpretation of E15

Sekihara, Oset, Ramos, *PTEP*(2016)123D03

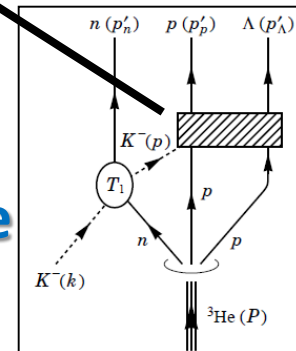
Chiral unitary approach



Uncorrelated
 $\Lambda(1405)p$
state



$K^{\text{bar}}\text{NN}$
bound-state



quasi-elastic
kaon
scattering

