

# J-PARC E15実験における $\pi\Sigma N$ 崩壊チャンネルを用いた $K^{\text{bar}}NN$ 束縛状態の研究

Search for the  $K^{\text{bar}}NN$  bound state  
via  $\pi\Sigma N$  decay channel at J-PARC E15



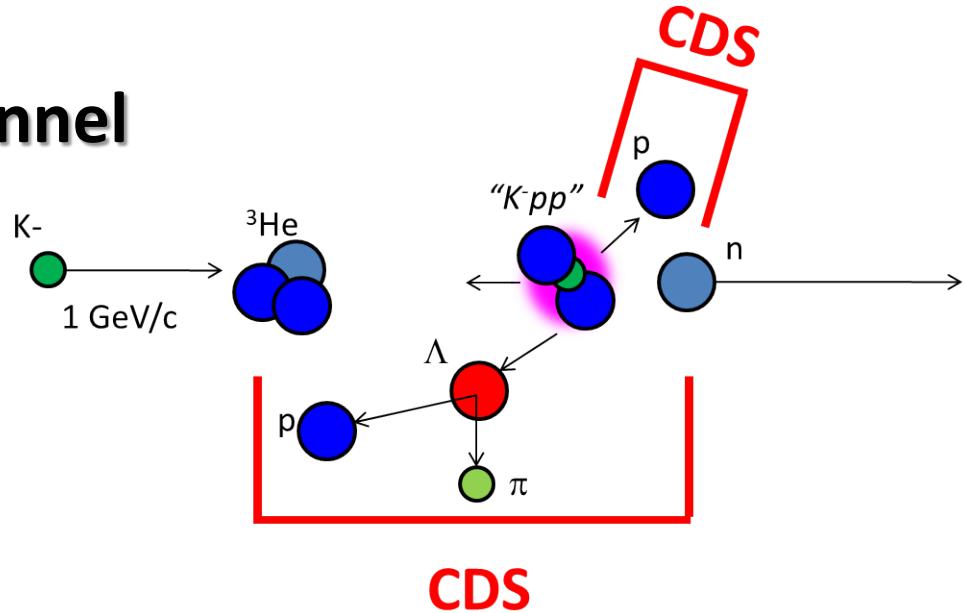
理化学研究所 仁科加速器センター  
佐久間 史典



# Outline of the Talk

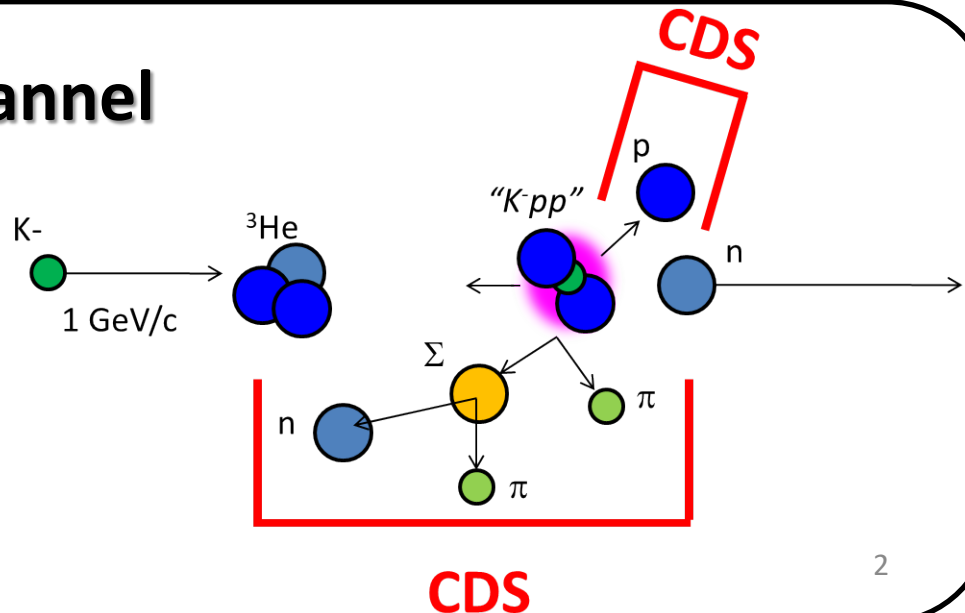
## 1. $K^{\text{bar}}$ NN search via $\Lambda p$ channel

→ Non-mesonic channel



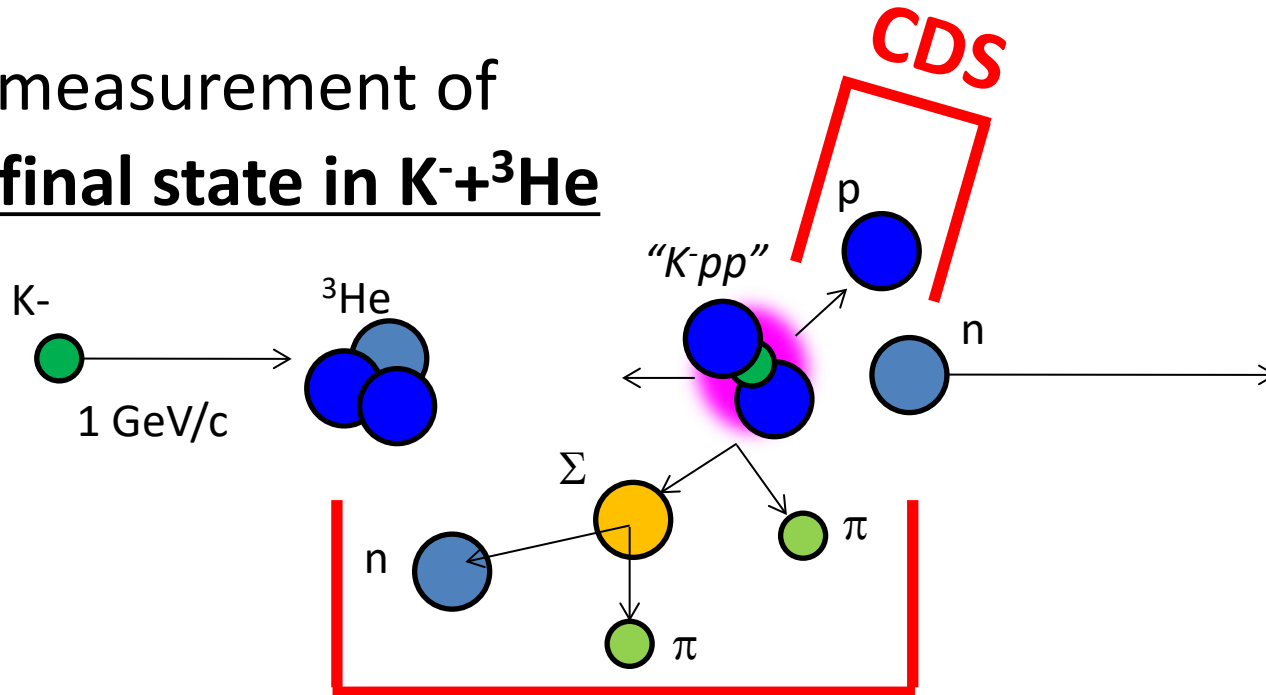
## 2. $K^{\text{bar}}$ NN search via $\pi\Sigma p$ channel

→ Mesonic channel



# $K^- {}^3\text{He} \rightarrow \pi \Sigma pn$ @ E15

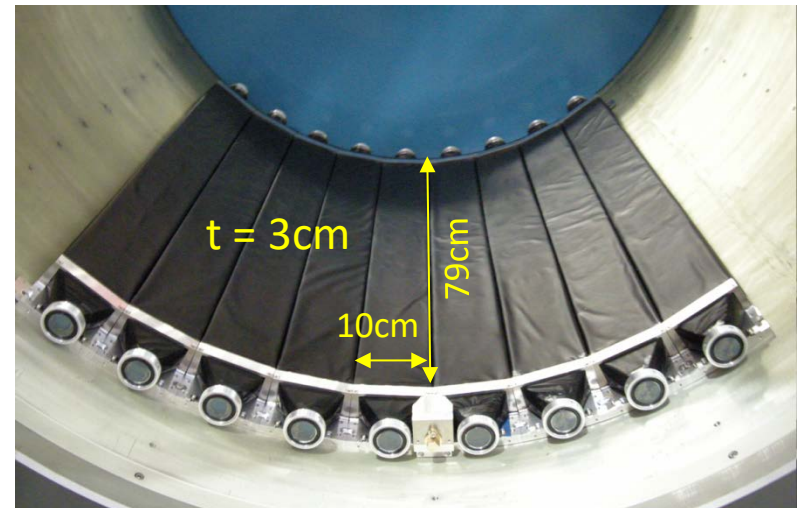
- Exclusive measurement of  $\pi^\pm \Sigma^\mp pn$  final state in  $K^- + {}^3\text{He}$



**CDS**

- Experimental challenge of neutron detection with thin scintillation counter ( $t=3\text{cm}$ )

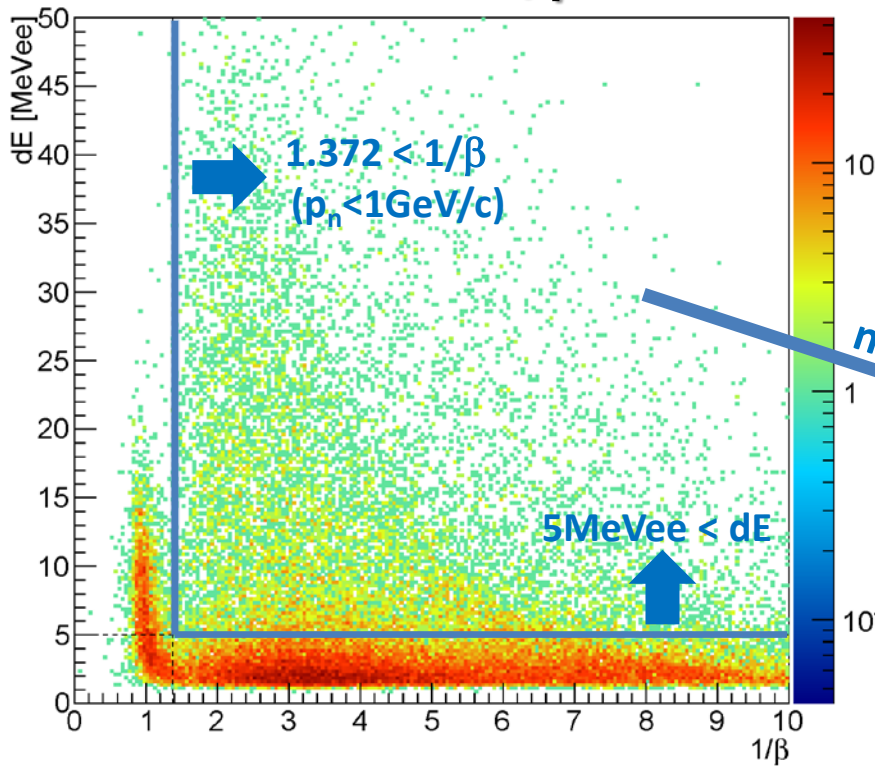
**n detection efficiency  $\sim 3\%$**



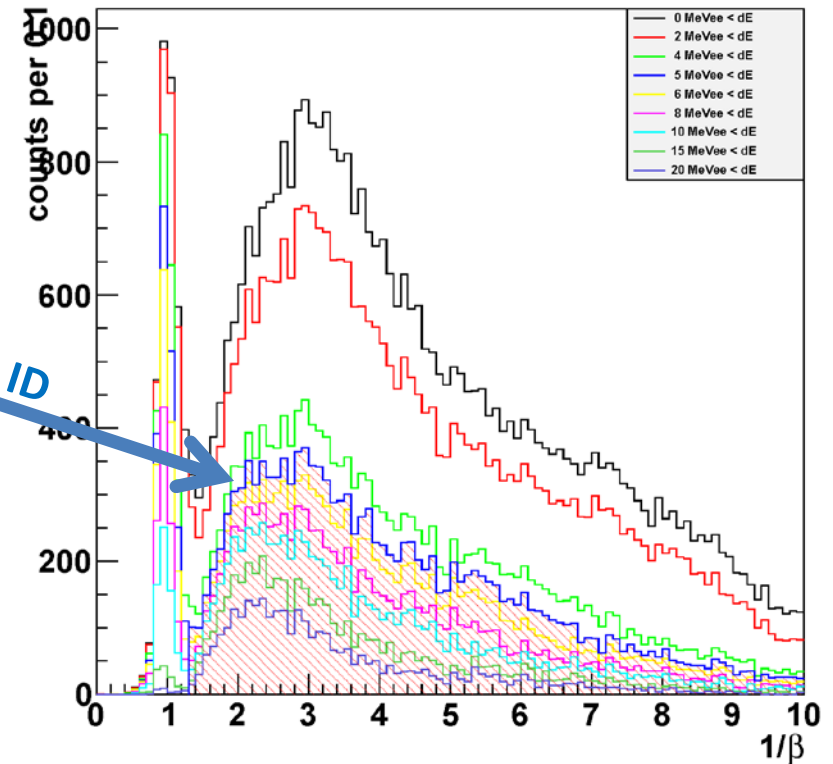
# Neutron ID with CDS

- $\pi^+\pi^-p$  events (3 tracks) in CDS with 4 CDH hits are selected
- a CDH hit with CDC-veto (outer-layer) is applied to identify the “neutral hit”

## dE vs. $1/\beta$



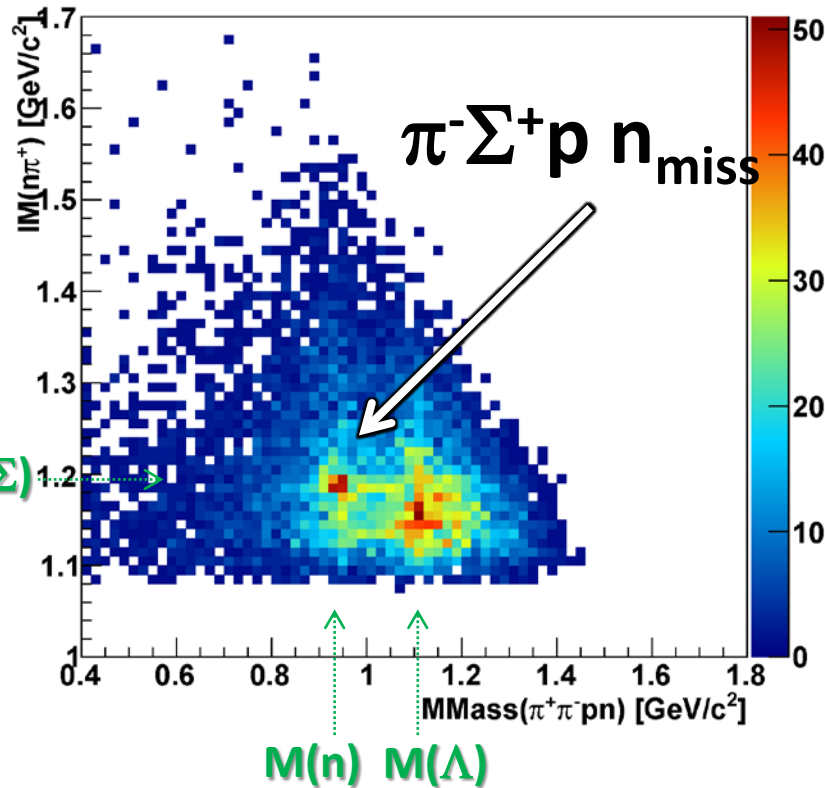
## dE-cut dependence



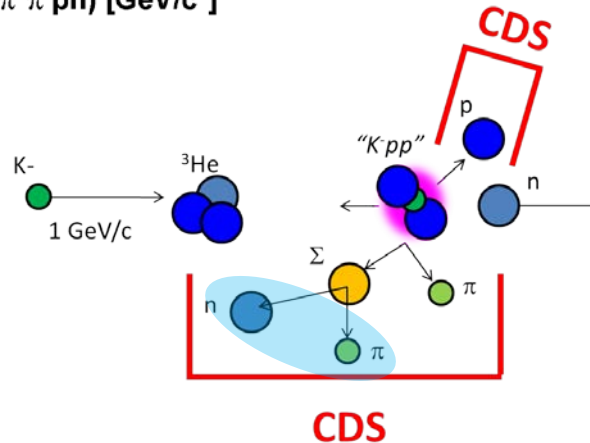
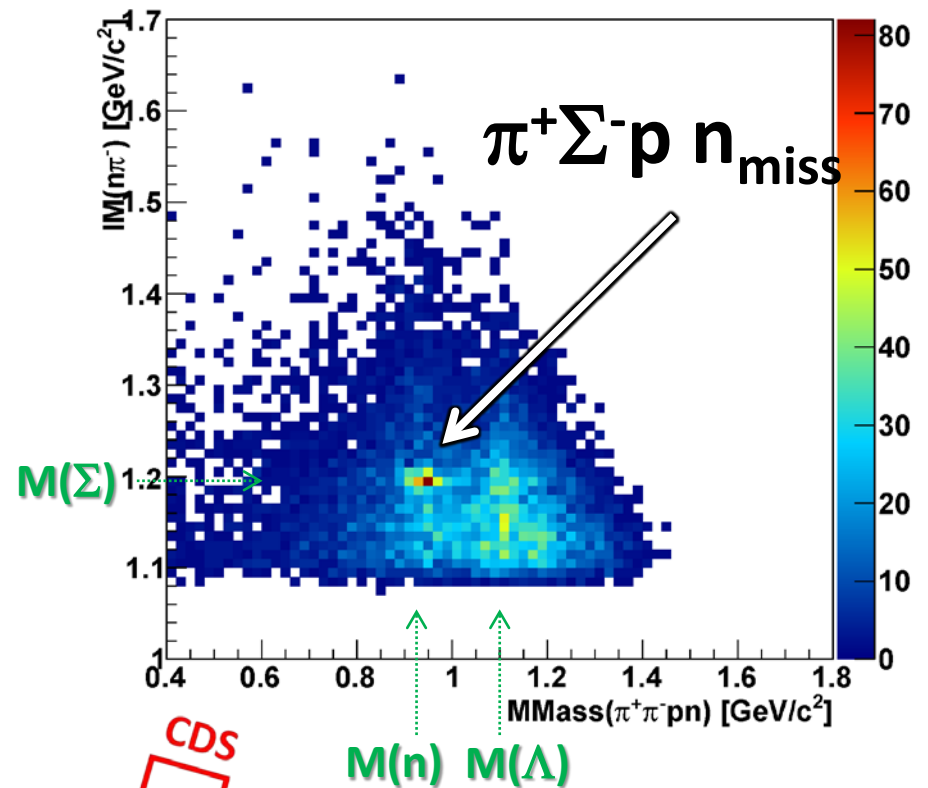
Neutron can be identified with CDS

# $\pi\Sigma pn$ Events

IM( $n\pi^+$ ) vs MM( $\pi^+\pi^-pn$ )

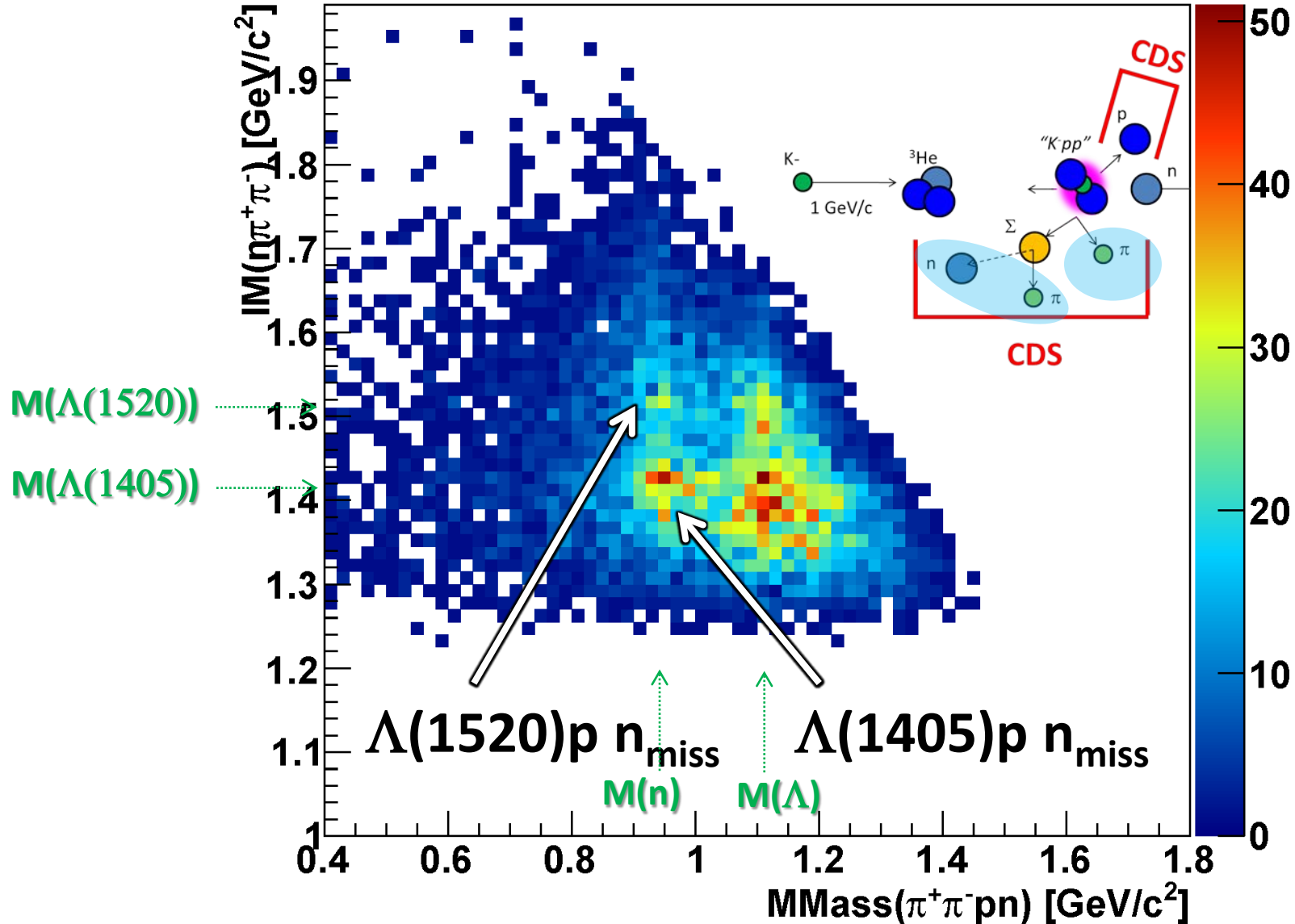


IM( $n\pi^-$ ) vs MM( $\pi^+\pi^-pn$ )



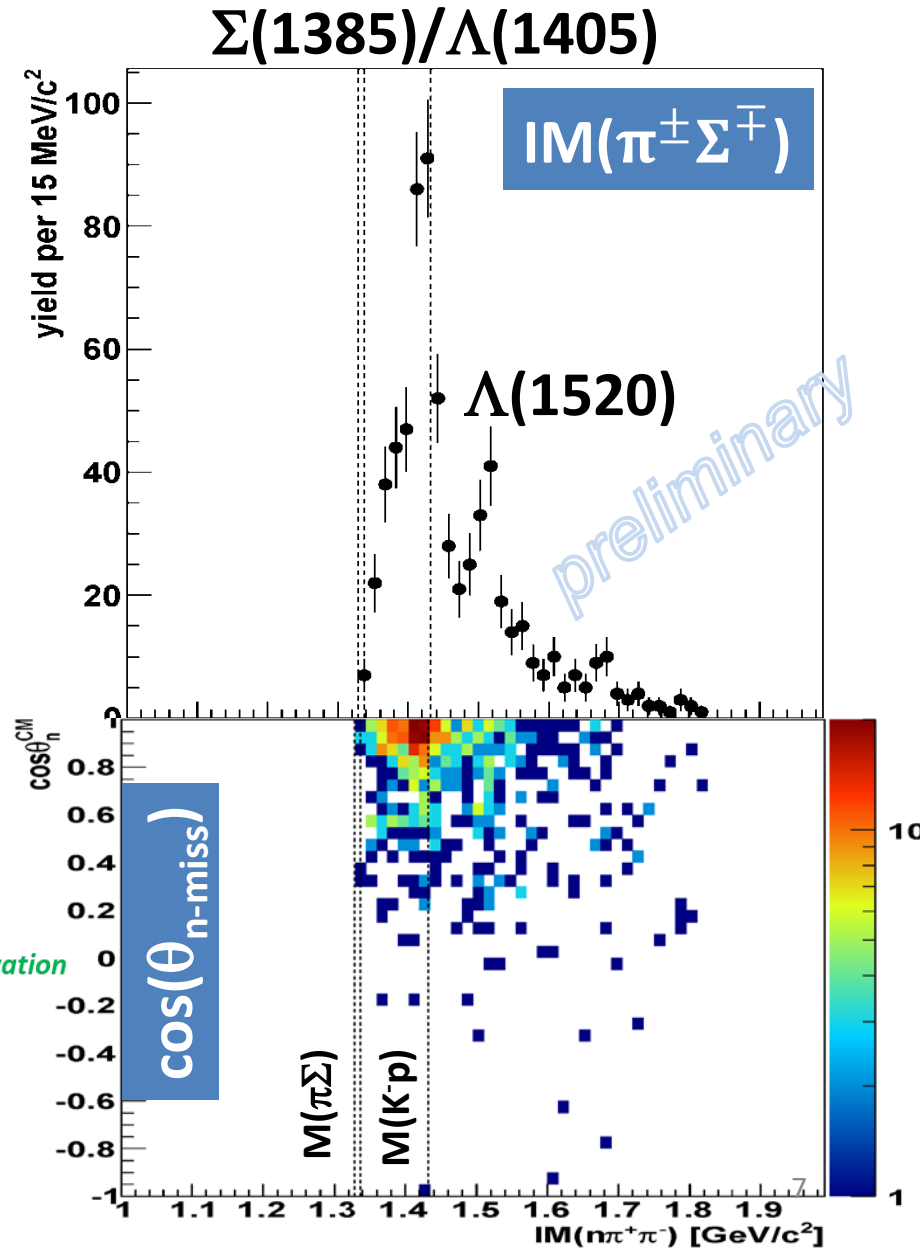
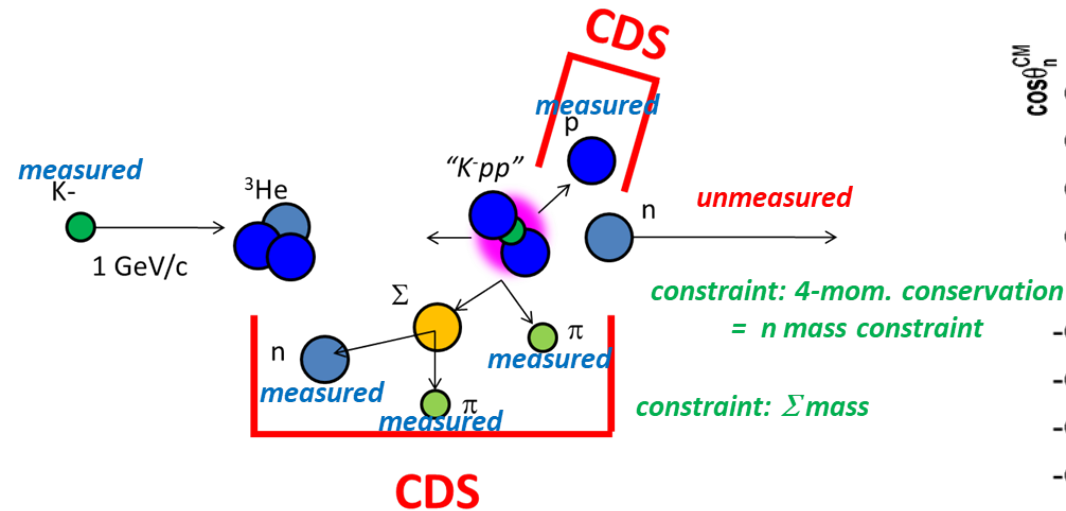
# $\Lambda^*$ pn Events

IM( $n\pi^+\pi^-$ ) vs MM( $\pi^+\pi^-pn$ )



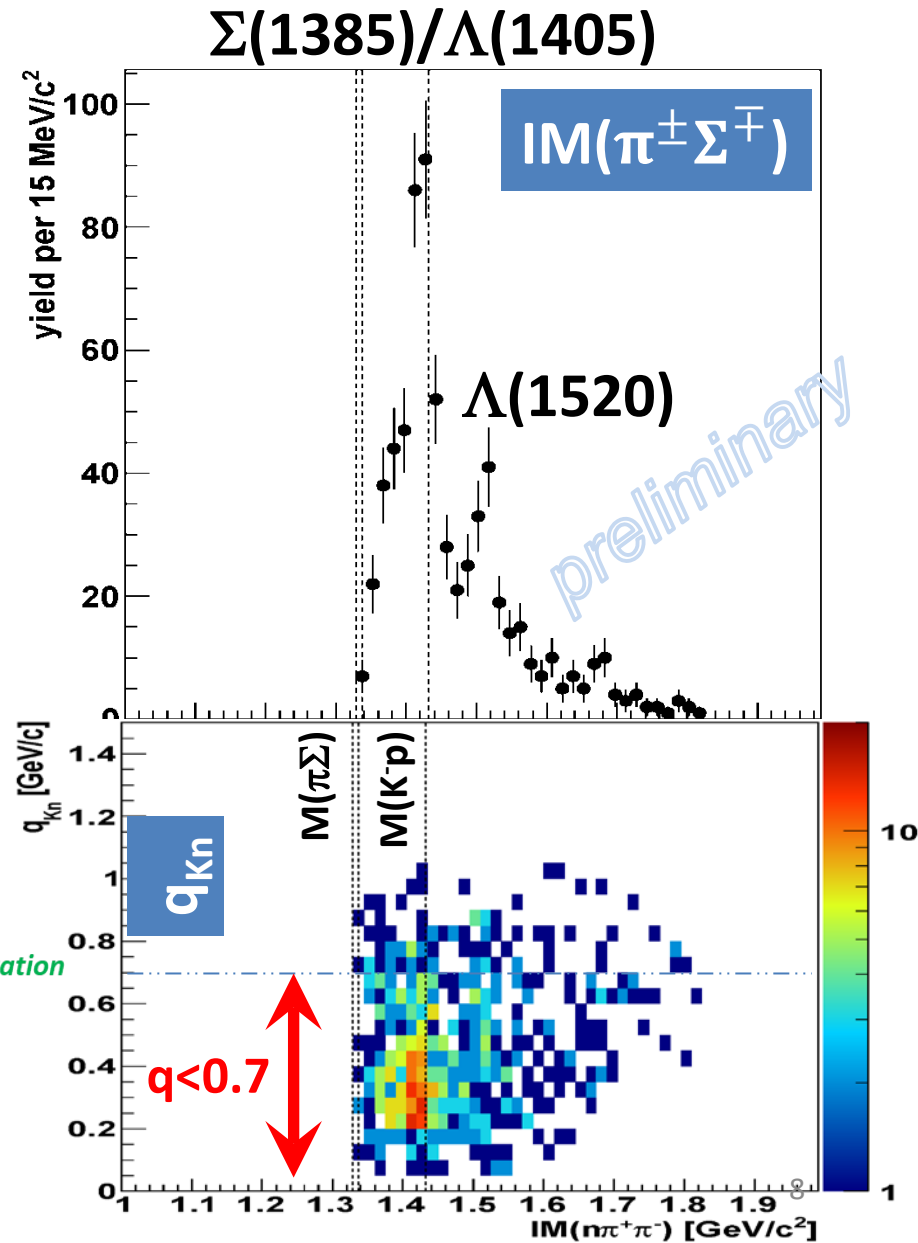
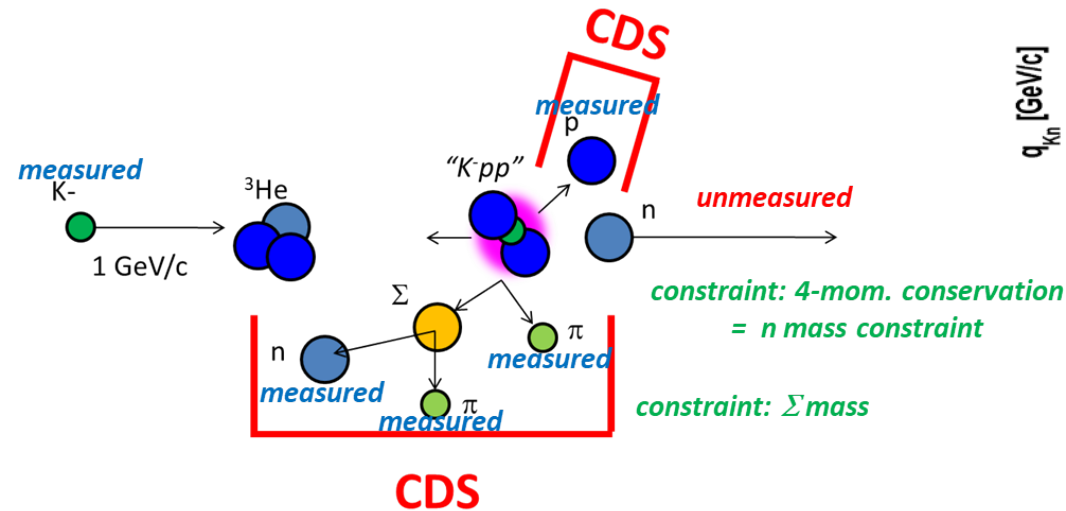
**$Y^*$  in  $\pi^\pm \Sigma^\mp p$   $n_{\text{miss}}$**

- $\pi^{\pm} \Sigma^{\mp}$  events are separated using kinematical refit
  - Constraints:
    - $M(\Sigma \rightarrow n\pi)$
    - 4-momentum conservation
  - Event selection by  $\chi^2$  probability ( $0.01 < p$ )

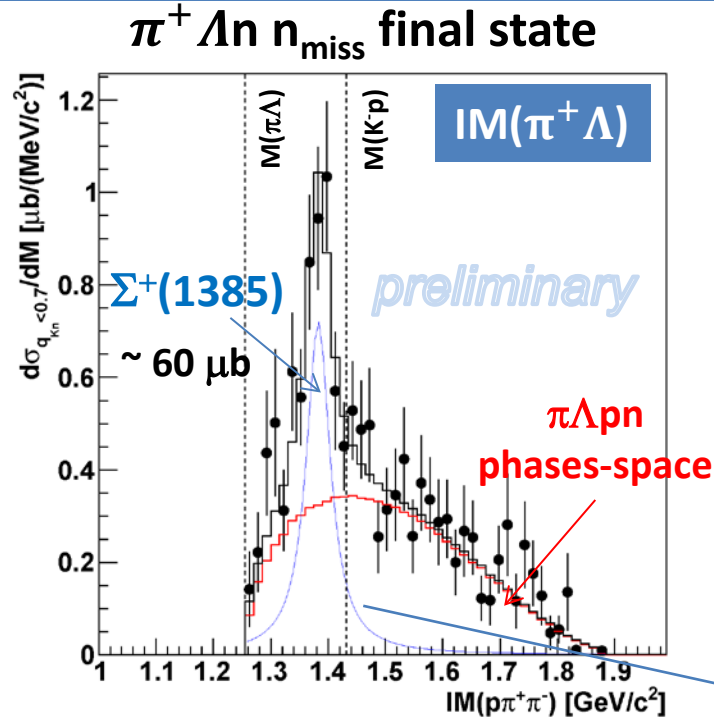


**$Y^*$  in  $\pi^\pm \Sigma^\mp p$   $n_{\text{miss}}$**

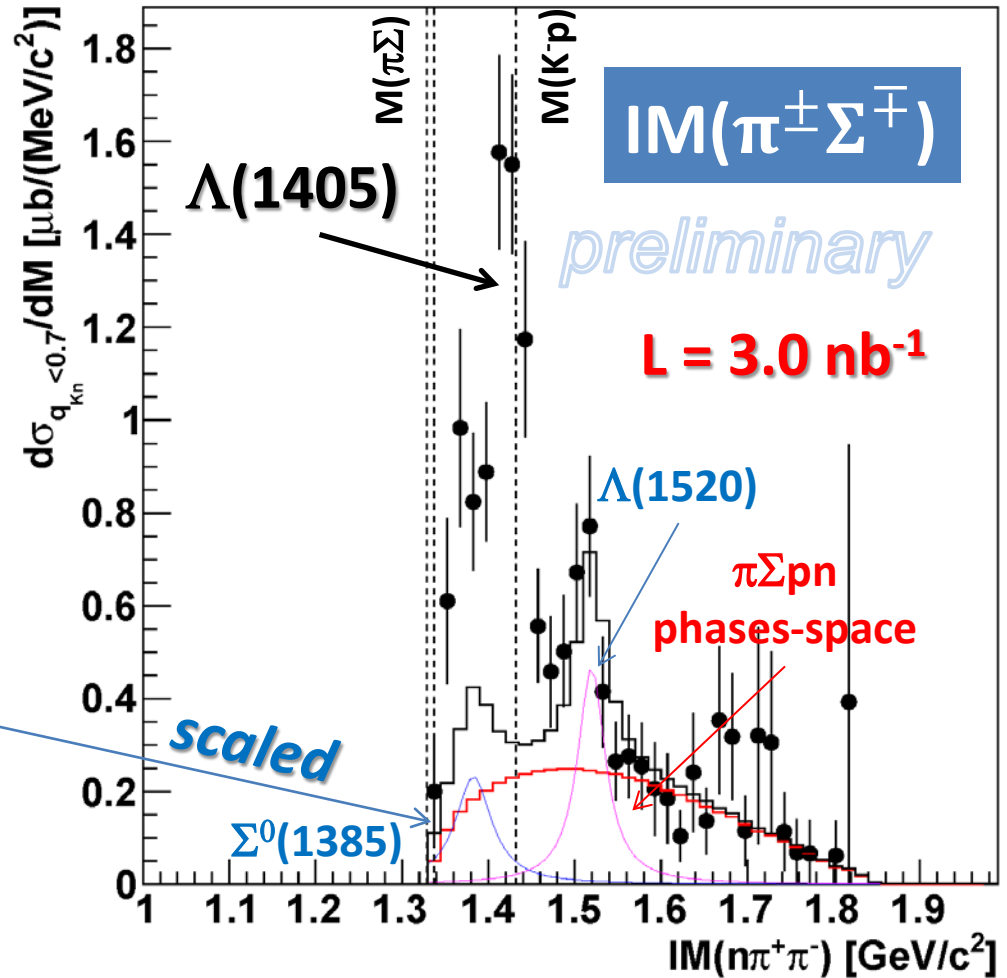
- To compare “K<sup>-</sup>pp” and  $\Lambda^*$  production CS’s, we select  $q < 0.7$  GeV/c region
  - Both of “K<sup>-</sup>pp” and  $\Lambda^*$  signals are seen in  $q < 0.7$  GeV/c
  - $\pi\Sigma(p)$  acceptance is limited in  $q > 0.7$  GeV/c



# $Y^*$ CS in $q < 0.7$ GeV/c



we assume  $\Sigma^0(1385)$  CS at 1.0 GeV/c to be:  
 $\sigma(\Sigma^{*0}) = 2.3 \times \sigma(\Sigma^{*+})$   
 by considering reaction combination in  $K^3\text{He}$

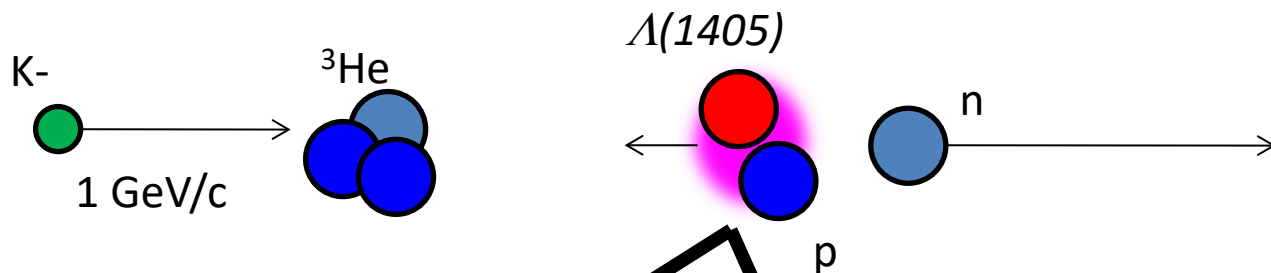


$$K^- + {}^3\text{He} \rightarrow \Sigma^0(1385) + p + n: \sim 140 \mu\text{b}$$

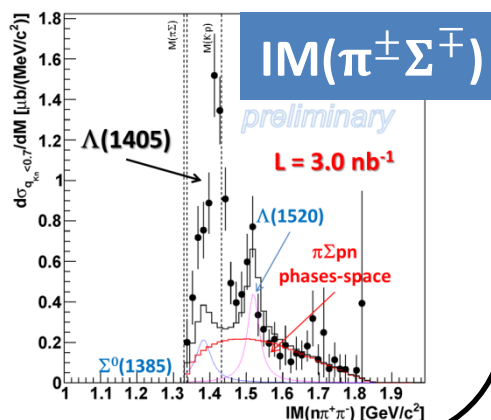
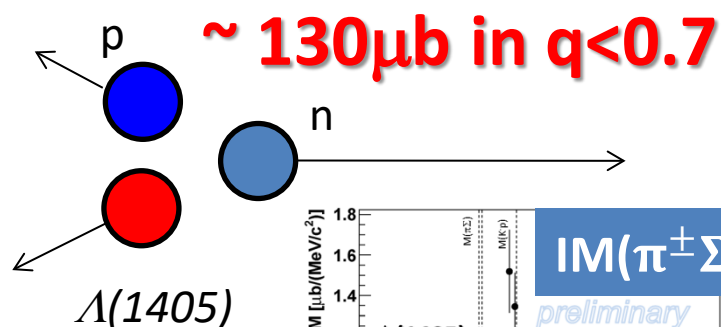
$$K^- + {}^3\text{He} \rightarrow \Lambda(1405) + p + n: \sim 130 \mu\text{b}$$

$$K^- + {}^3\text{He} \rightarrow \Lambda(1520) + p + n: \sim 70 \mu\text{b}$$

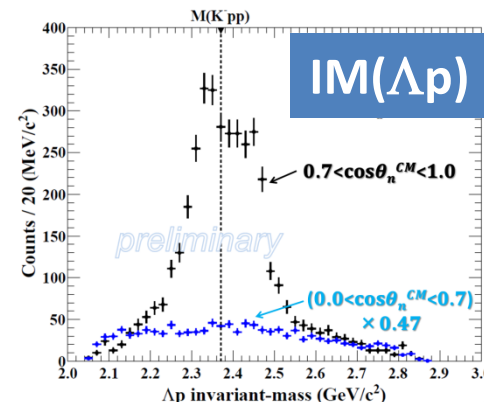
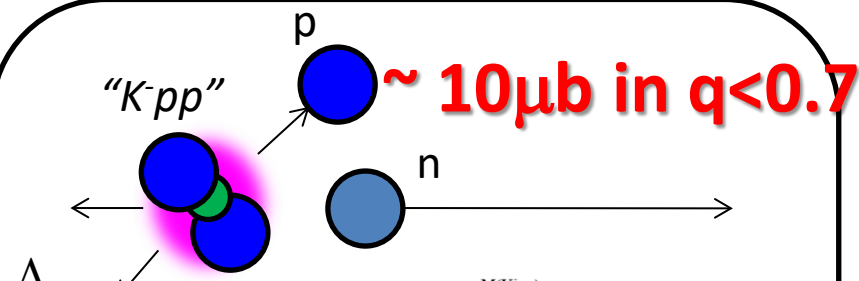
# Production of $\Lambda^*$ and “K-pp”



“free”  $\Lambda^*$

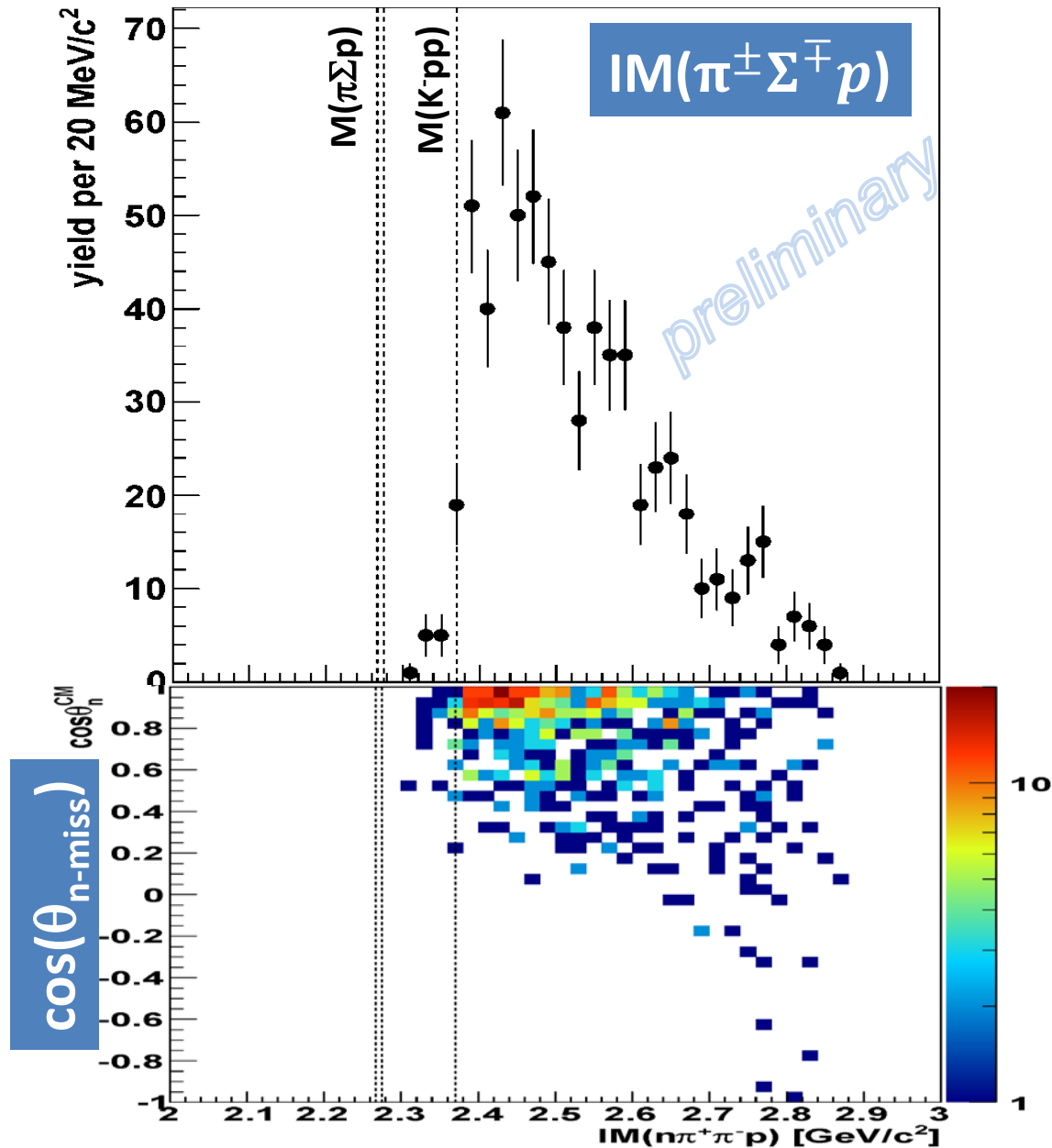


“K-pp” formation

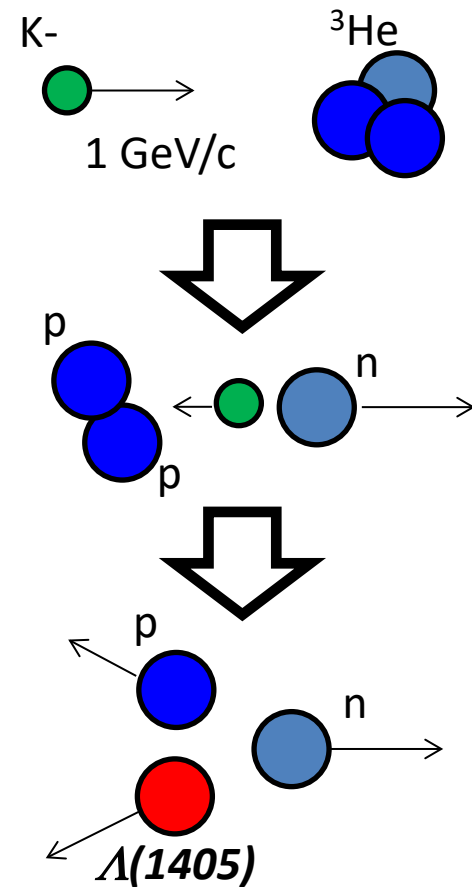
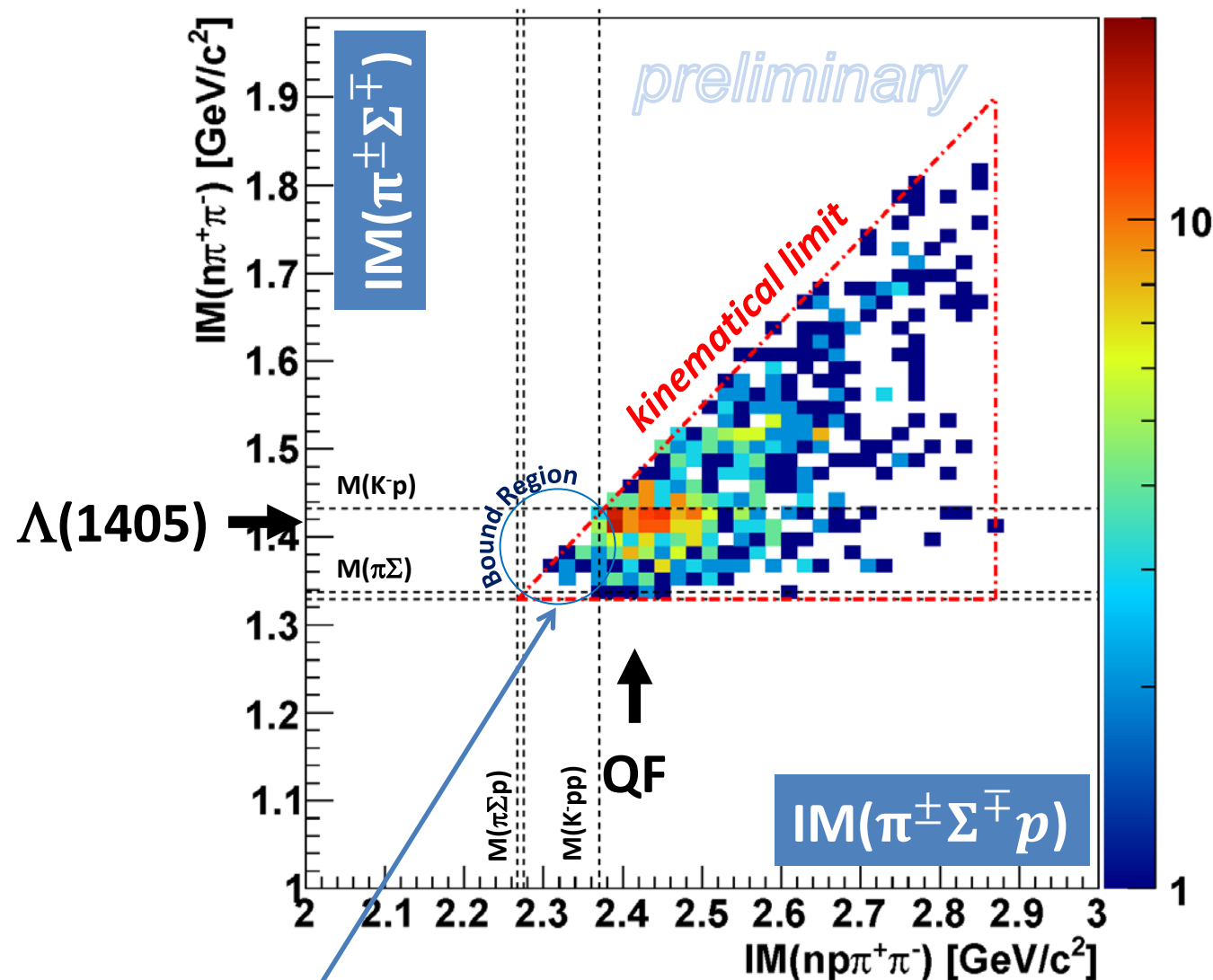


Large CS of  $\Lambda^*$  compared to “K-pp”

# “K<sup>-</sup>pp” Search in $\pi^{\pm}\Sigma^{\mp}p$ $n_{\text{miss}}$

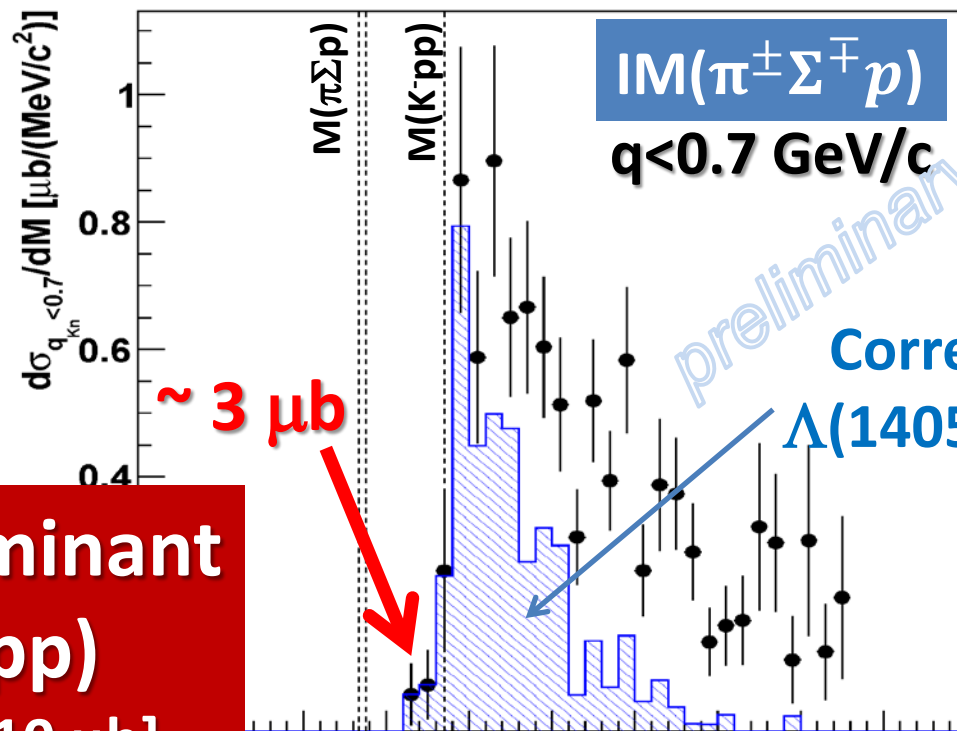


# $IM(\pi^\pm \Sigma^\mp) \text{ vs. } IM(\pi^\pm \Sigma^\mp p)$

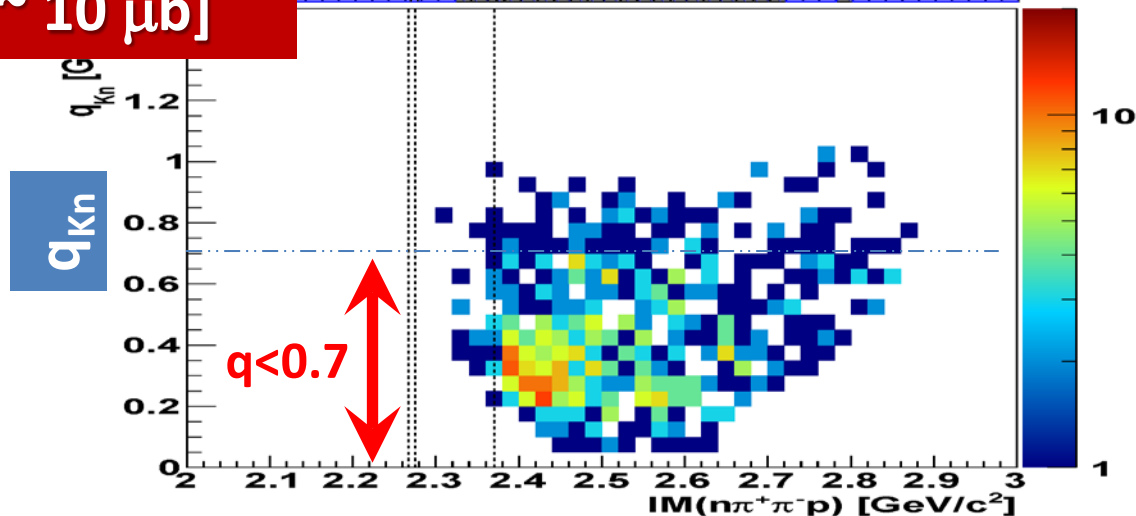


Small phase-space of “ $K^-pp$ ”  $\rightarrow \pi\Sigma N$

# “K<sup>-</sup>pp” Search in $\pi^{\pm}\Sigma^{\mp}p$ $n_{\text{miss}}$

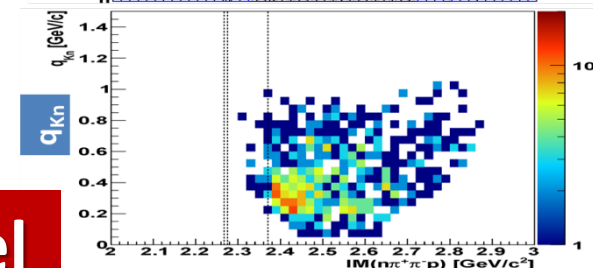
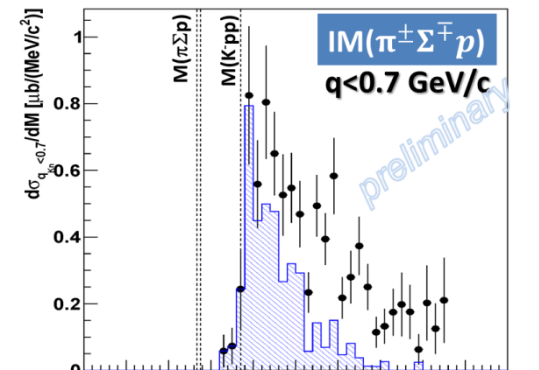
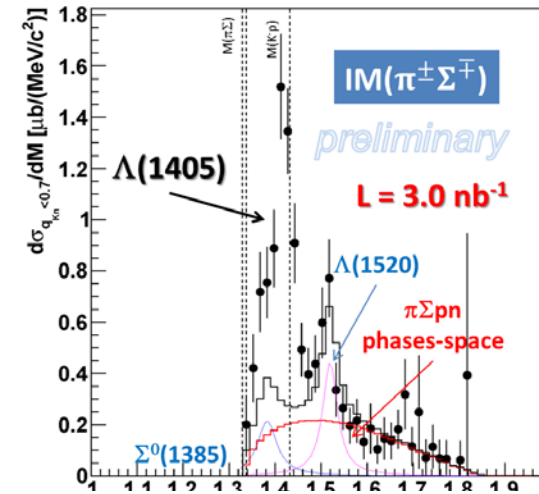


$\Lambda p$  decay is dominant  
below  $M(K^-pp)$   
[ $\sigma(\text{“}K^-pp\text{”} \rightarrow \Lambda p) \sim 10 \mu\text{b}$ ]



# Summary

- $\Lambda(1405)$  is clearly observed in  $\pi^\pm \Sigma^\mp p n_{\text{miss}}$  final state
  - $\sim 130 \mu\text{b}$  in  $q_{Kn} < 0.7 \text{ GeV}/c$ 
    - Large CS compared to “ $K^-pp \rightarrow \Lambda p$ ”
- Weak structure below the  $K^-pp$  threshold is seen in  $\text{IM}(\pi^\pm \Sigma^\mp p)$ 
  - $\sim 3 \mu\text{b}$  in  $q_{Kn} < 0.7 \text{ GeV}/c$ 
    - $\Lambda p$  decay is dominant below  $M(K^-pp)$



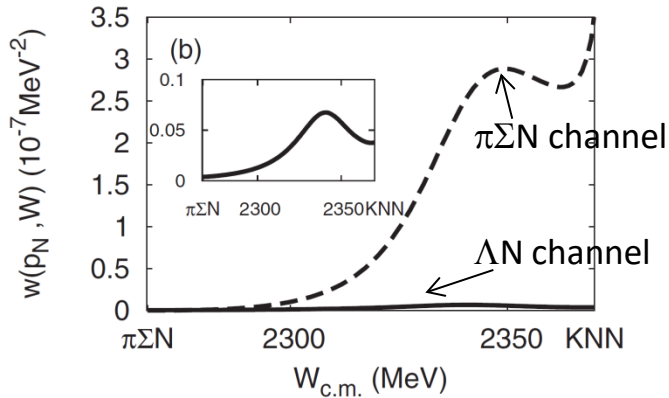
need further investigation of  $\pi\Sigma N$  channel



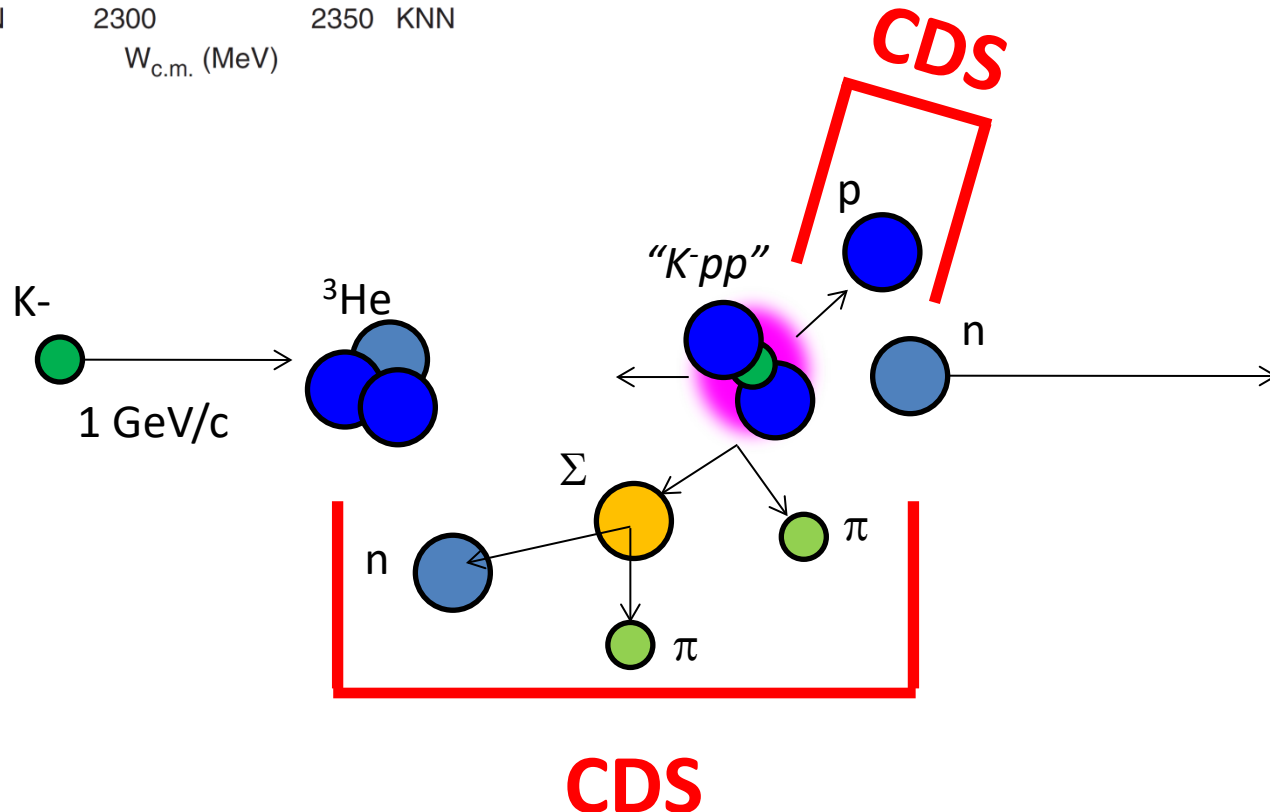
# “K<sup>-</sup>pp” → $\pi\Sigma N$ Decay Channel

kaon absorption probability  
of  $\Lambda^* N \rightarrow \pi\Sigma N / \Lambda N$

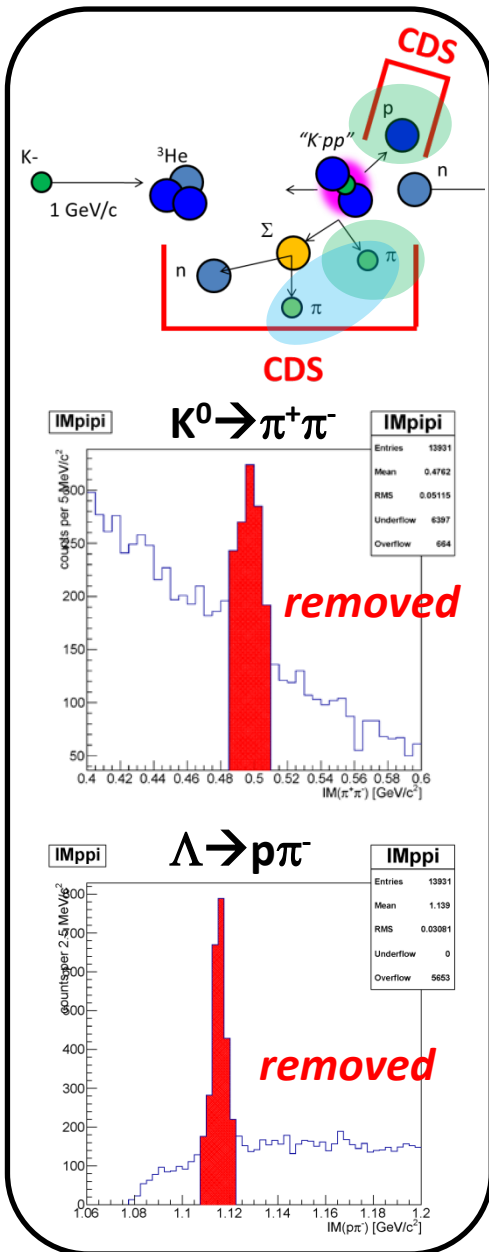
S.Ohnish et al., PRC88(2013)025204



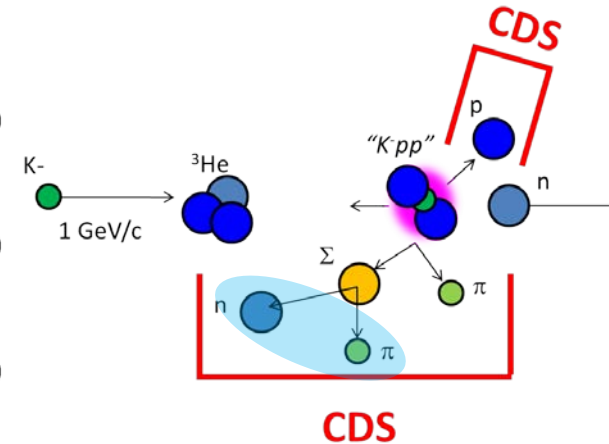
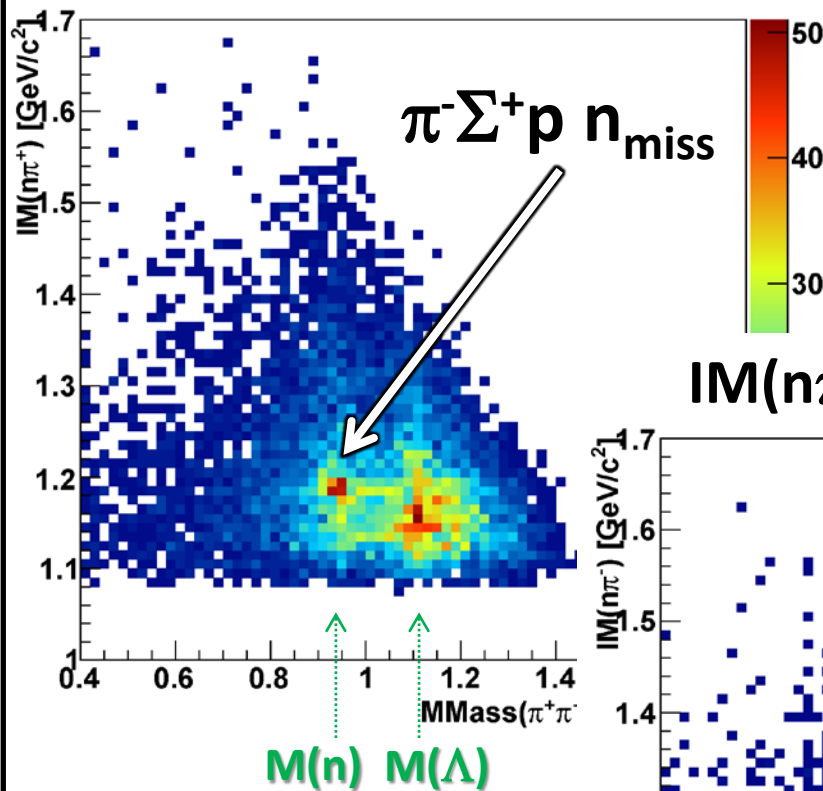
Theoretically,  
 $\pi\Sigma N$  decay is expected to be  
the dominant channel



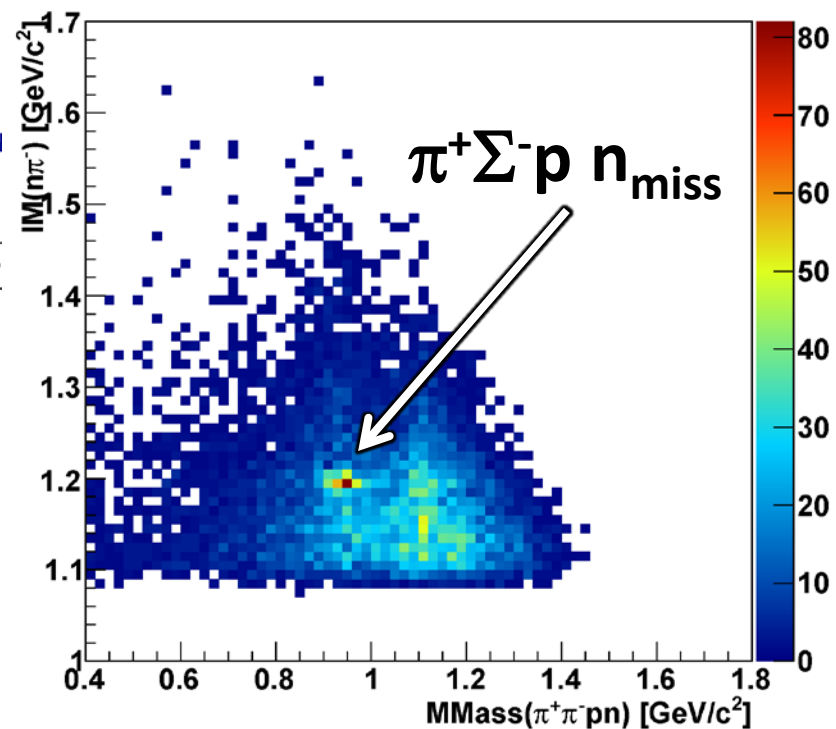
# $\pi\Sigma pn$ Events



IM( $n\pi^+$ ) vs MM( $\pi^+\pi^-pn$ )



IM( $n\pi^-$ ) vs MM( $\pi^+\pi^-pn$ )

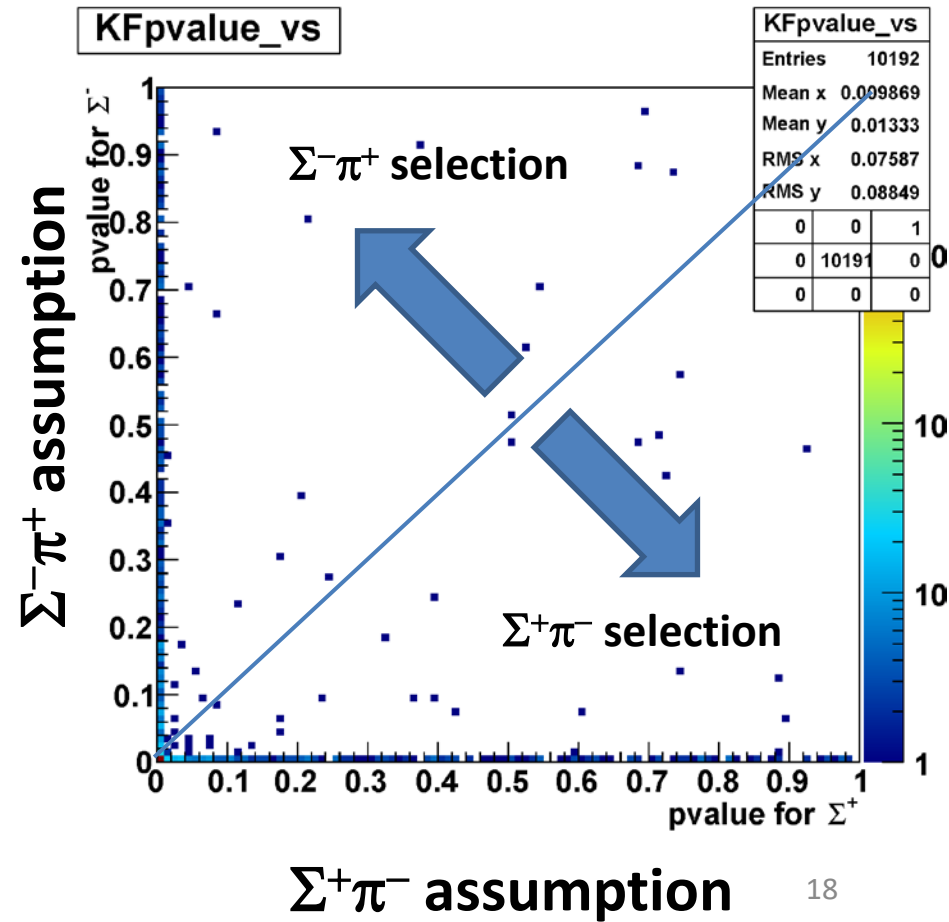
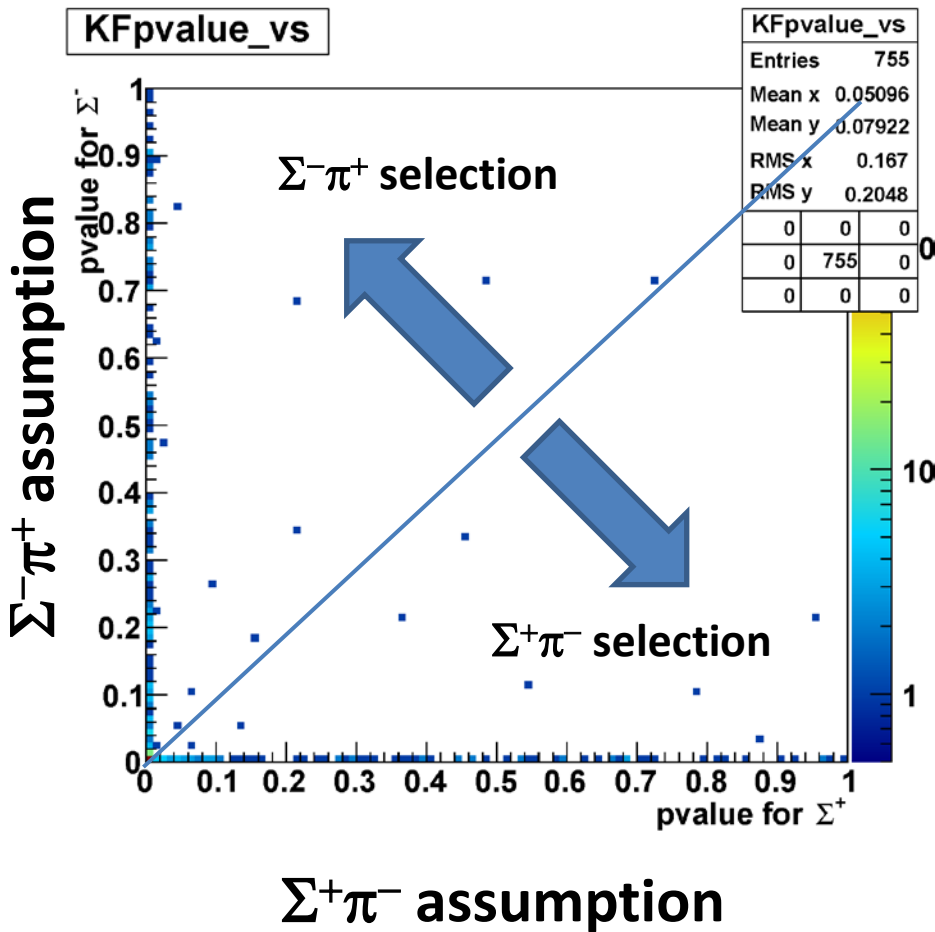


# Event Selection by $\chi^2$ Probability

MC

[4-body PS  $K^- + {}^3\text{He} \rightarrow \pi^\mp \Sigma^\pm p n$ ]

data

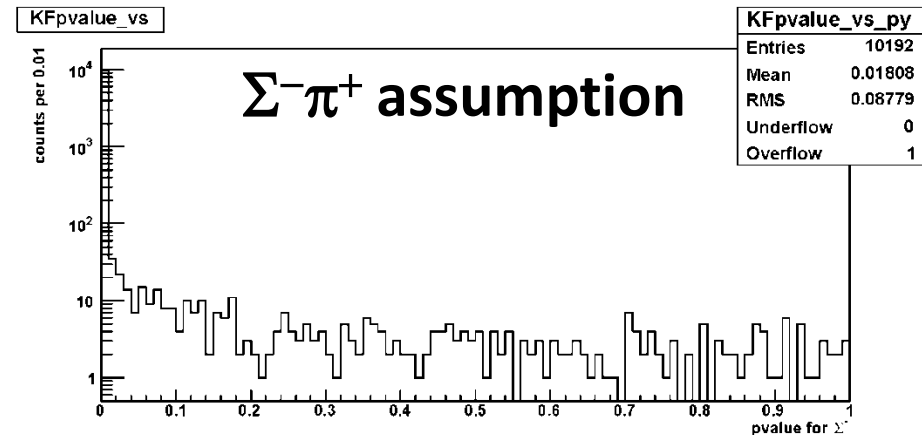
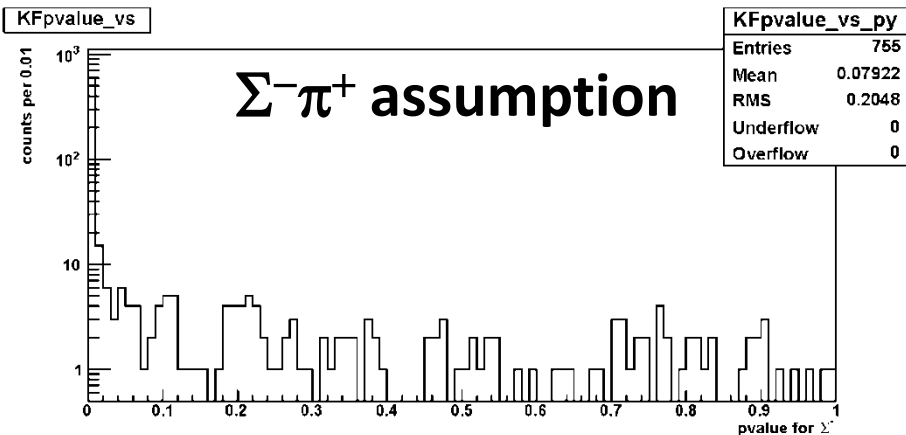
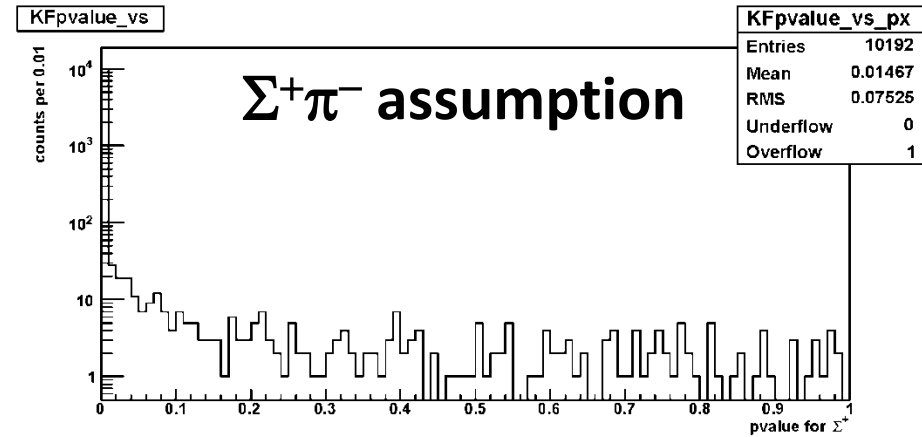
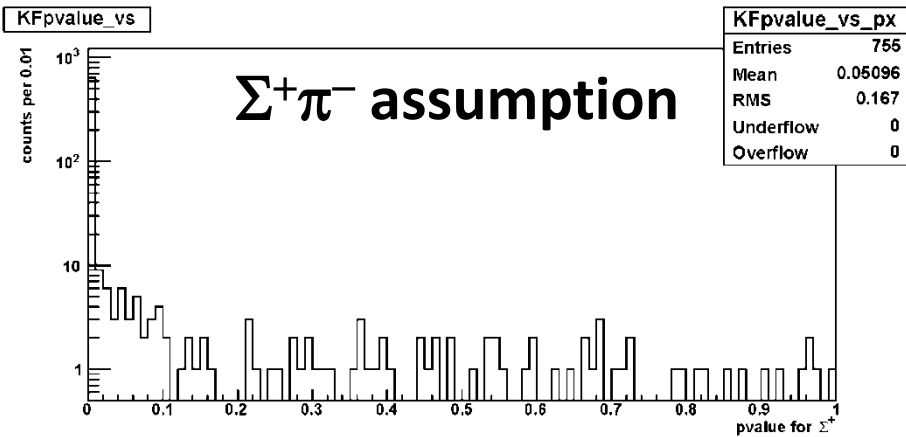


# Event Selection by $\chi^2$ Probability

MC

[4-body PS  $K^- + {}^3\text{He} \rightarrow \pi^\mp \Sigma^\pm p n$ ]

data



# Event Selection by $\chi^2$ Probability

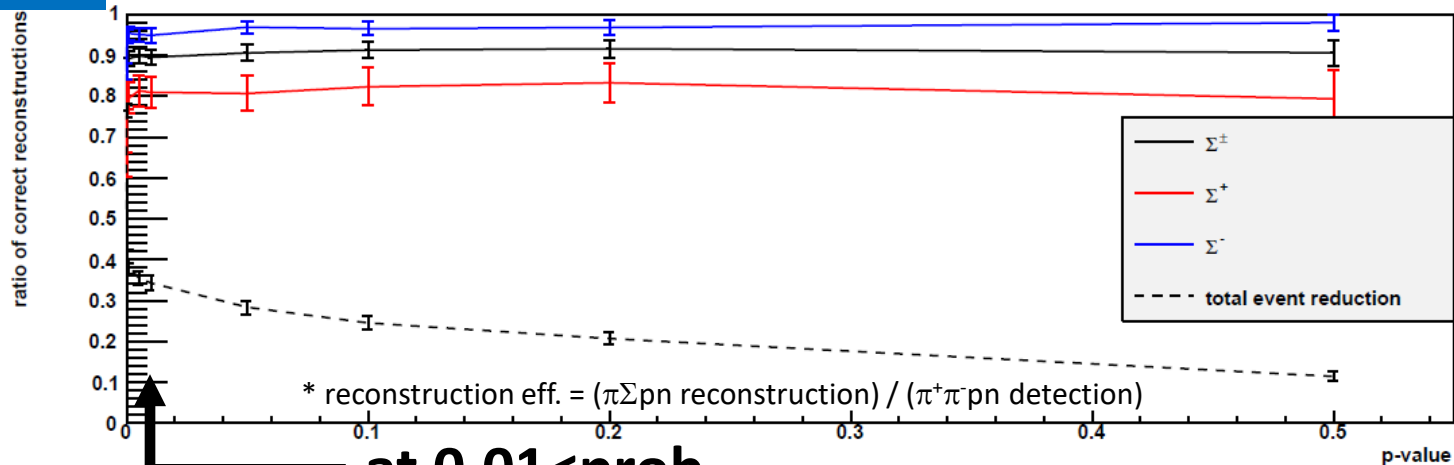
MC

data

[4-body PS  $K^- + {}^3\text{He} \rightarrow \pi^\mp \Sigma^\pm p n$ ]

MC

## Correctness of the Identification



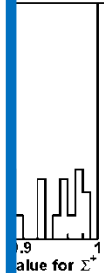
at  $0.01 < \text{prob.}$

$\Sigma^+ \pi^-$  assumption = 81.0%

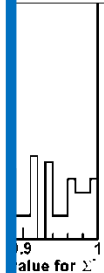
$\Sigma^- \pi^+$  assumption = 95.0%

$\Sigma^\pm \pi^\mp$  total = 89.6%

| KFpvalue_vs_px |         |
|----------------|---------|
| Entries        | 10192   |
| Mean           | 0.01467 |
| MS             | 0.07525 |
| underflow      | 0       |
| overflow       | 1       |



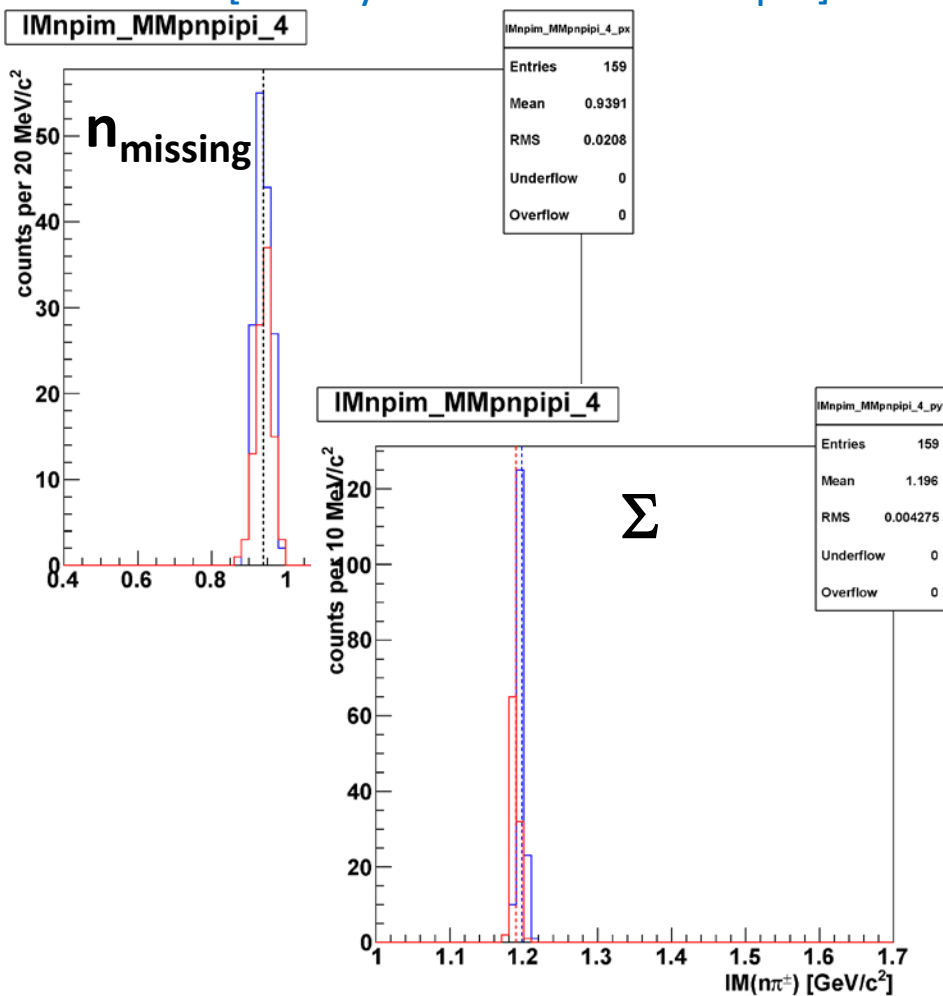
| KFpvalue_vs_py |         |
|----------------|---------|
| Entries        | 10192   |
| Mean           | 0.01808 |
| MS             | 0.08779 |
| underflow      | 0       |
| overflow       | 1       |



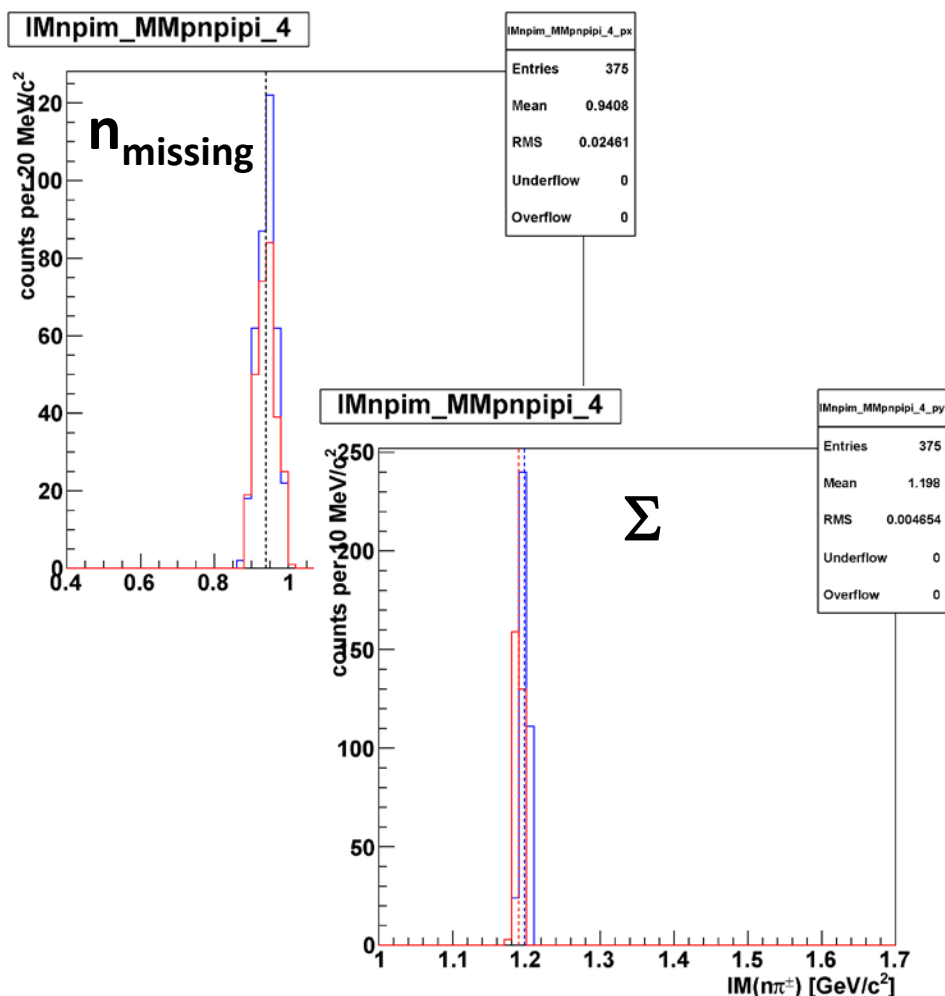
# $n_{\text{missing}}$ and $\Sigma$ Selection [ $0.01 < \text{p-value}$ ]

MC

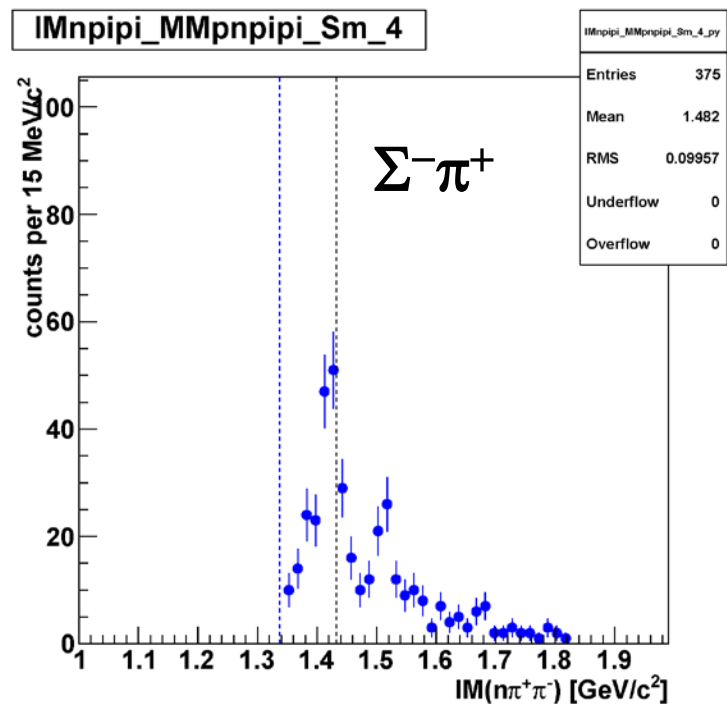
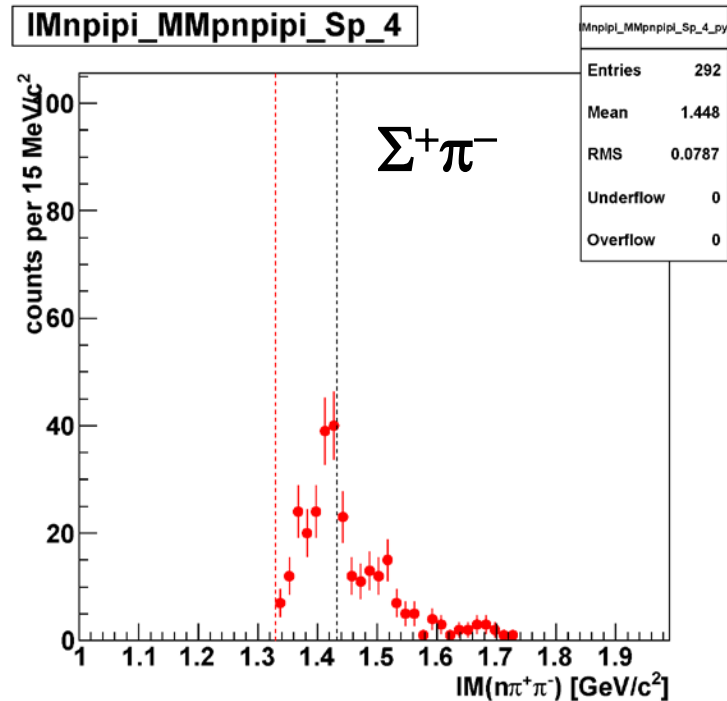
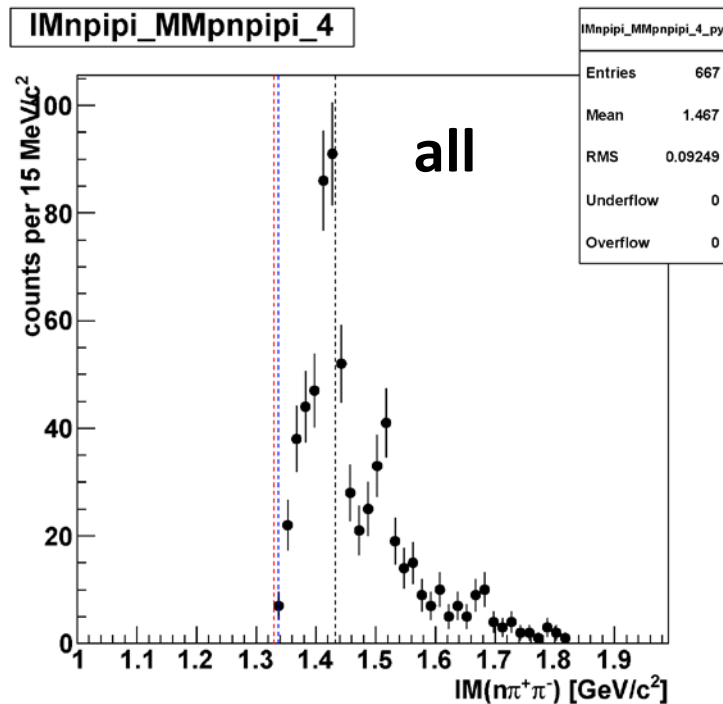
[4-body PS  $K^+{}^3\text{He} \rightarrow \pi^\mp \Sigma^\pm p n$ ]



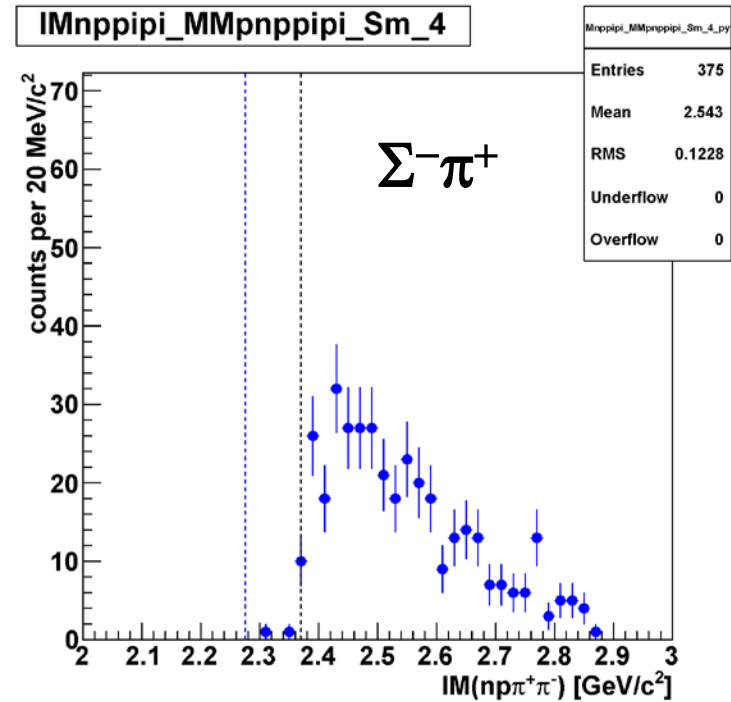
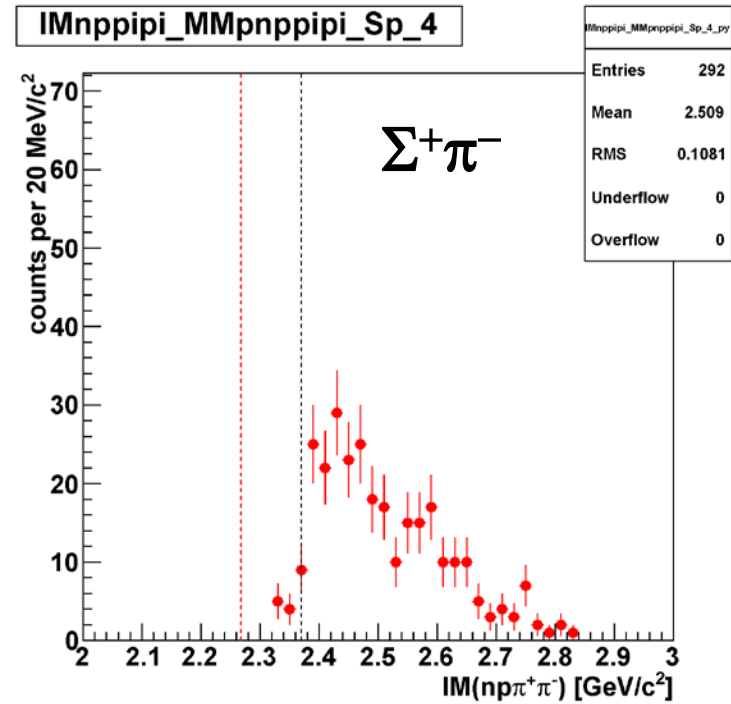
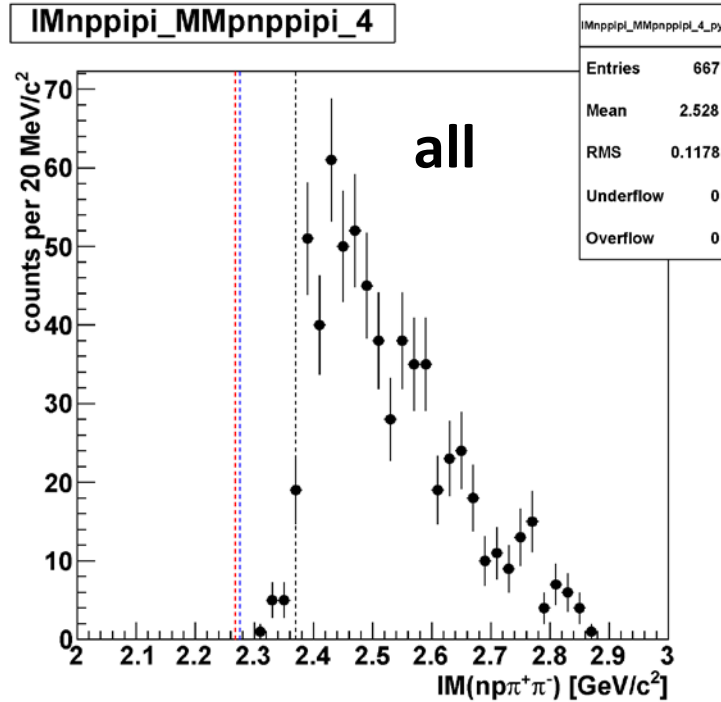
data



# $\pi^-\Sigma^+$ and $\pi^+\Sigma^-$



# $\pi^-\Sigma^+p$ and $\pi^+\Sigma^-p$



K-p = elastic: 22mb  
 K-p = n K0: 7 mb  
 K-n = elastic: 20 mb

# $\Sigma^0(1385)$ Cross-Section?

- No data of  $\Sigma^0(1385)$  CS around 1.0 GeV/c
- In 1.2~1.8 GeV/c, CS of QF  $\Sigma^0(1385)$  was measured, and is almost the same as that of  $\Sigma^\pm(1385)$
- Relative ratios of  $\Sigma^*$  productions via 2-step reaction are assumed as follows:
  - $K^3\text{He} \rightarrow (K p_s p_s) n \rightarrow \Sigma^0 p n$  ( $1 \cdot 20 \cdot 0.5 = 10$ )
  - $K^3\text{He} \rightarrow (K p_s p_s) n \rightarrow \Sigma^{*+} n n$  ( $1 \cdot 20 \cdot 0.5 = 10$ )
  - $K^3\text{He} \rightarrow (K n_s p_s) p \rightarrow \Sigma^0 p n$  ( $2 \cdot 22 \cdot 0.5 = 22$ )
  - $K^3\text{He} \rightarrow (K n_s p_s) p \rightarrow \Sigma^{*-} n n$  ( $2 \cdot 22 \cdot 0.5 = 22$ )
  - $K^3\text{He} \rightarrow (K^0 n_s p_s) n \rightarrow \Sigma^0 p n$  ( $2 \cdot 7 \cdot 0.5 = 7$ )
  - $K^3\text{He} \rightarrow (K^0 n_s p_s) n \rightarrow \Sigma^{*+} n n$  ( $2 \cdot 7 \cdot 0.5 = 7$ )
- where cross sections of 2NA  $\Sigma^{*0+}$  are assumed to be the same
- Then we assume  $\Sigma^0(1385)$  CS at 1.0 GeV/c to be:

$$\sigma(\Sigma^{*0}) = 39/17 \times \sigma(\Sigma^{*+}) = 2.3 \times \sigma(\Sigma^{*+})$$

BERTHON, NC 21A,146 (1974) & BRAUN, NP B129,1 (1977)

